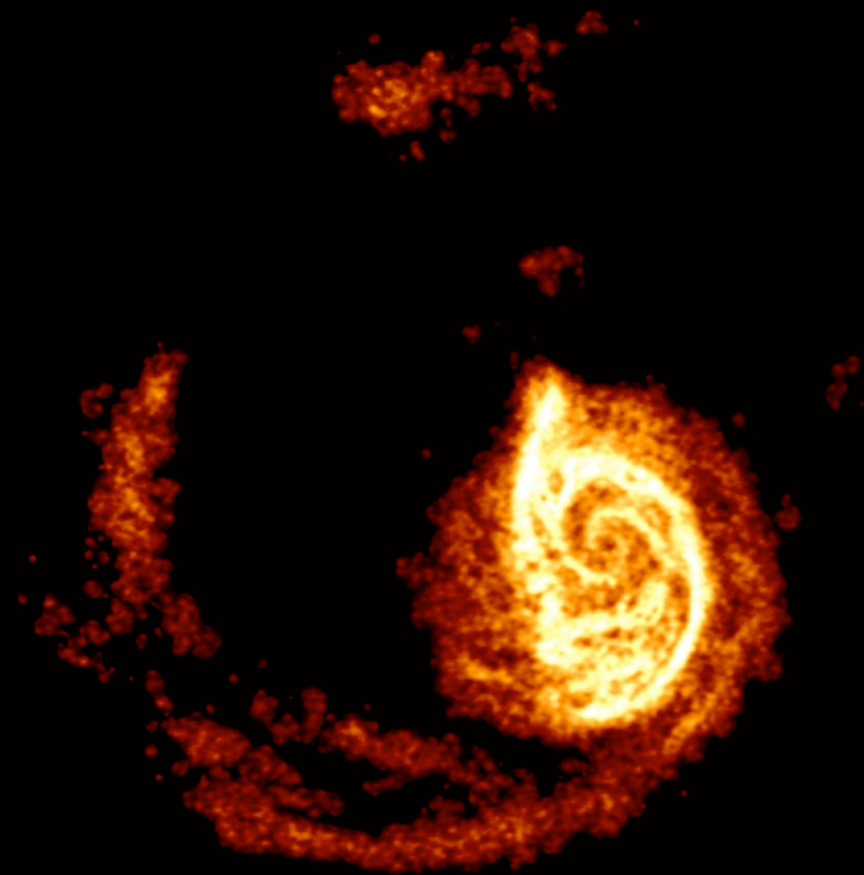


A New Probe of Dark Matter in Spirals

Sukanya Chakrabarti (FAU); Leo Blitz (UCB); Phil Chang
(University of Wisconsin-Milwaukee); Frank Bigiel
(Heidelberg)

Overview

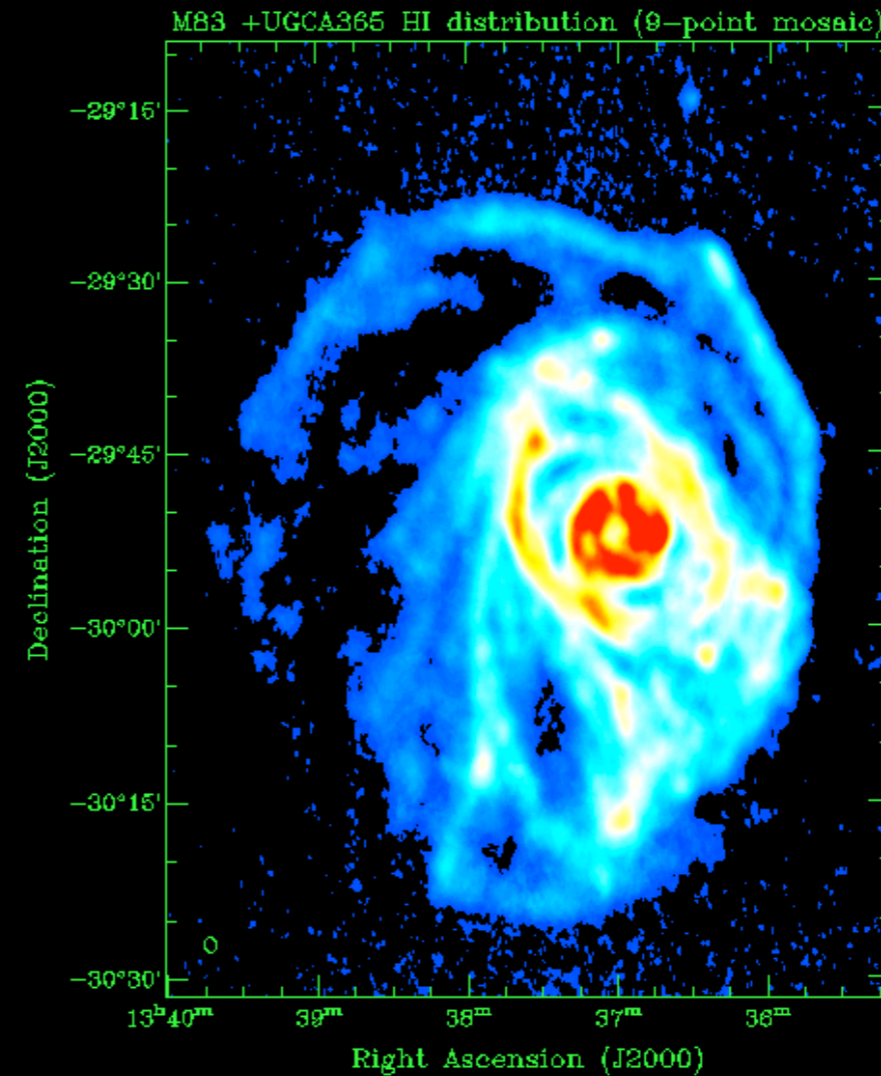
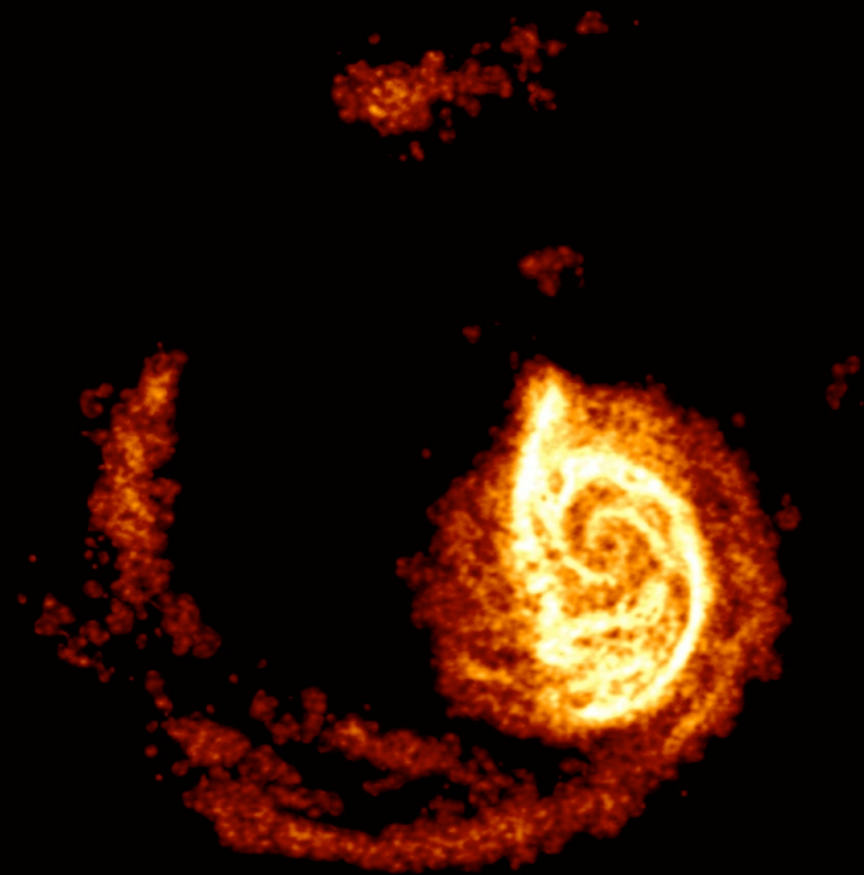
- Cold gas as tracer of perturbing dark-matter dominated dwarf galaxies



- Galaxies with optical companions : Proof of Principle

Overview

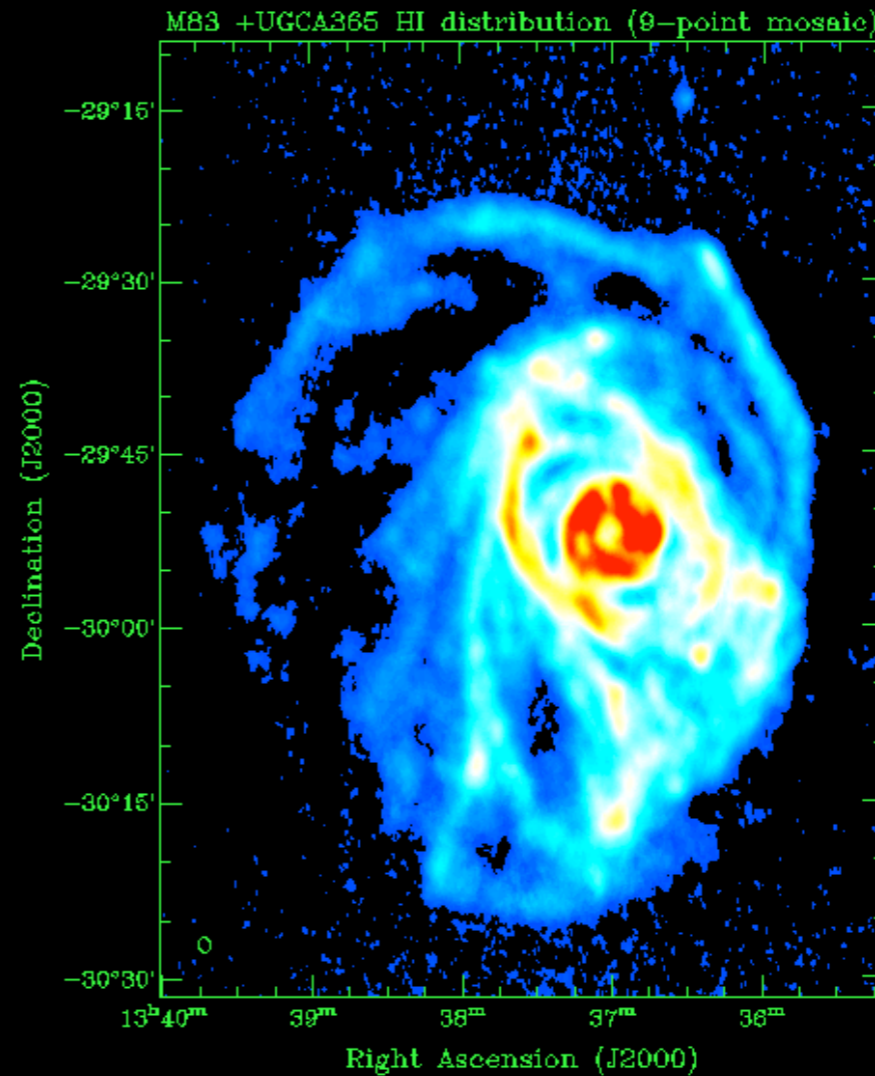
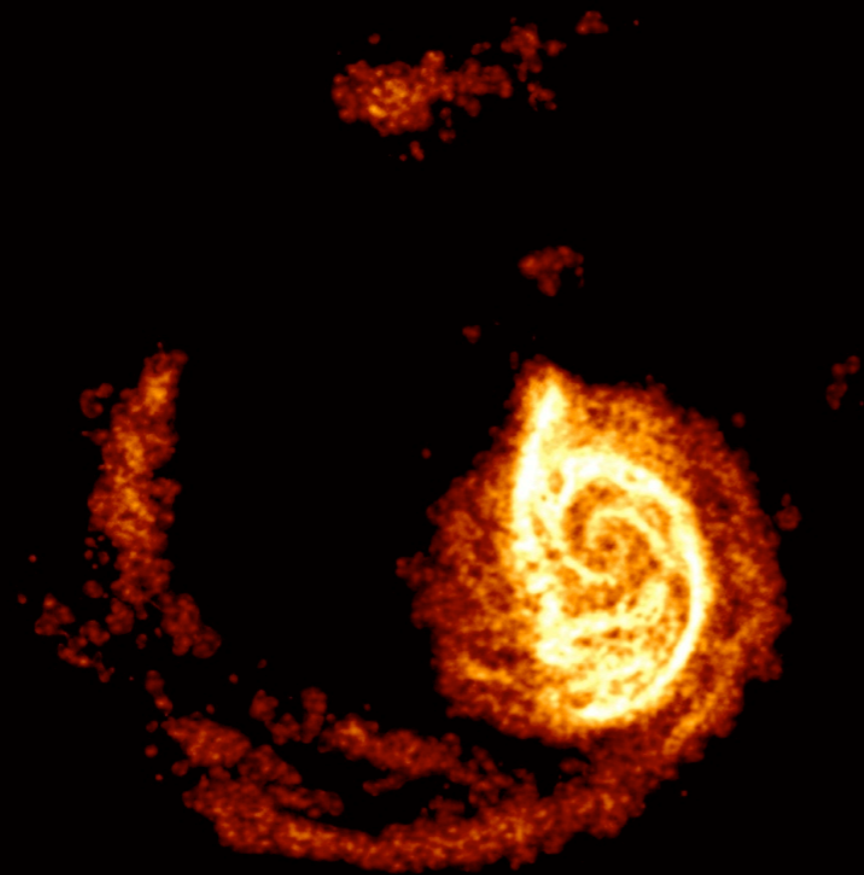
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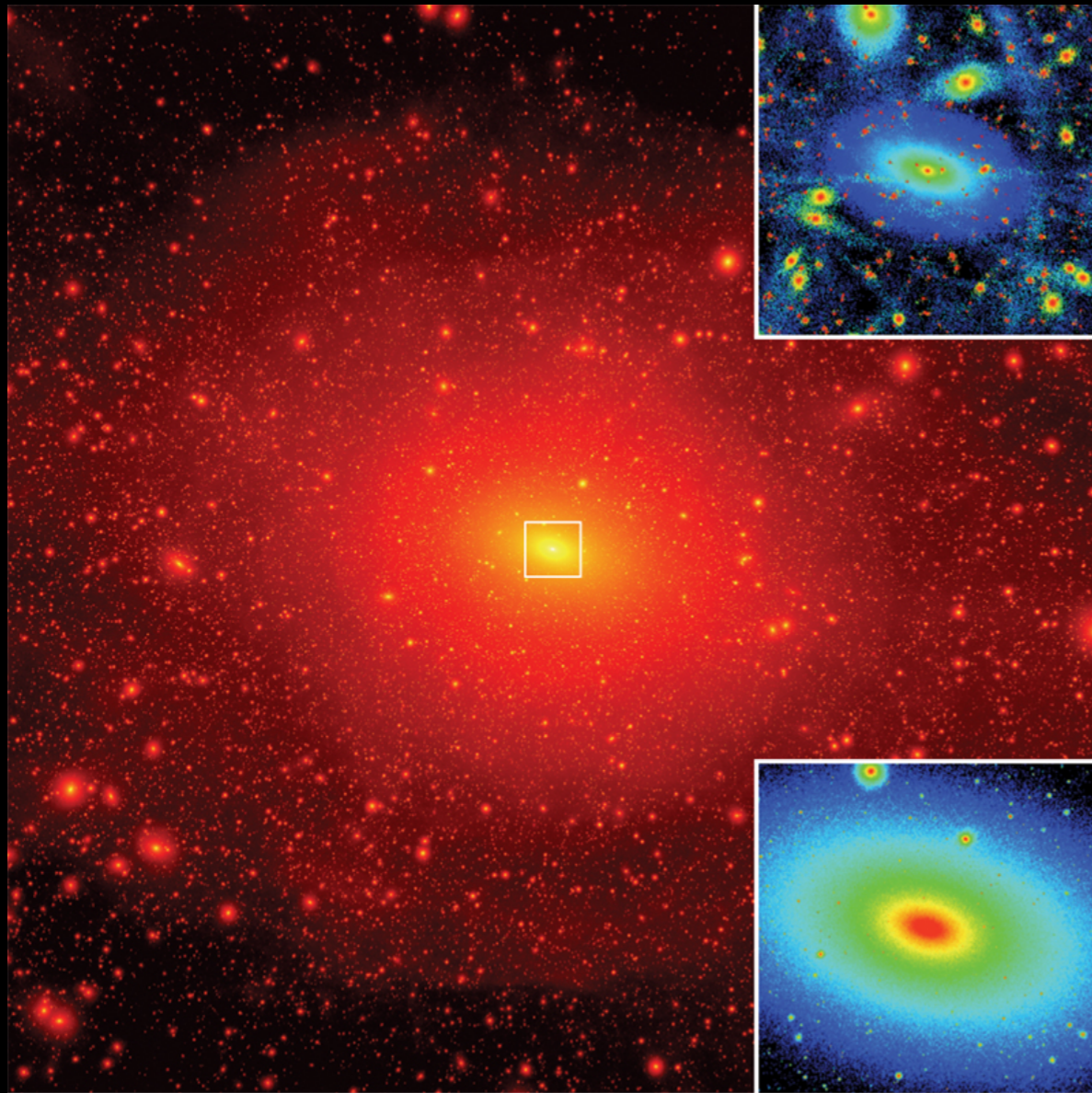
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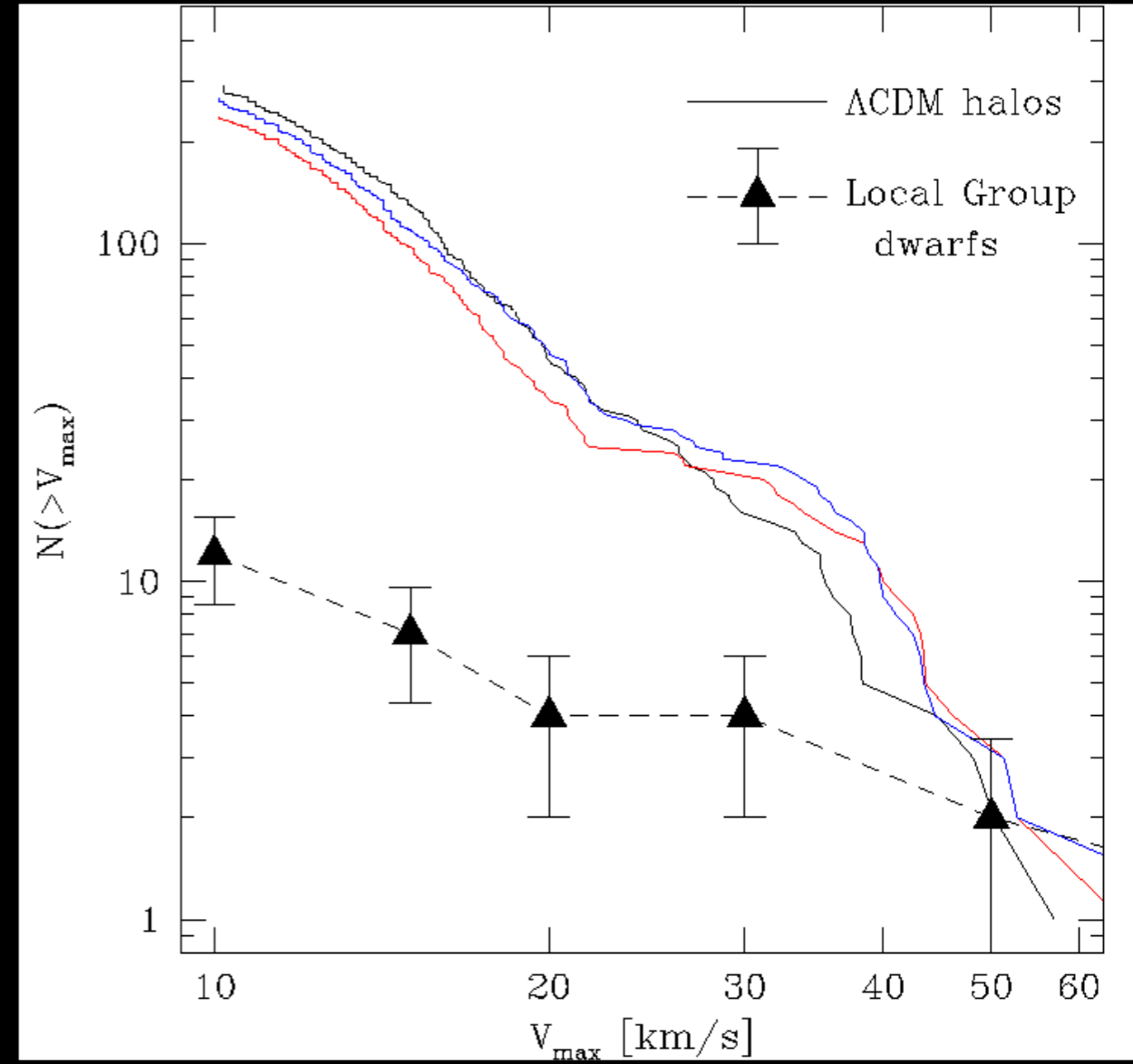
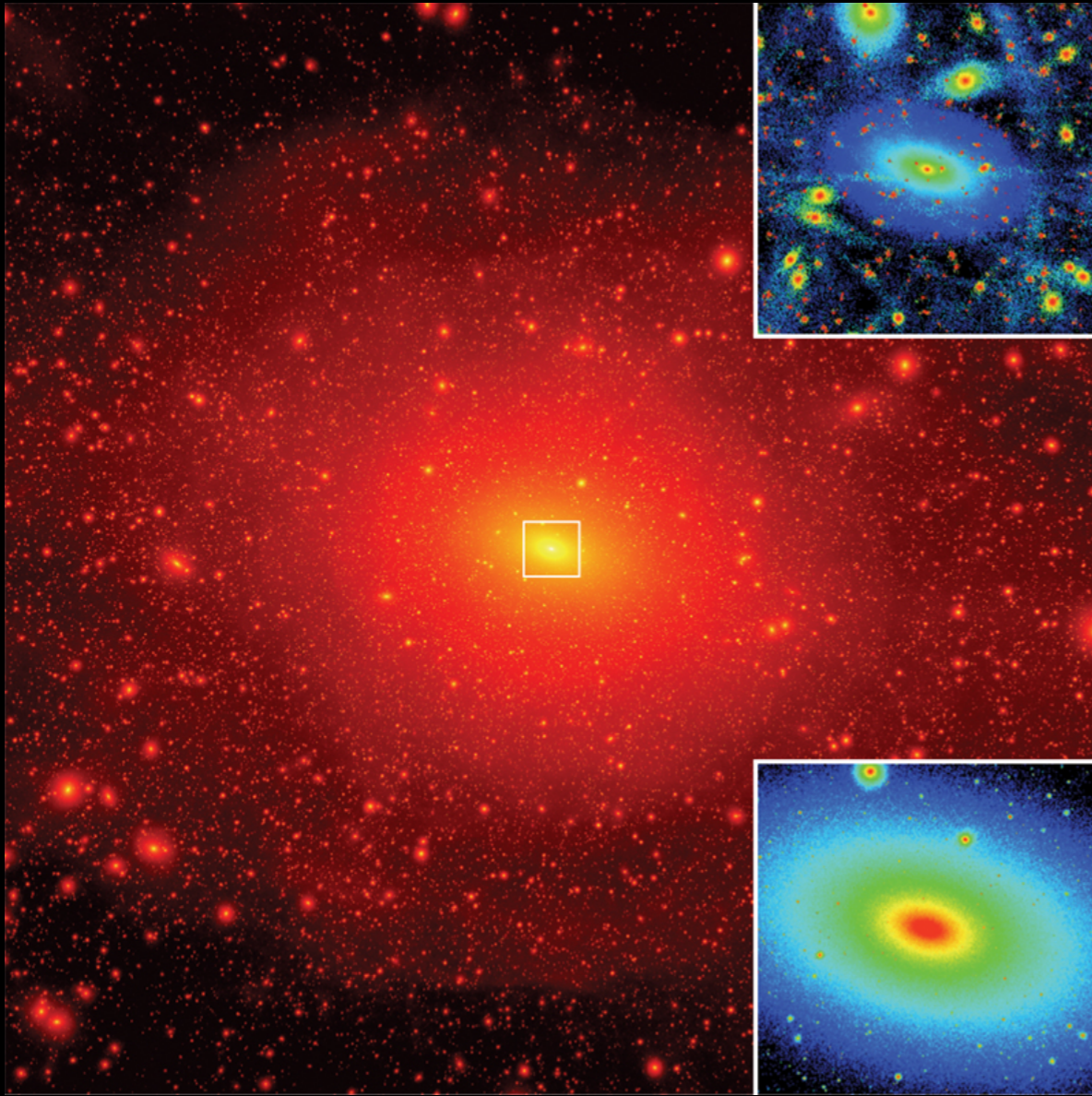
- Galaxies with optical companions : Proof of Principle
- Inferring distribution of dark matter in galaxies

Dark Sub-Halos: Expectations from Simulations

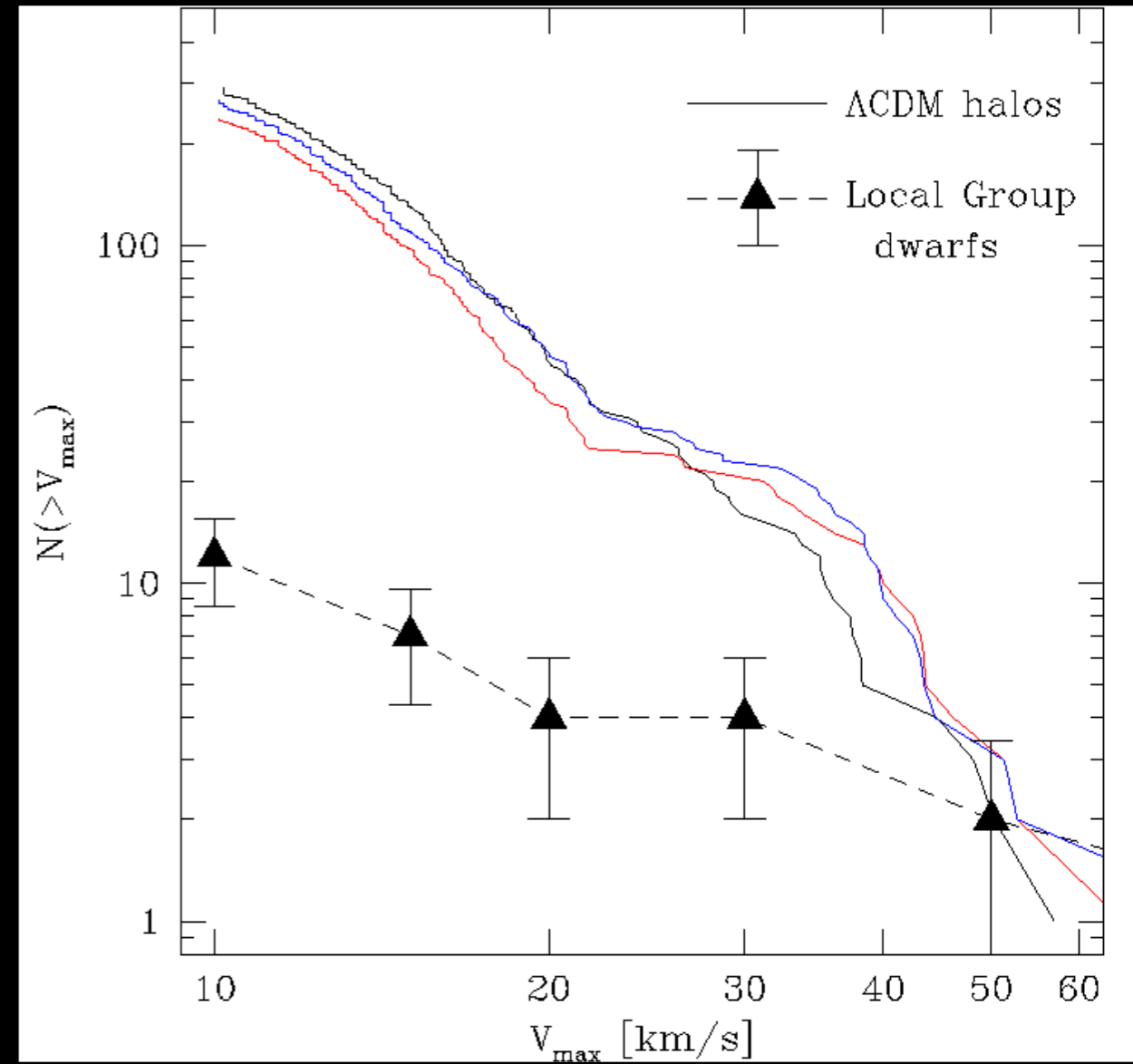
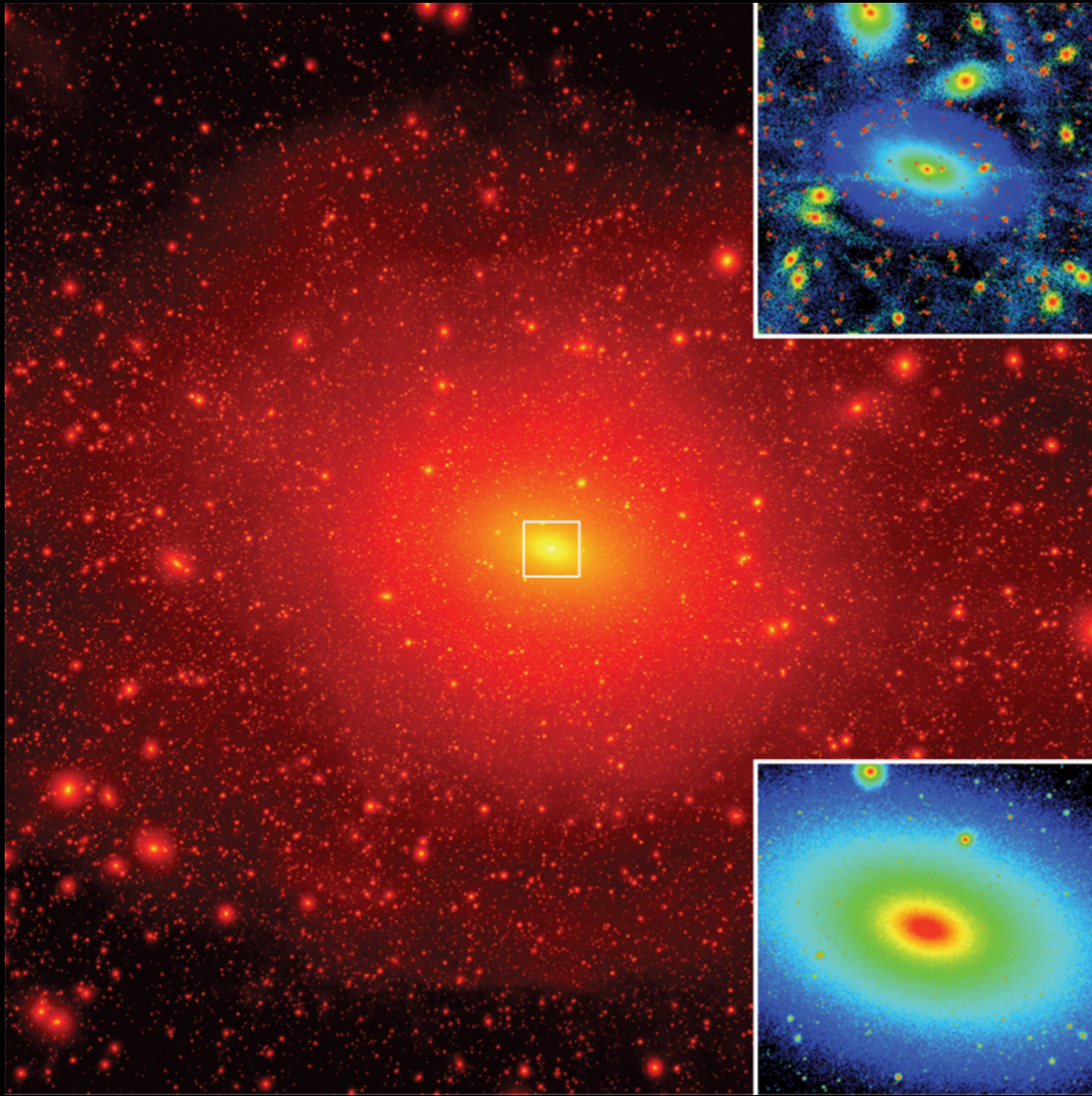
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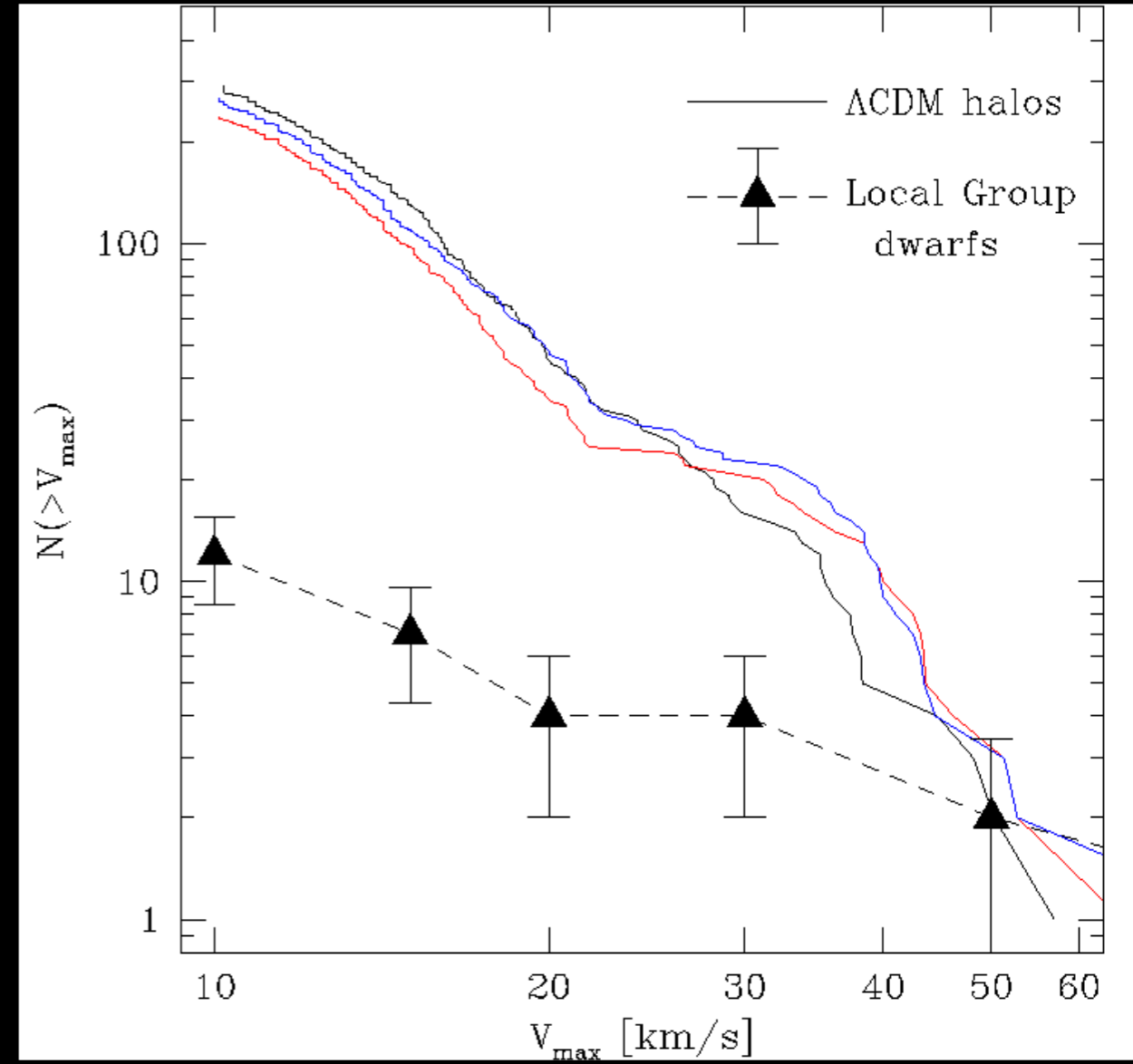
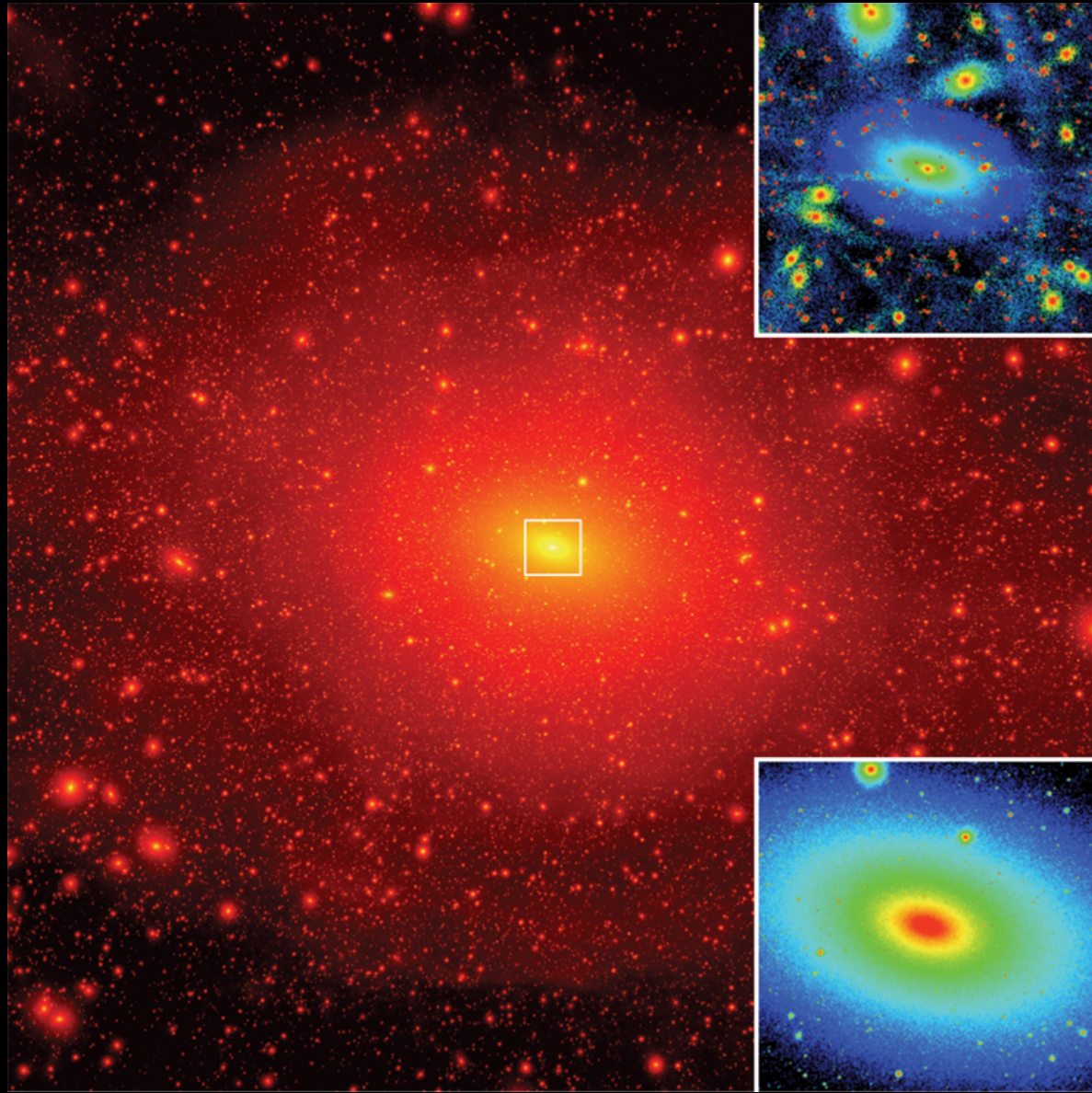


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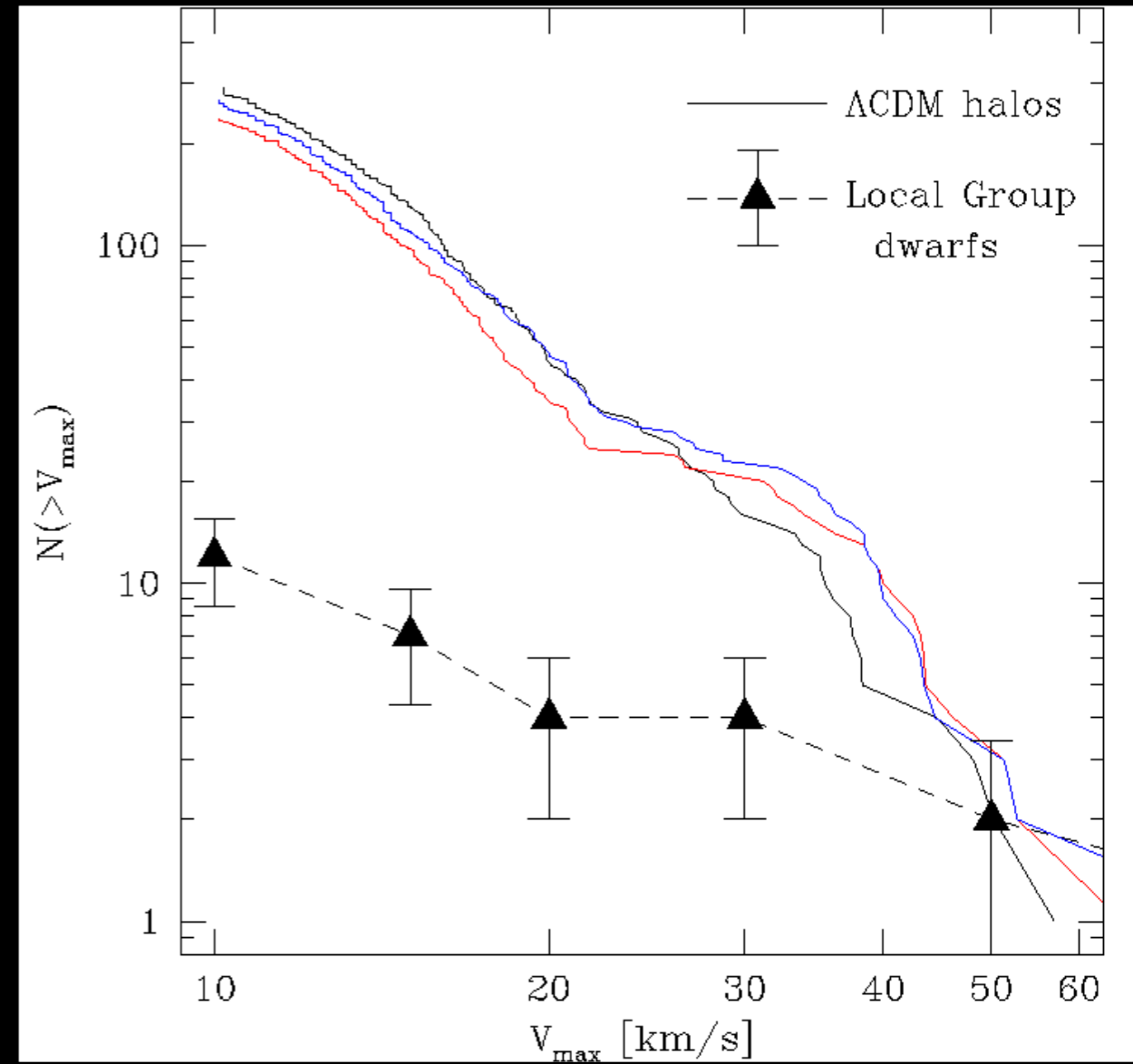


- Missing satellites problem (Klypin et al. 1999; Diemand et al. 2008)

Dark Sub-Halos: Expectations from Simulations

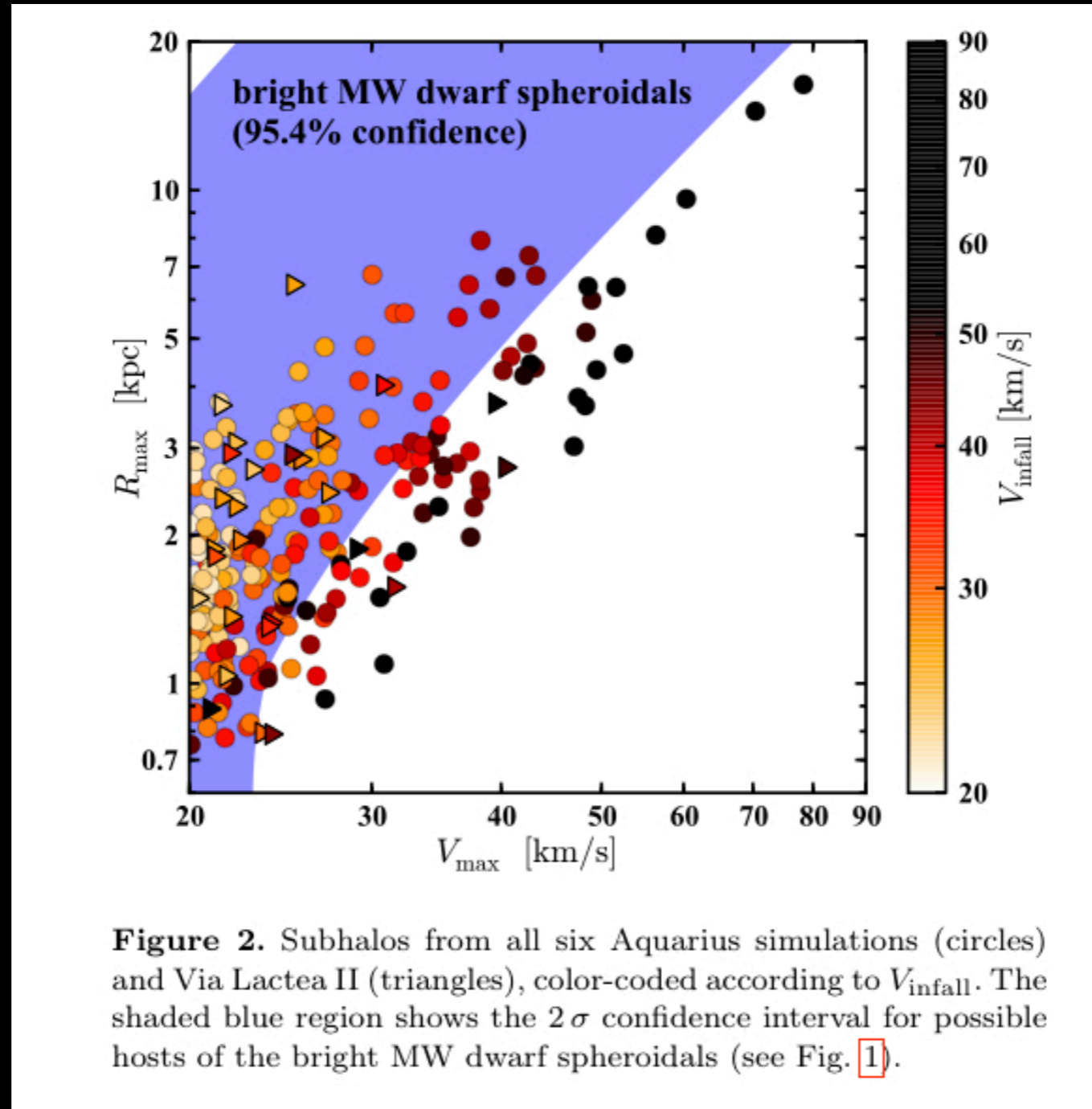


Dark Sub-Halos: Expectations from Simulations

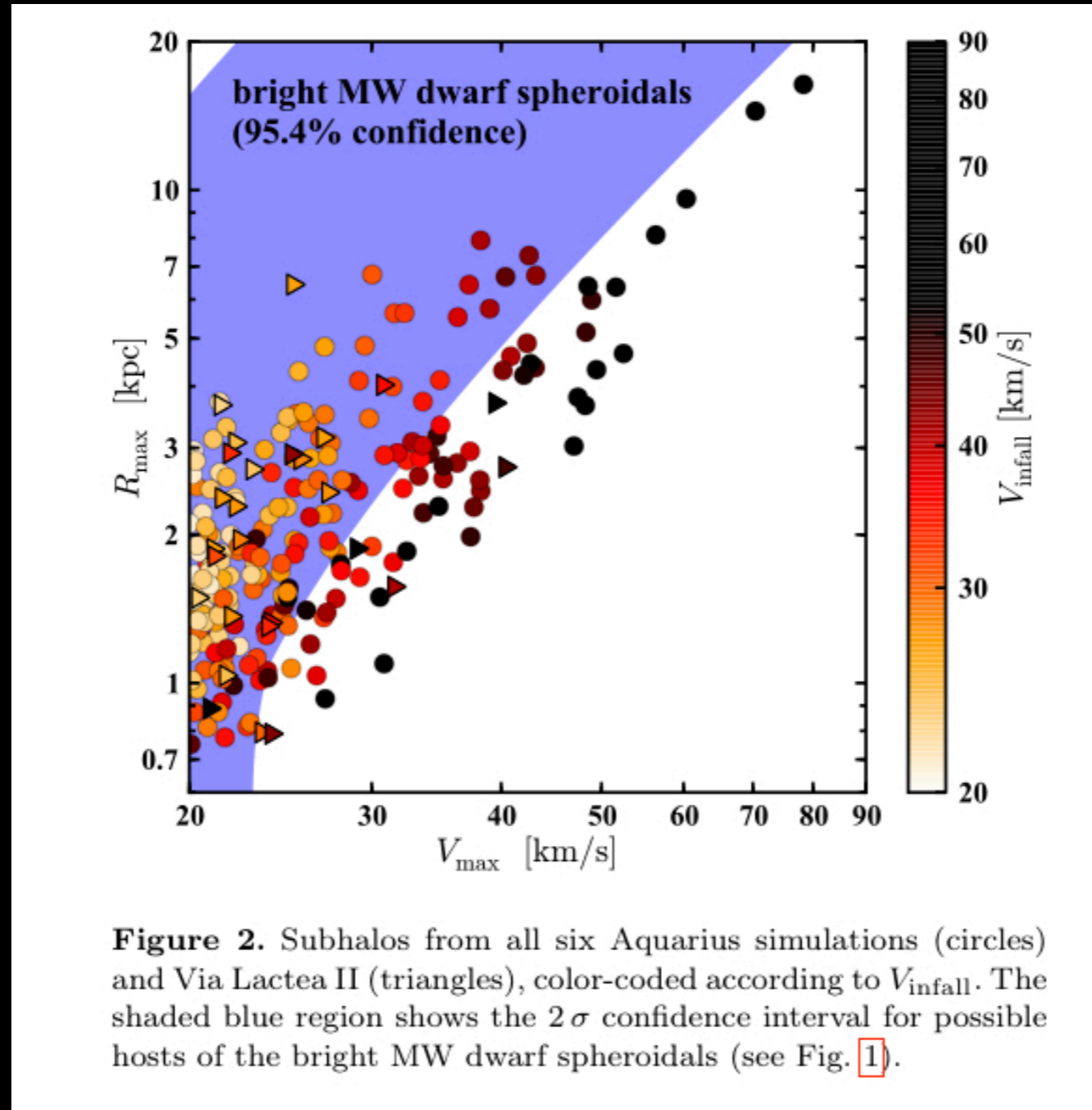


Dark Sub-Halos: Expectations from Simulations

Dark Sub-Halos: Expectations from Simulations



Dark Sub-Halos: Expectations from Simulations



- Massive satellites too dense to host known MW satellites (Boylan-Kolchin et al. 2011)

Tidal Imprints of dark-matter dominated dwarf galaxies on outskirts of Spirals

- Coldest Component Responds the Most! (by ratio of inverse sound speed squared). **Gas has short-term memory.**
- Maximize rate of detection of dim dwarf galaxies by looking for their tidal footprints on atomic hydrogen gas disks.



**Atomic
hydrogen
(HI) Maps!**

**Footprints
of Dark
Sub-Halos**

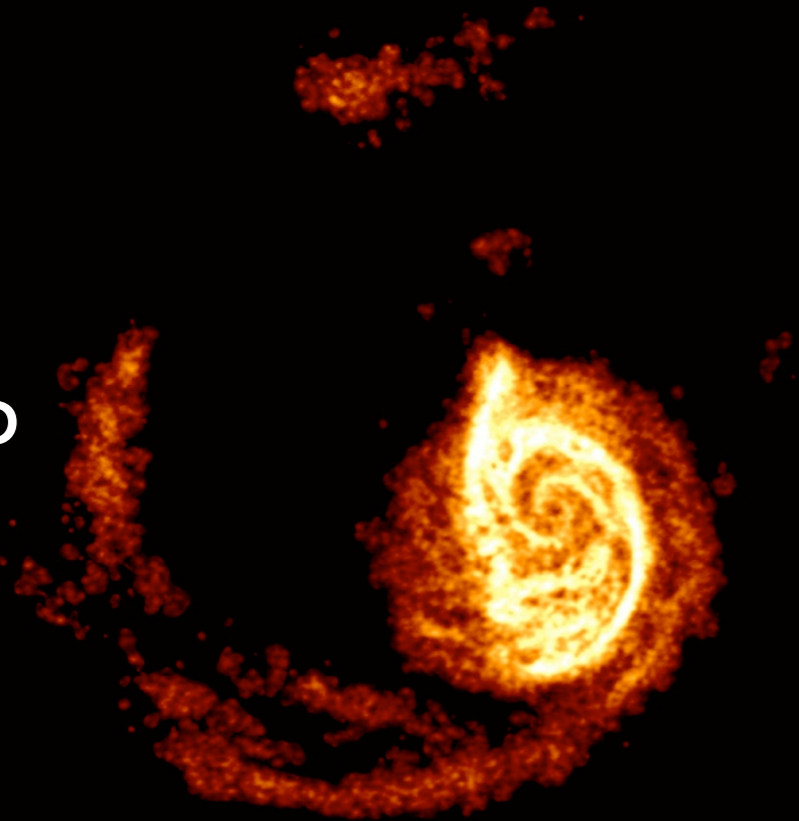


Disturbances in HI disks in Local Spirals: Proof of Principle

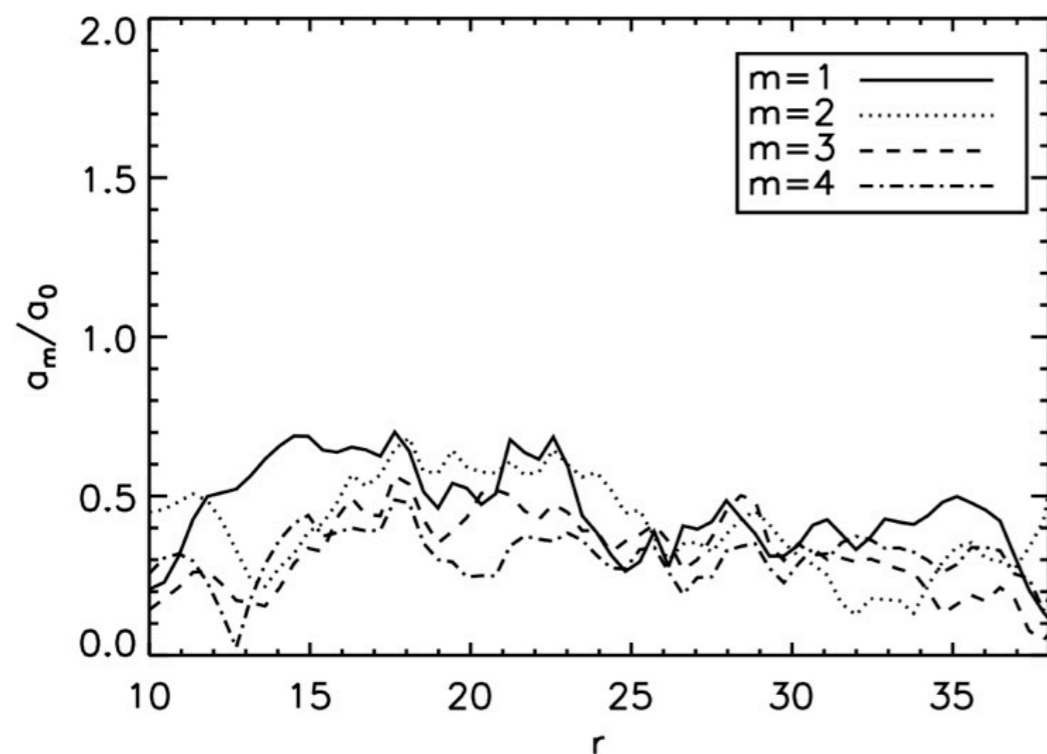


M51

HI Map



optical
image

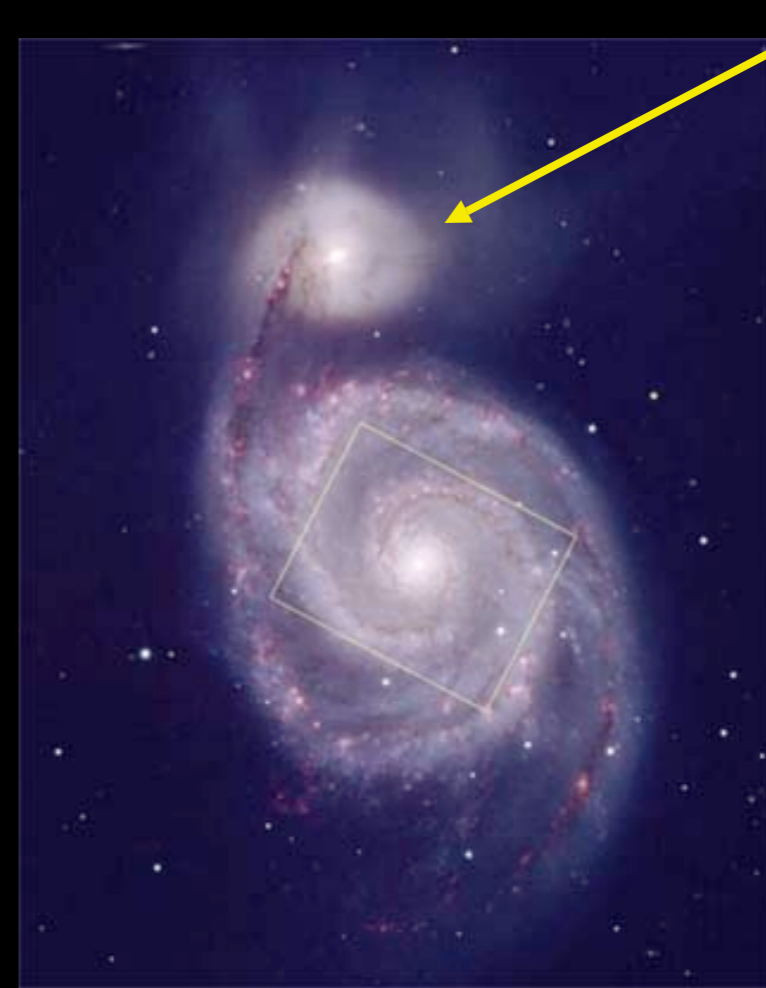
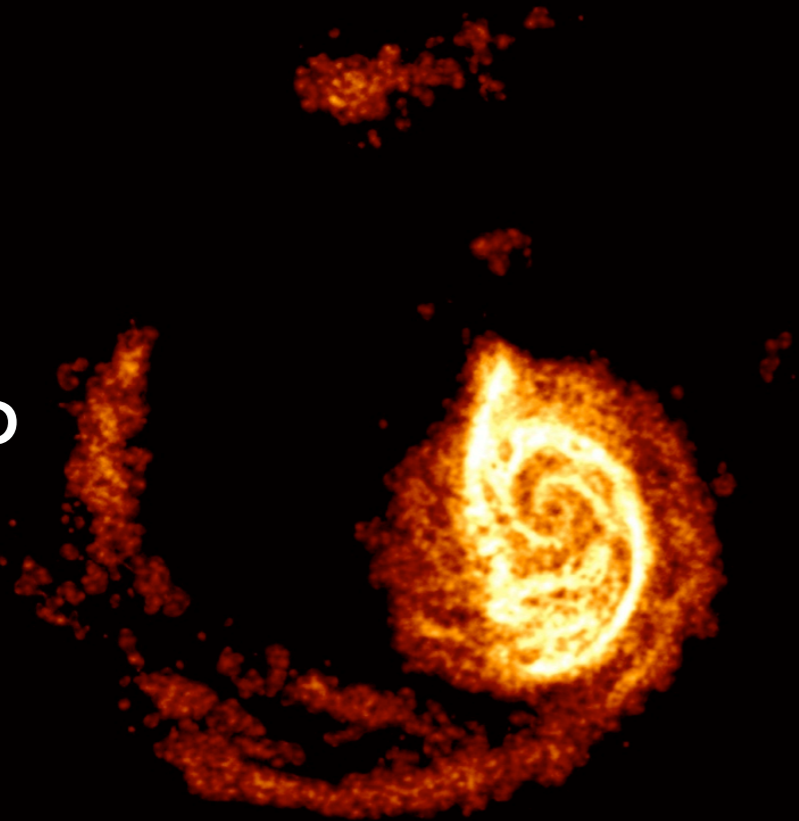


$$a_m(r) = \int \Sigma(r, \phi) e^{-im\phi} d\phi$$

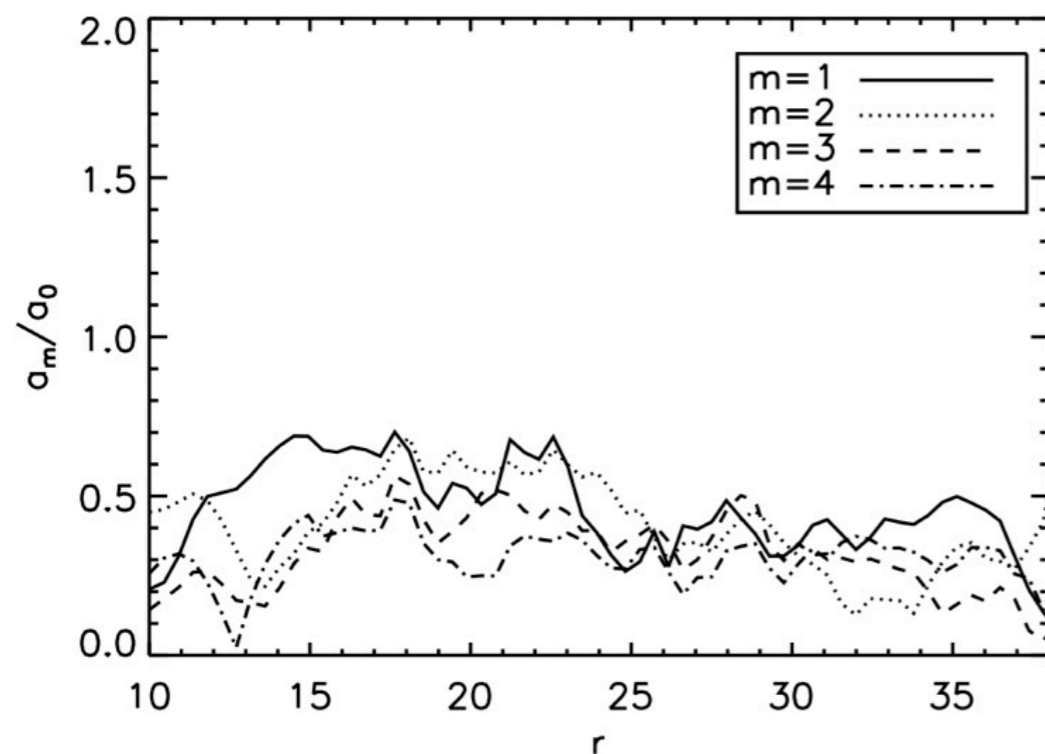
Local Fourier Amplitudes
of HI data: Metric of
Comparison to
simulations

M51

HI Map



optical
image

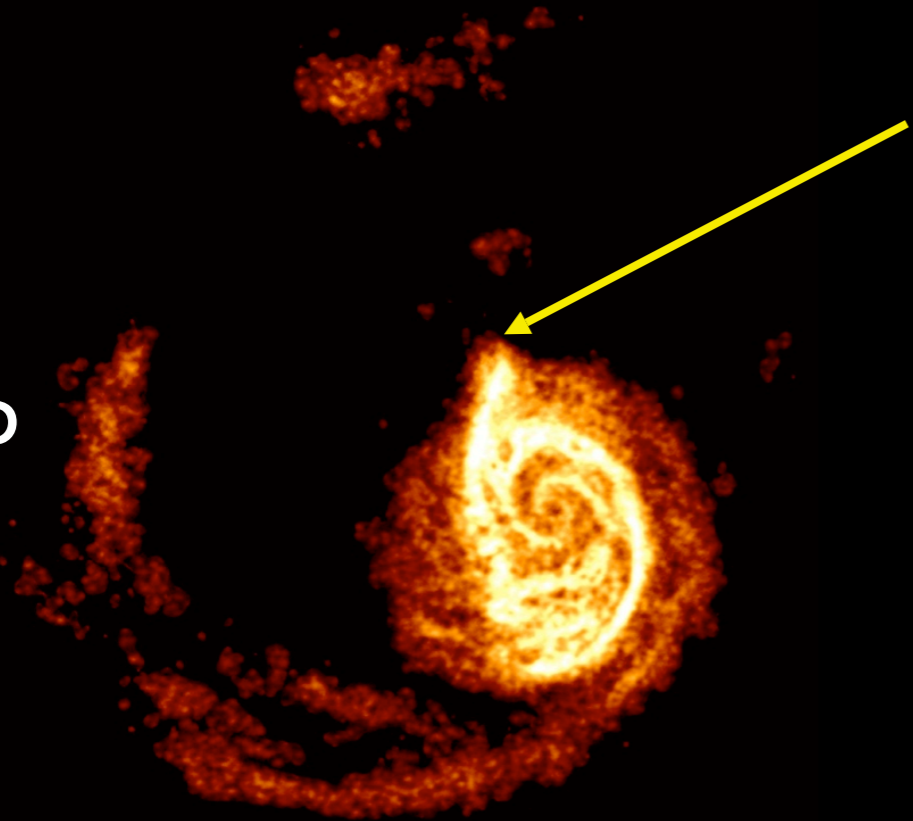


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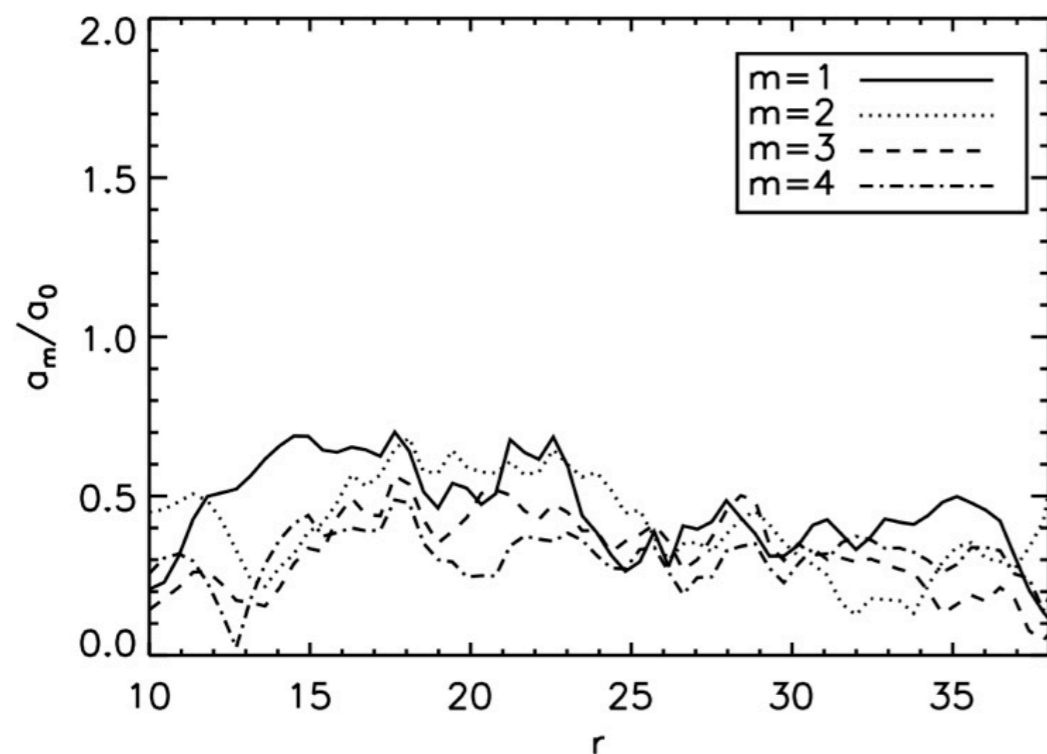
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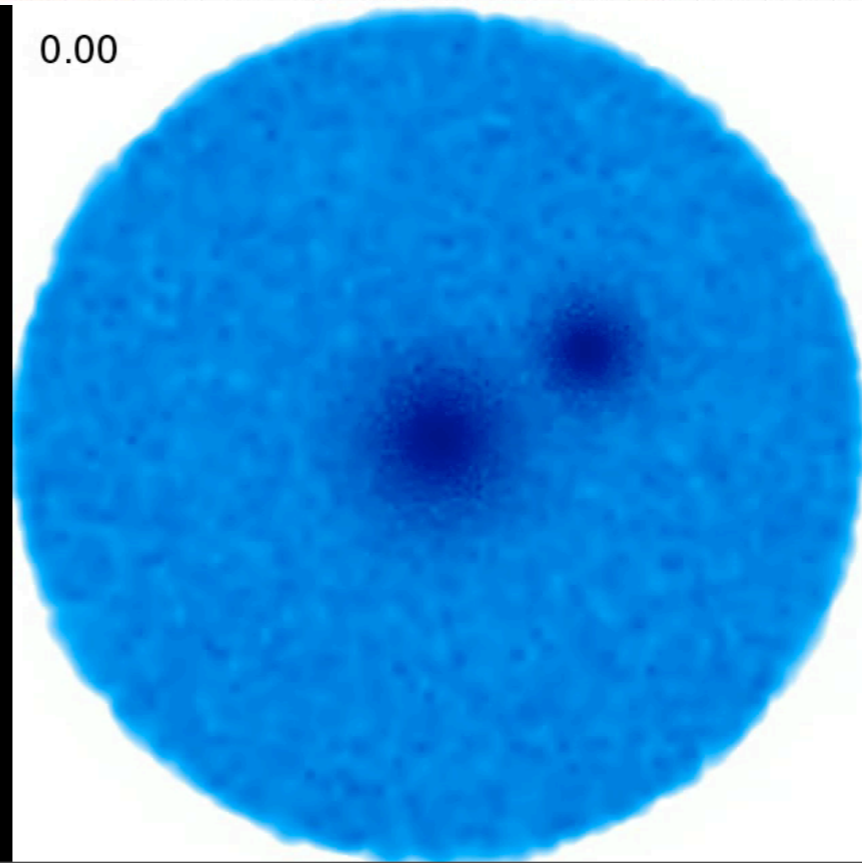
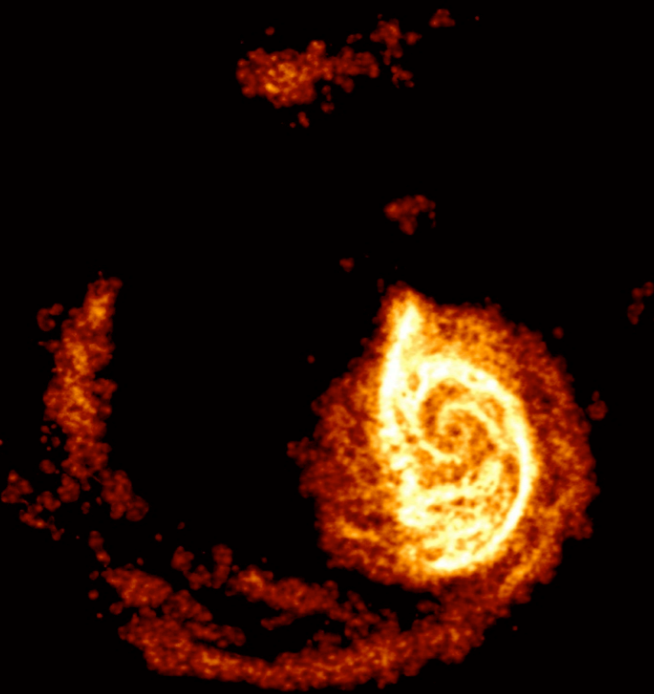
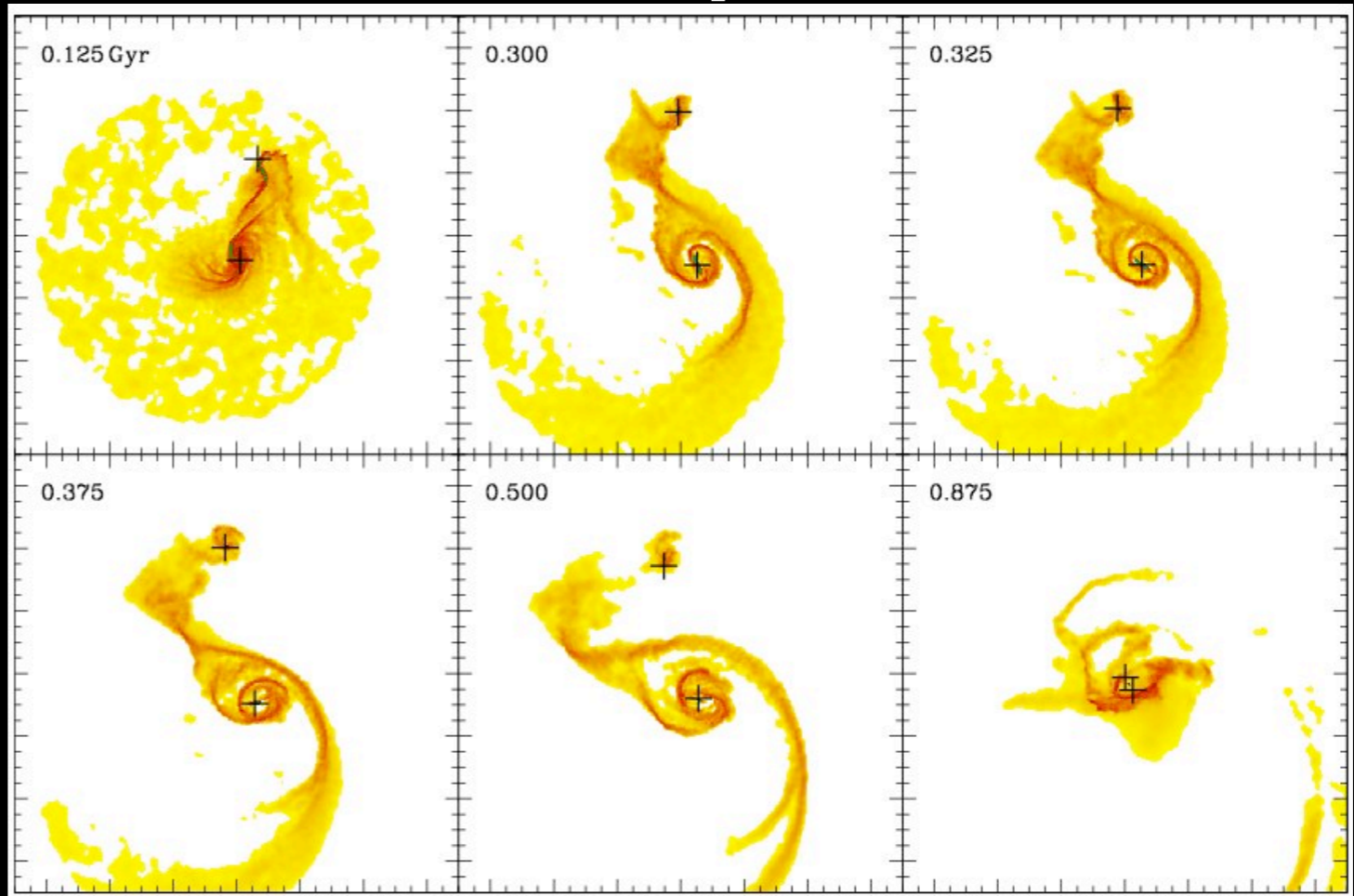
optical
image



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Local Fourier Amplitudes
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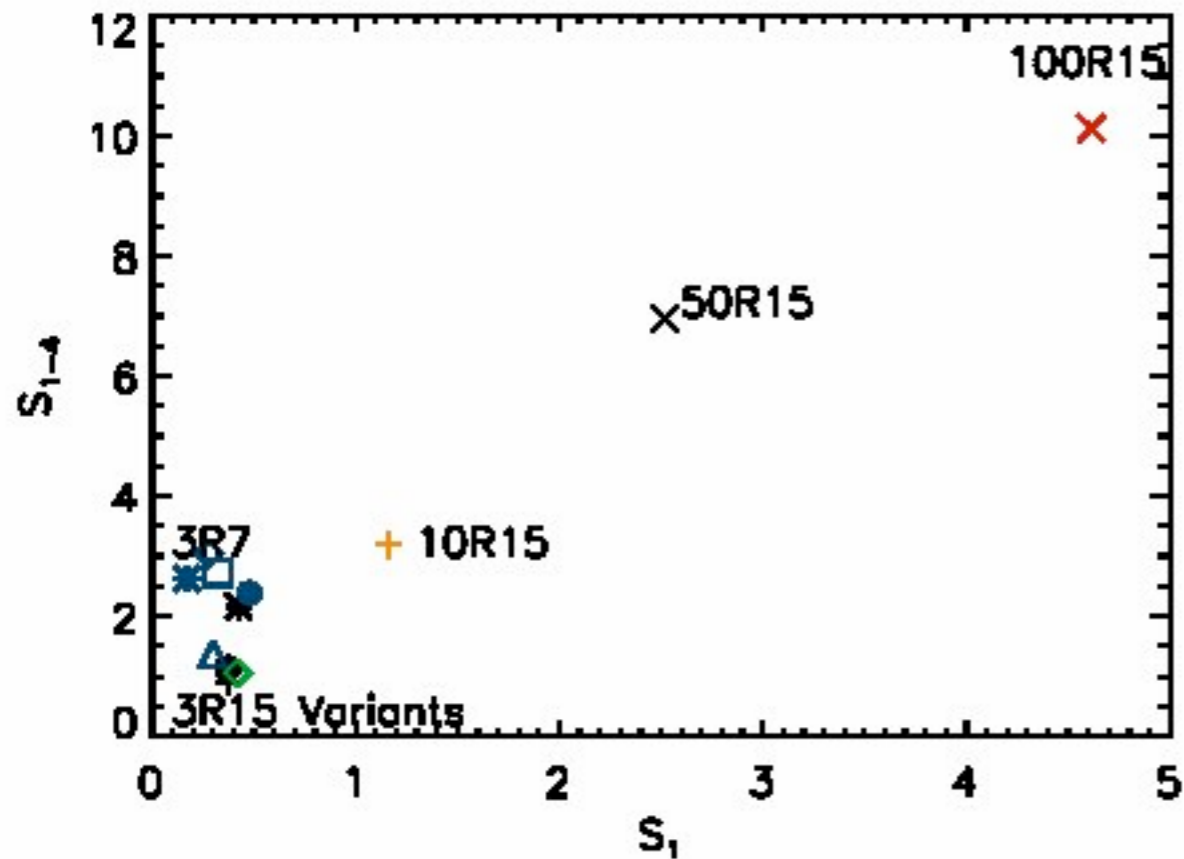
M51 Simulation Comparison



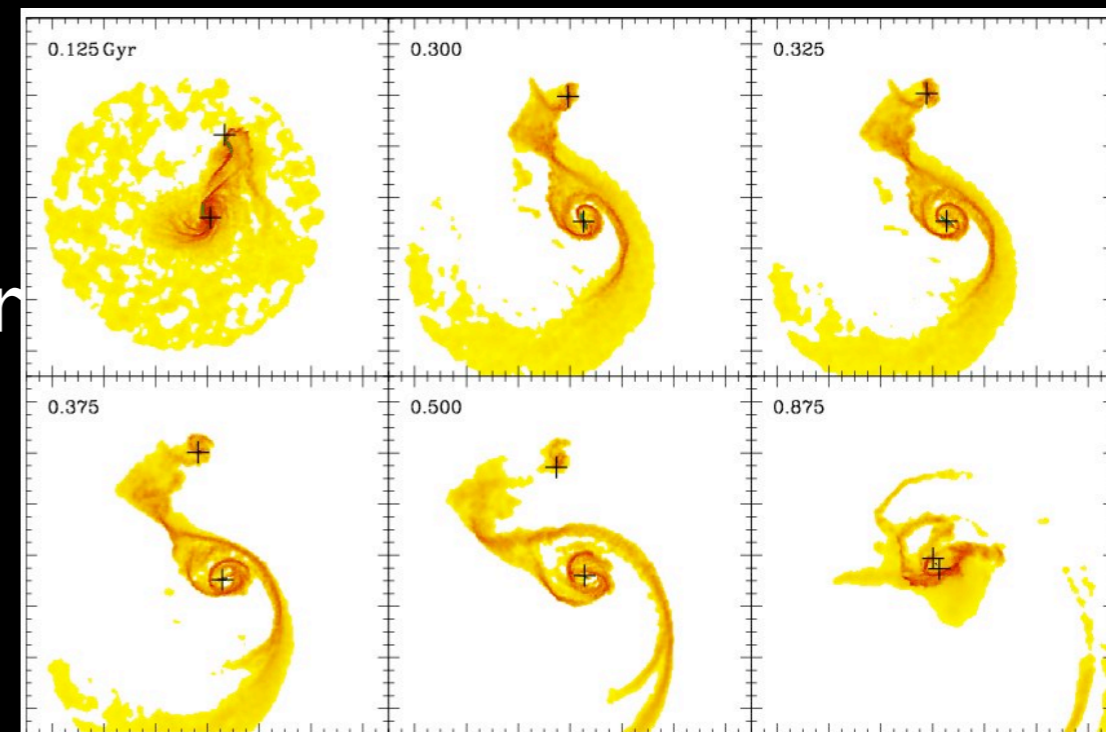
3-D
stereoscopic
rendering
shown at
AAS 2011

Chakrabarti, Bigiel,
Chang & Blitz, 2011

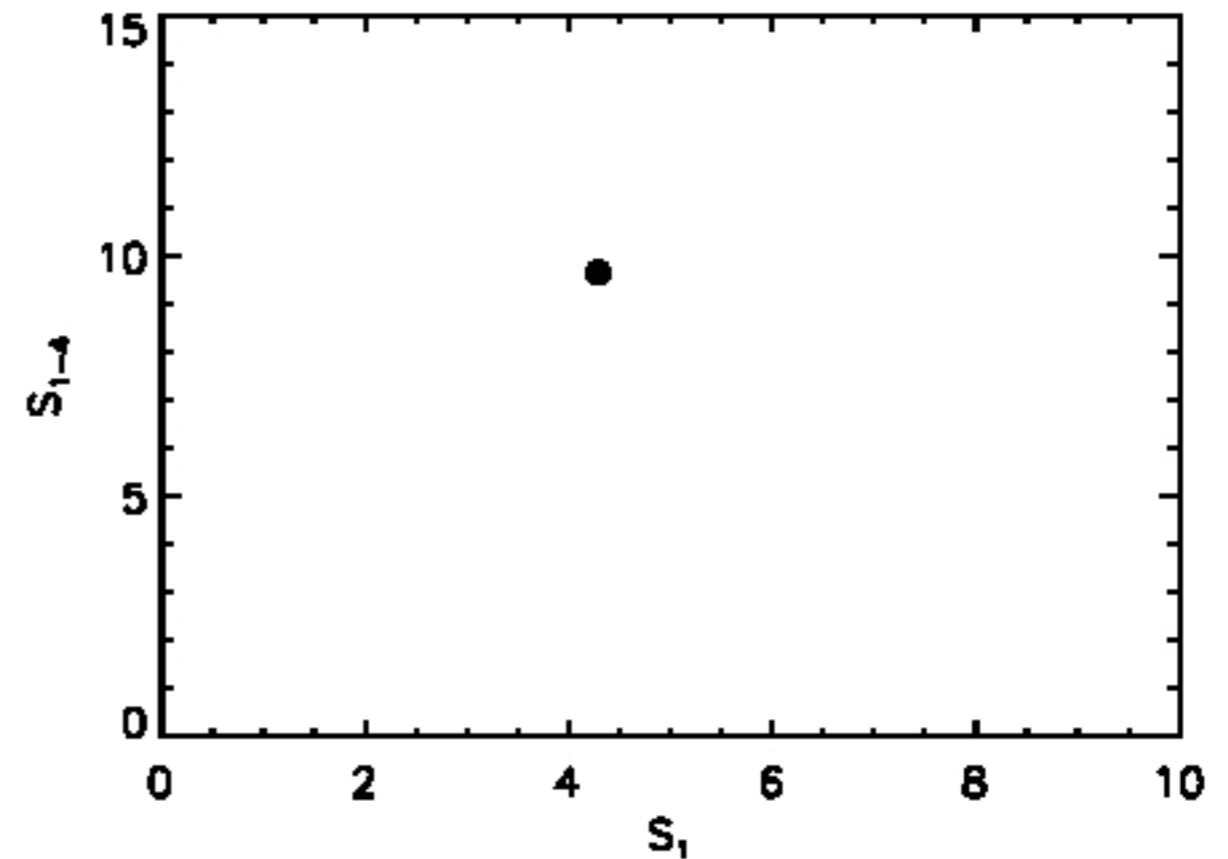
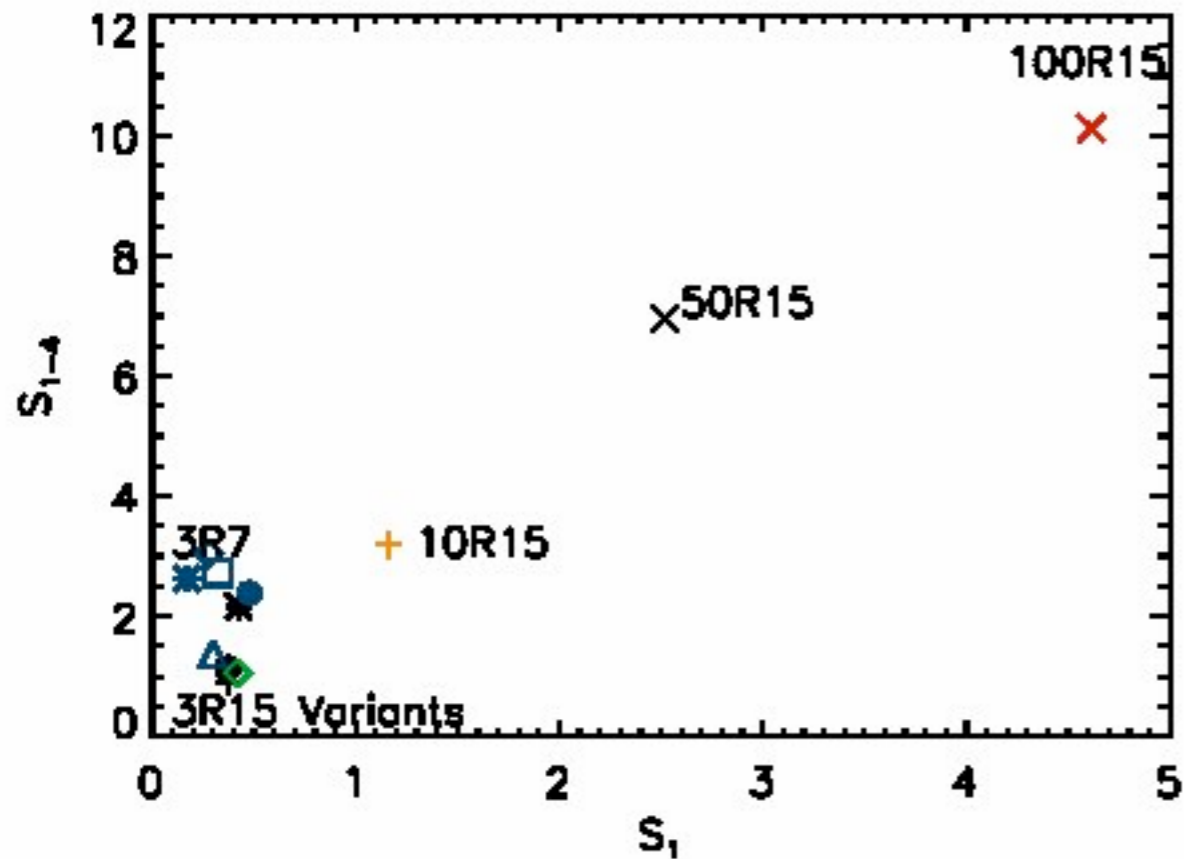
Variance Vs Variance



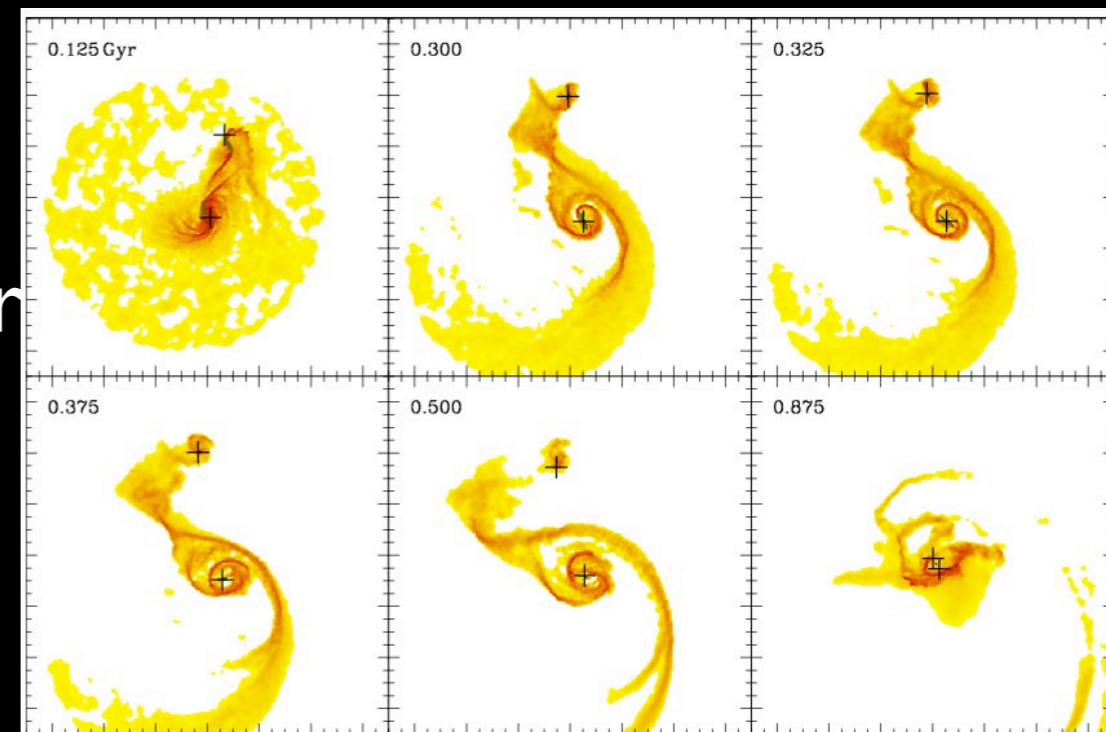
Best-fits -- close to origin on variance vs variance plot (S_1 - S_{1-4}), shown at best-fit time. “Variants” include varying initial conditions (ICs), interstellar medium (ISM), star formation prescription, orbital inclination, etc. Our estimate of M_s (1:3) close to observational numbers.

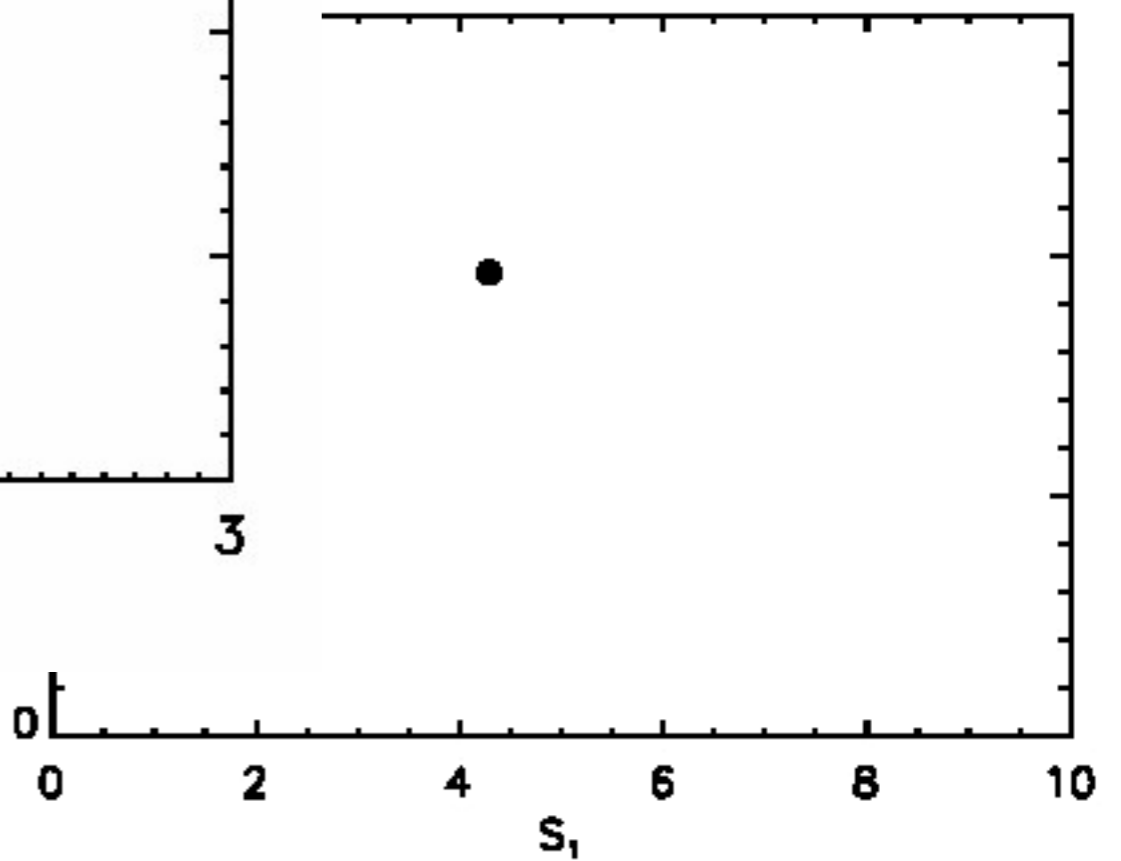
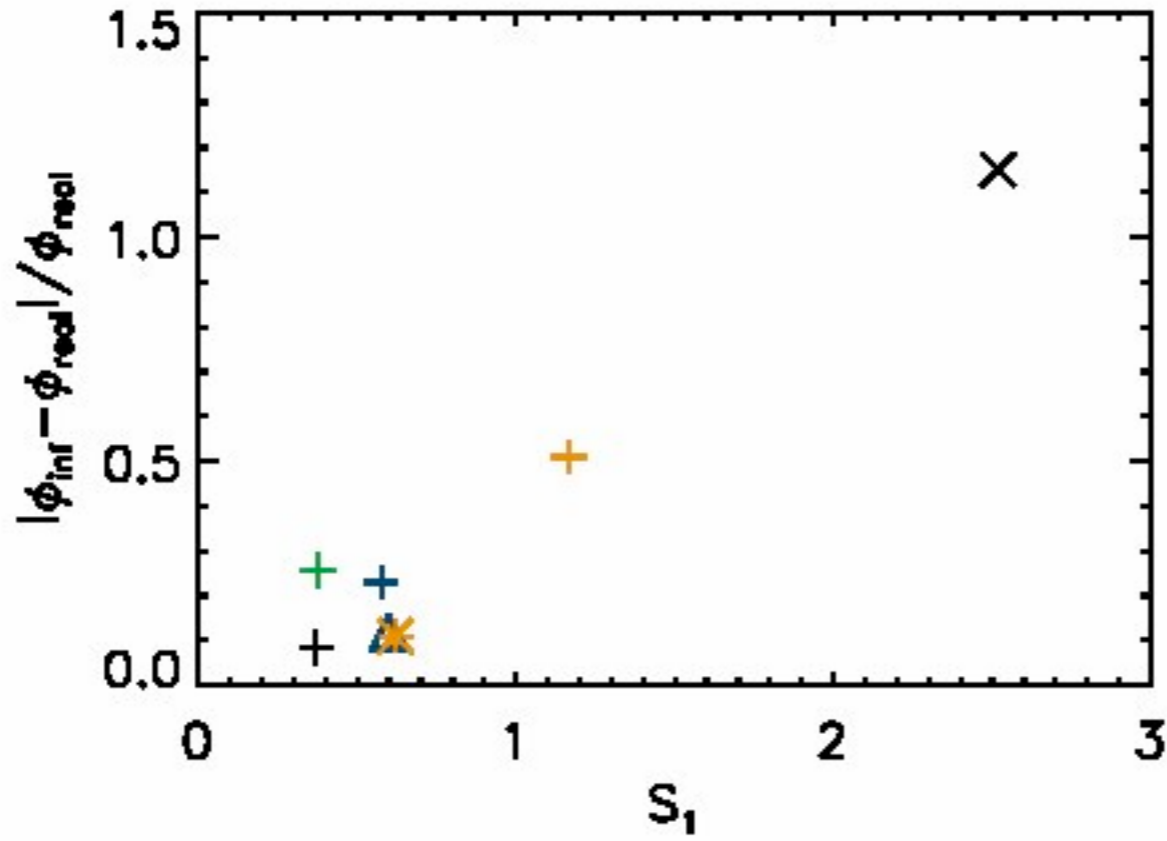
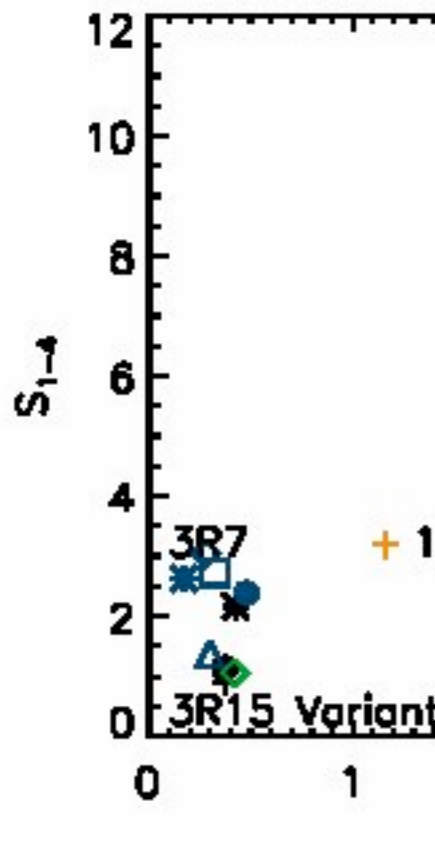


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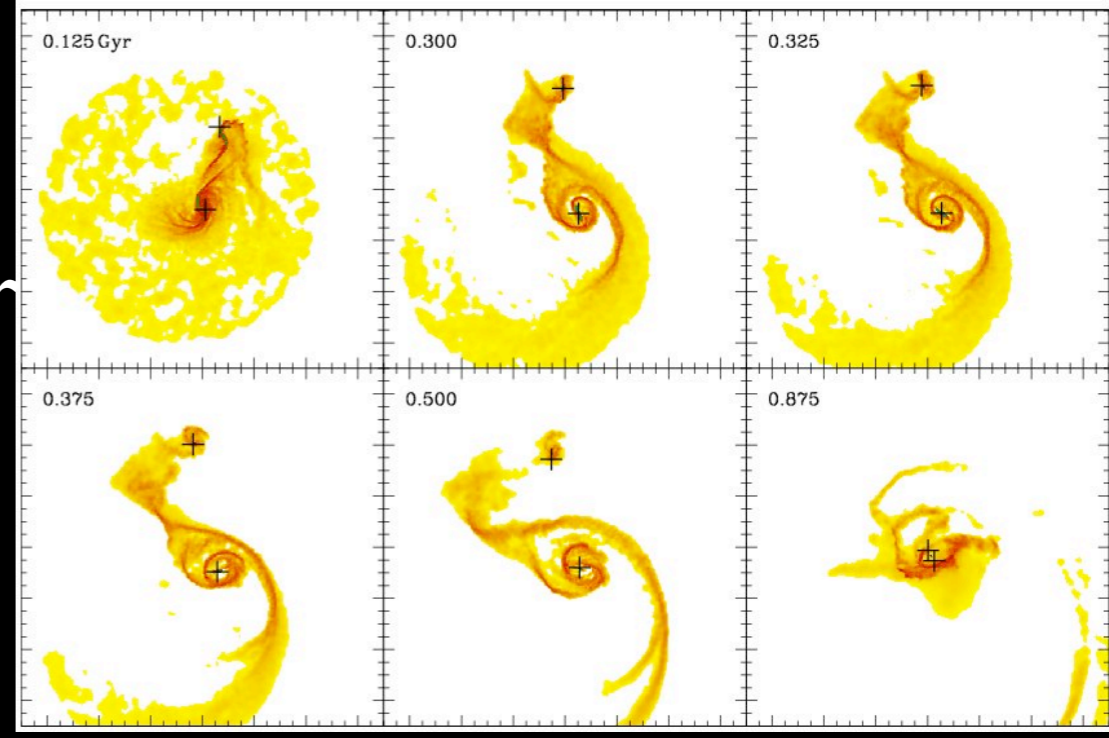


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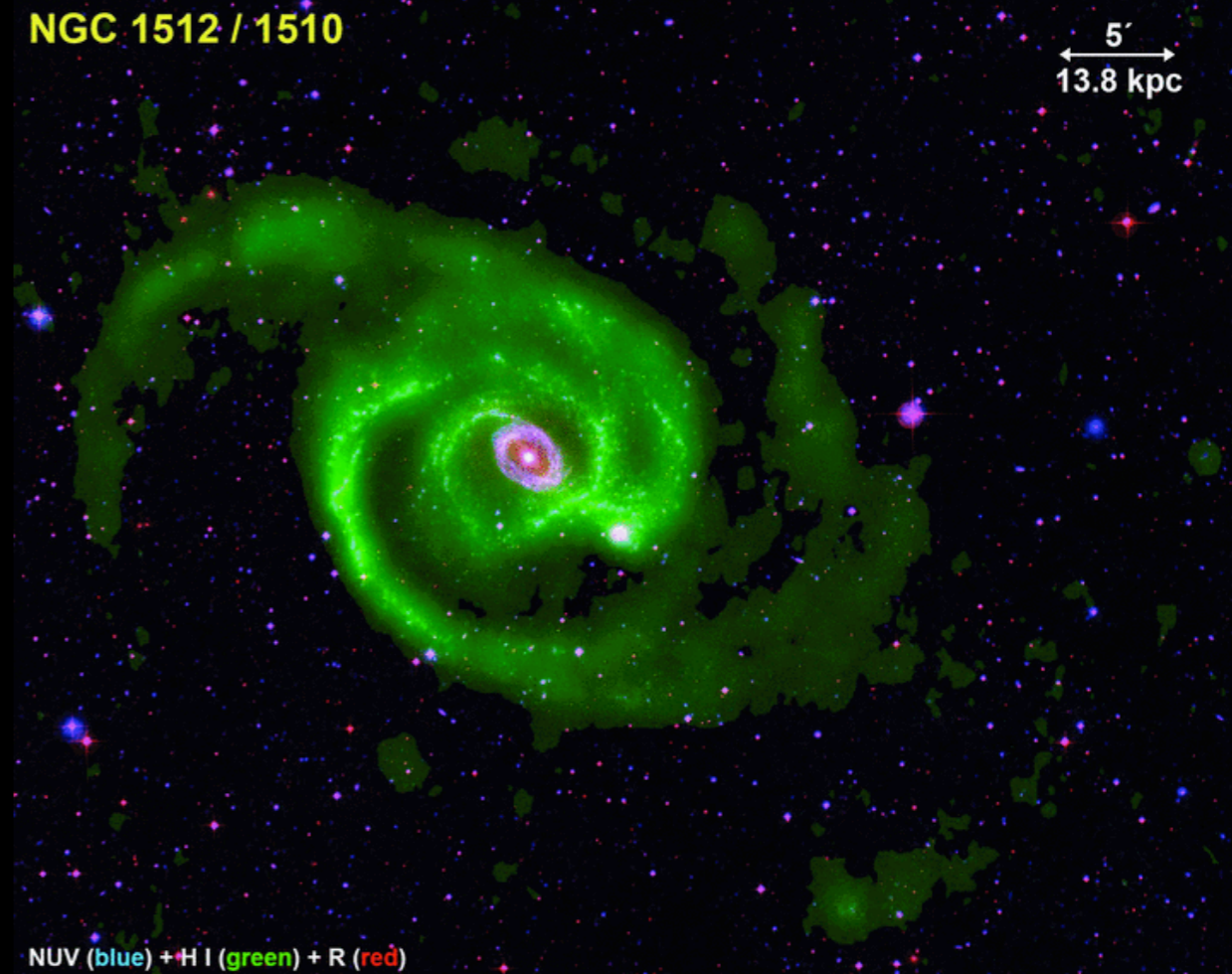
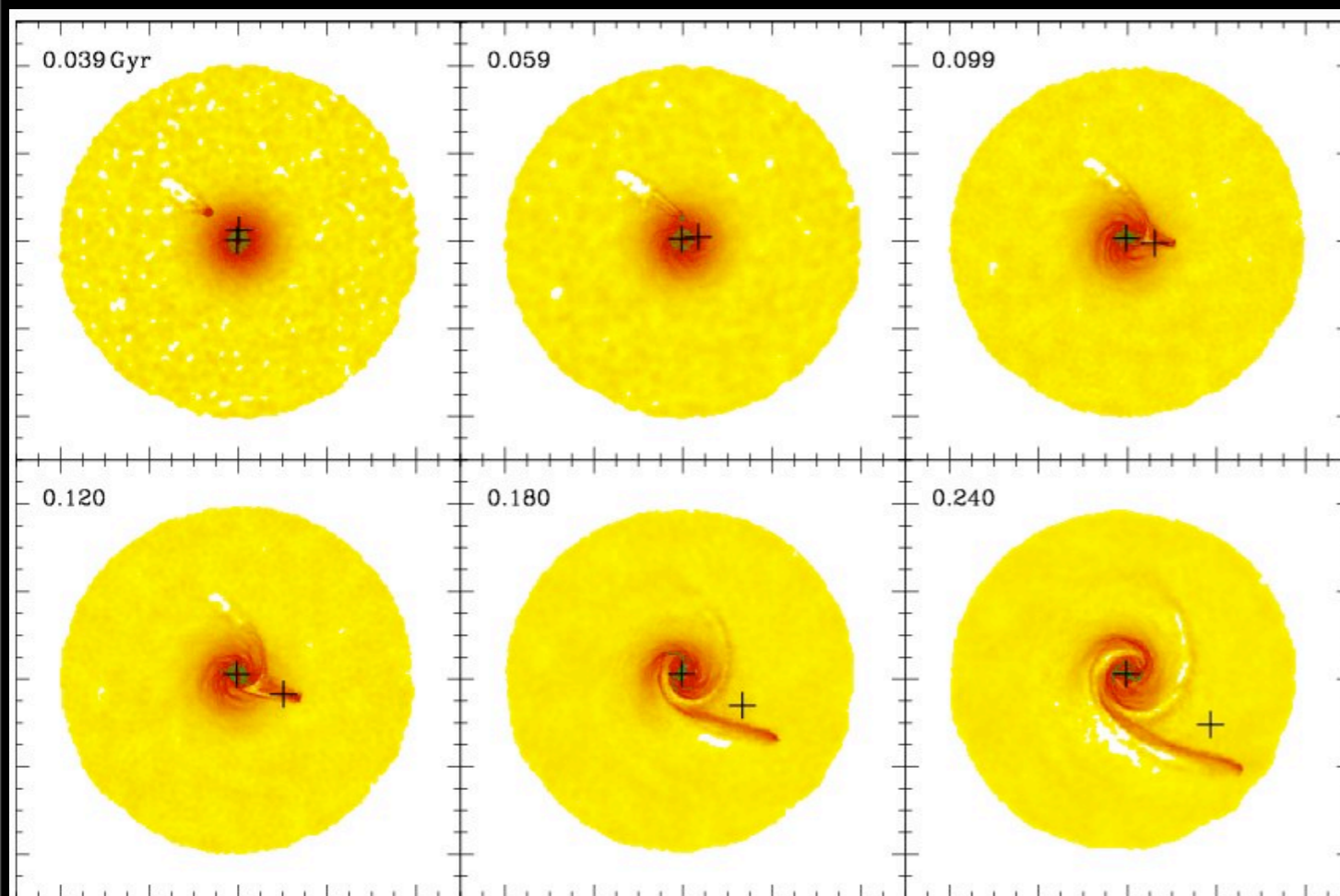




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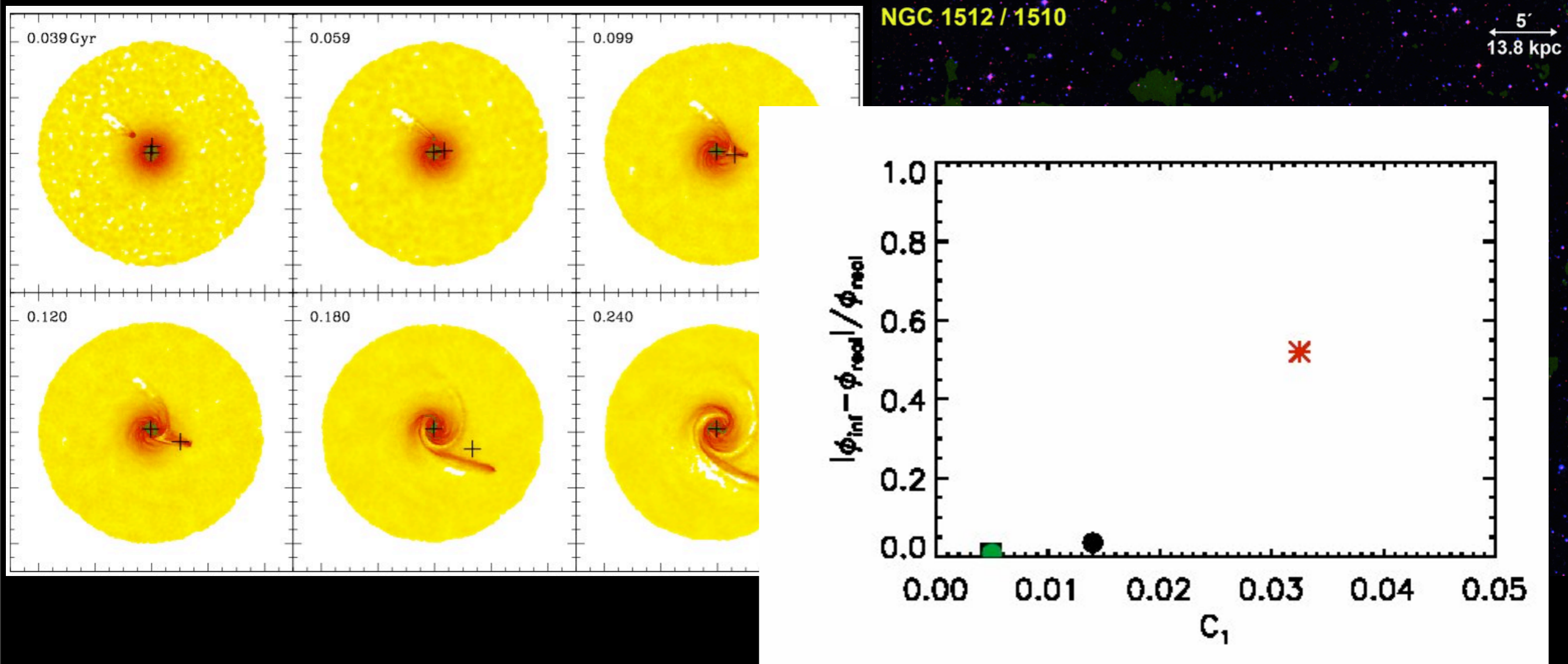


Galaxies with known optical companions contd.



- $\sim 1:100$ satellite, $R_{\text{peri}} = 7\text{kpc}$ (close agreement with Koribalski & Sanchez 09) (global fourier amplitudes)
- Method works for 1:3 - 1:100 mass ratio satellites

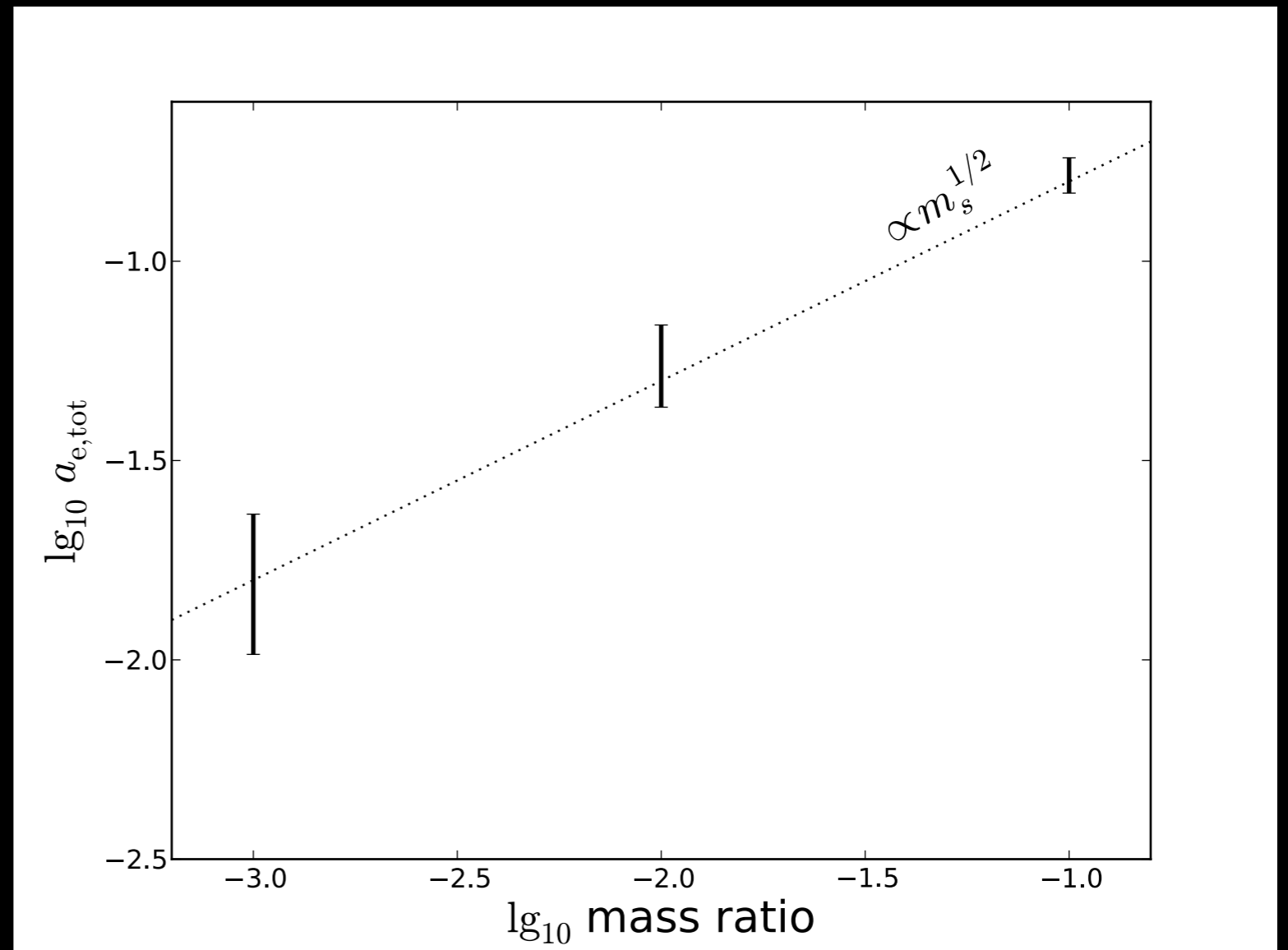
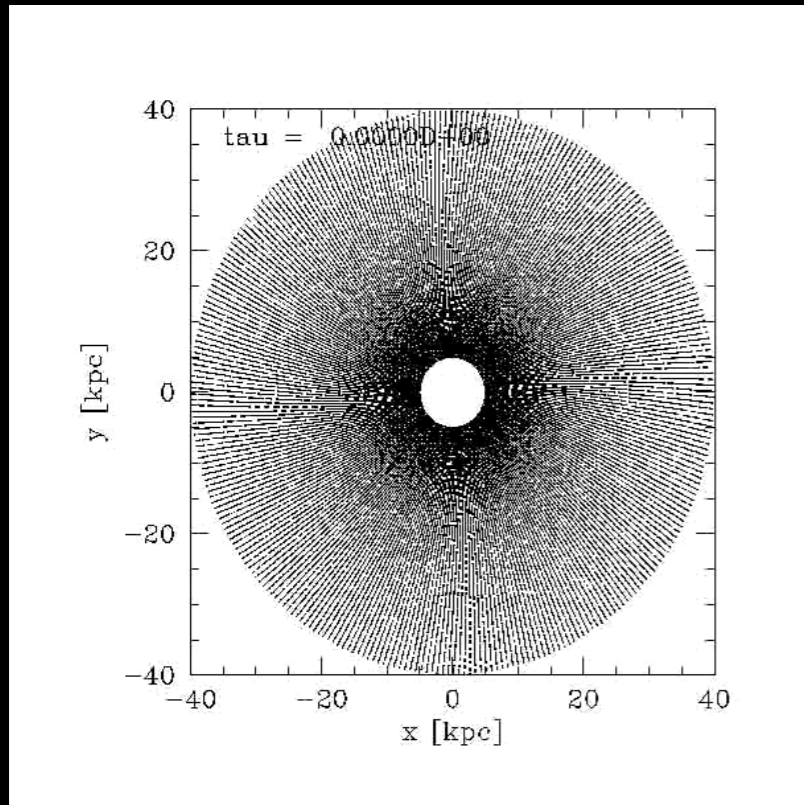
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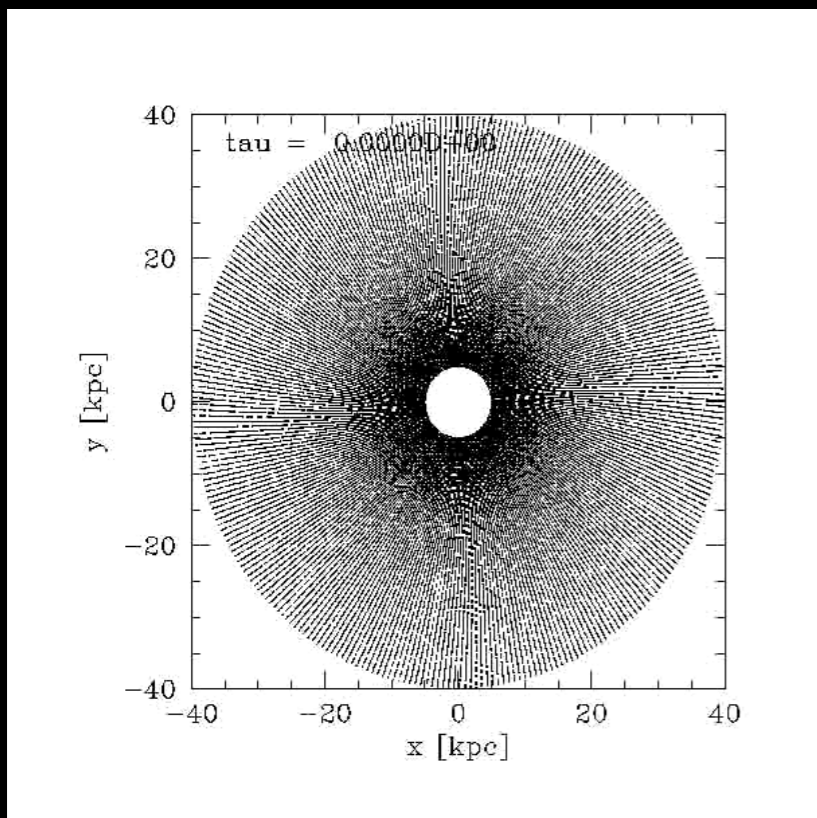
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A Simplified Approach

Test Particles

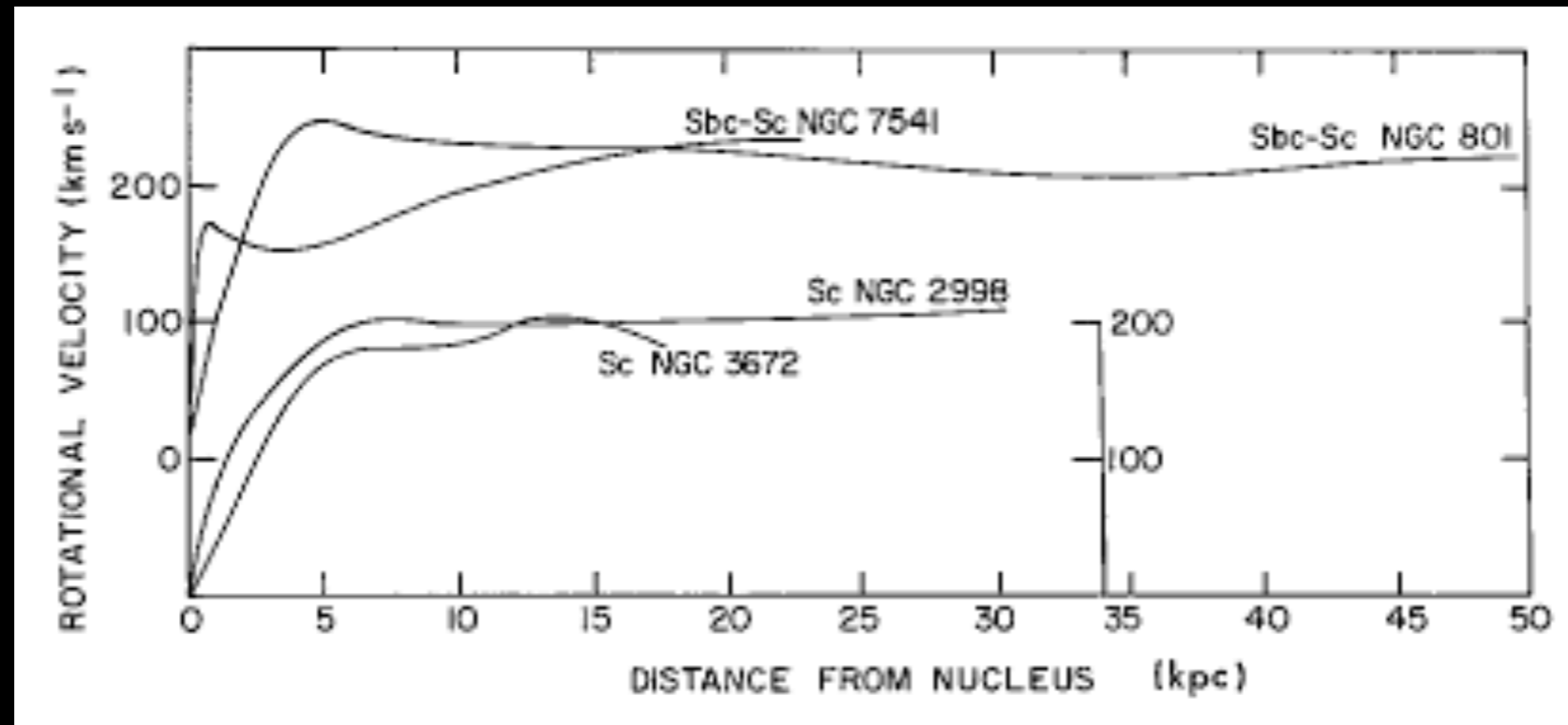


Mode Reconstruction



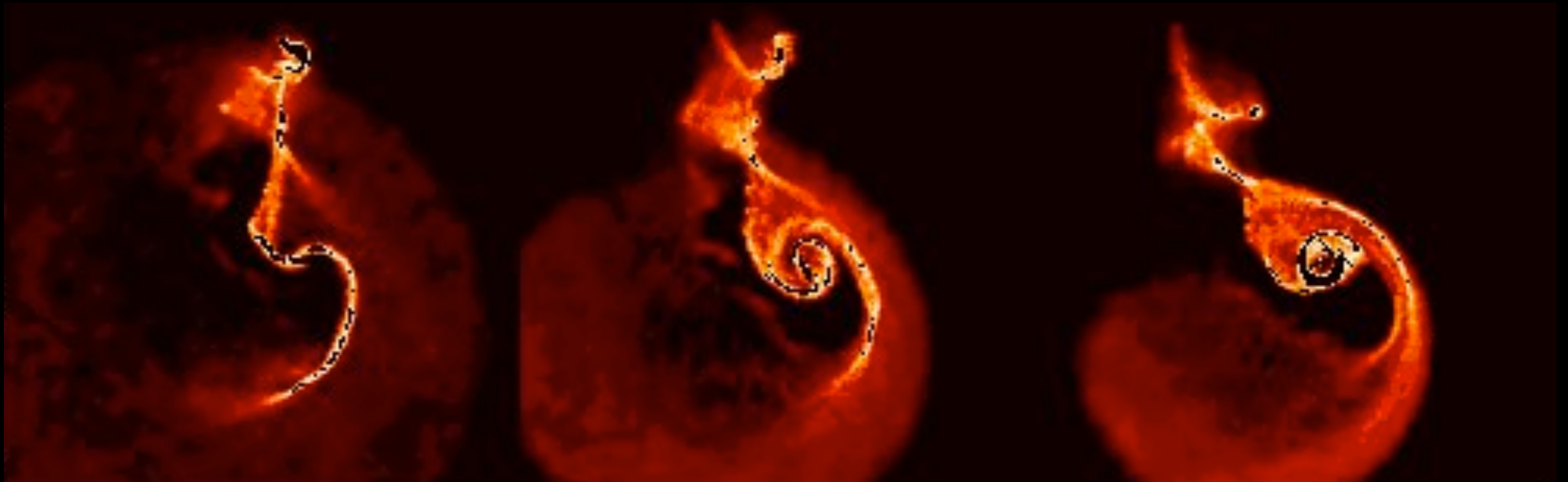
Fitting relations for satellite mass
from Fourier amplitudes
Chang & Chakrabarti 2011

Inferring the distribution of DM in galaxies



- Rotation curves -- infer the existence of dark matter halos in galaxies
- but how is it distributed? Theoretical N-body simulations find it should be (NFW):
$$\rho(r) = \delta_c \rho_c / [(r/R_s)(1+(r/R_s)^2)]$$
 ($\rho \propto r^{-1}$ for $r < R_s$ and $\propto r^{-3}$ for $r > R_s$)

how can we get the scale radius?



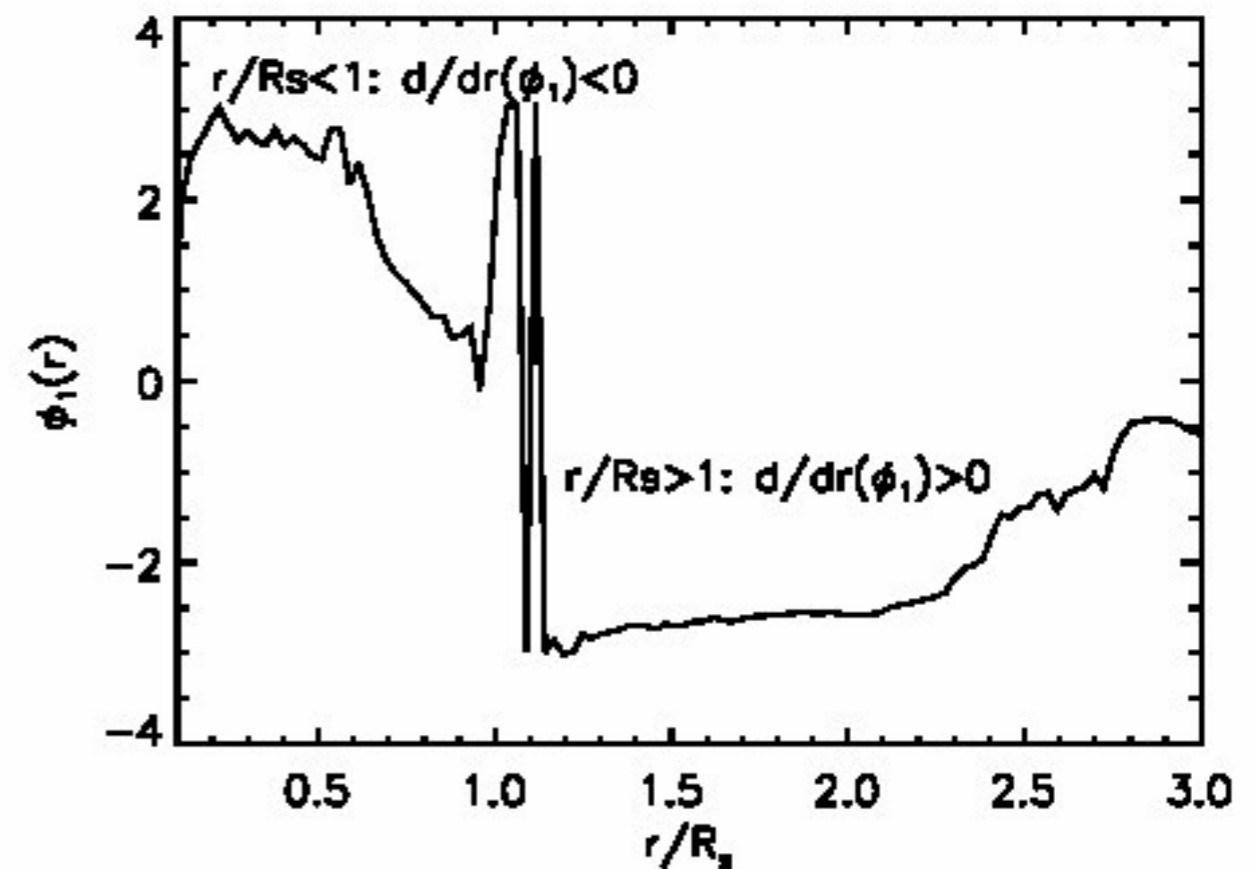
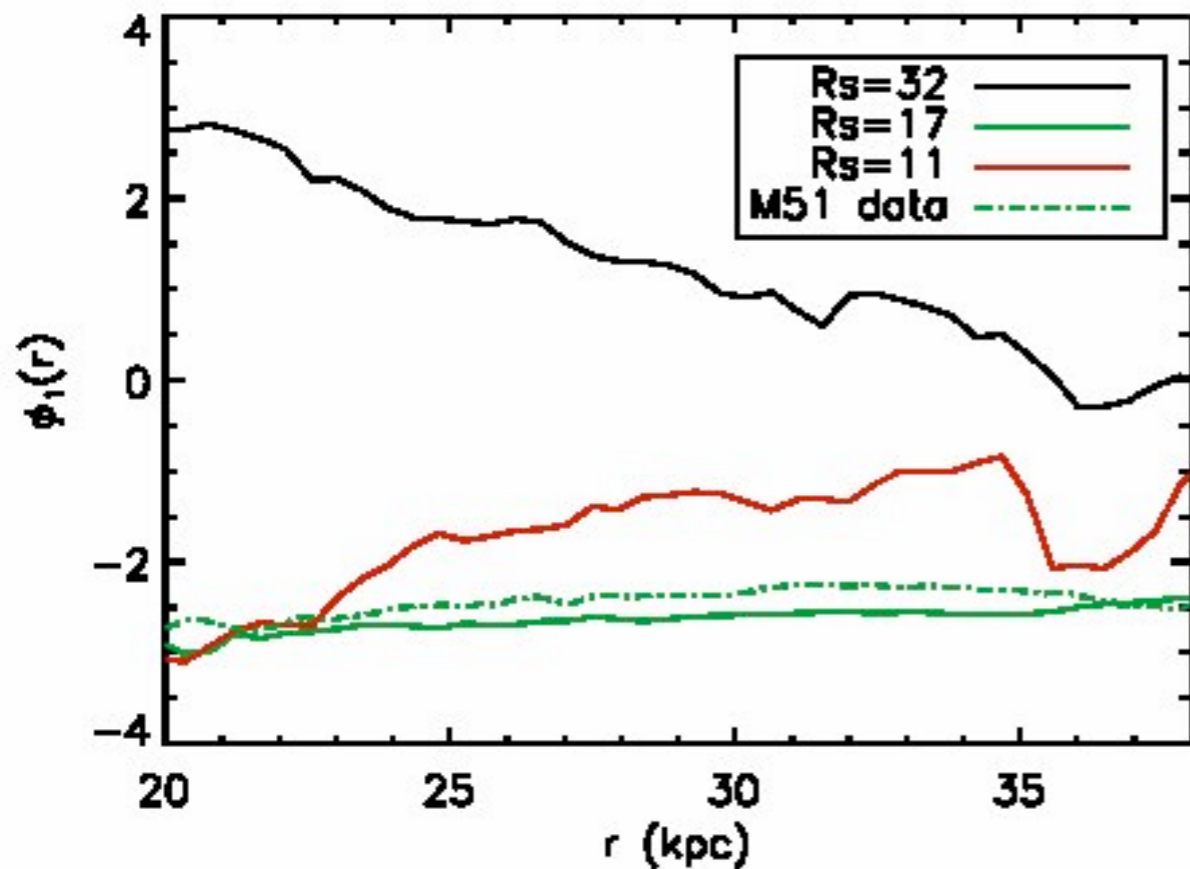
$R_s=32$ kpc

$R_s=17$ kpc

$R_s=11$ kpc

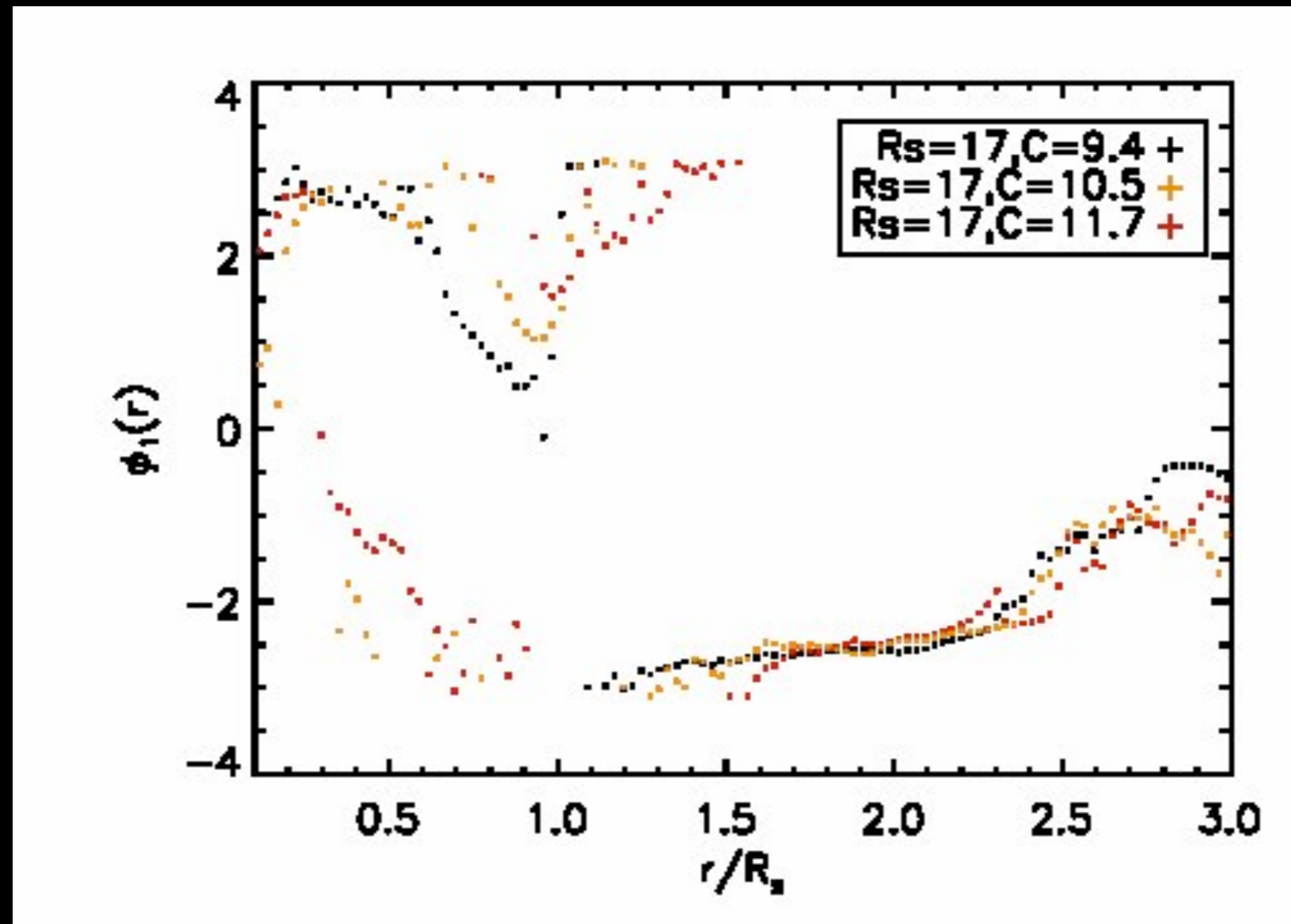
- build on previous results for M51. Use derived satellite mass and R_{peri} . Varying the density profile varies the potential depth and the resultant disturbances

Inferring the scale radius of the dark matter halo



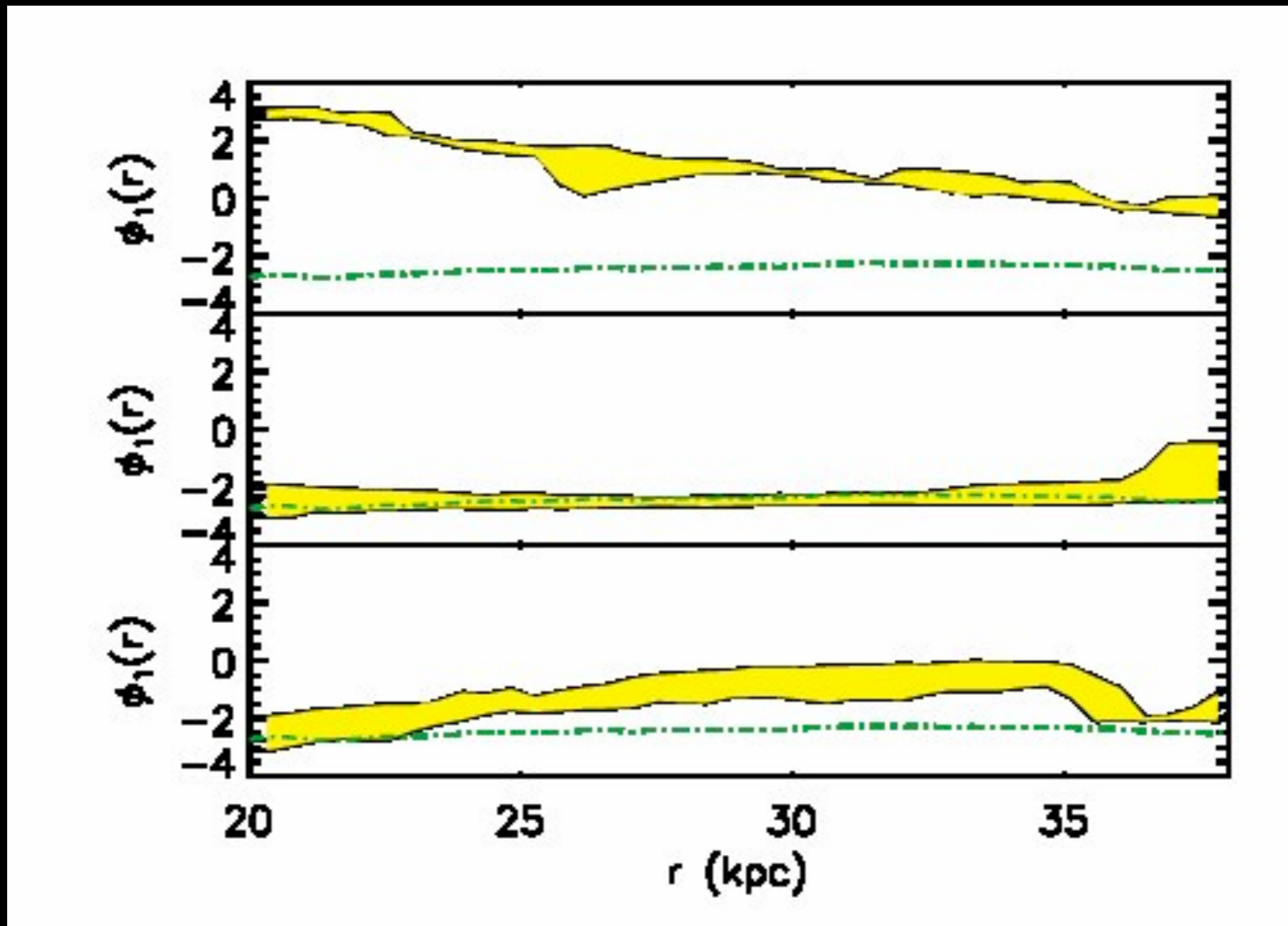
- Three distinct regimes: for $r < R_s$, $d\Phi/dr < 0$, for $r > R_s$, $d\Phi/dr > 0$, and for $r \sim R_s$, $d\Phi/dr$ transitions (Chakrabarti 2012, arXiv:1112.1416)

Inferring the scale radius



- if R_s is held constant, then different concentration values give nearly identical results for $r/R_s > 1$

Inferring the scale radius contd



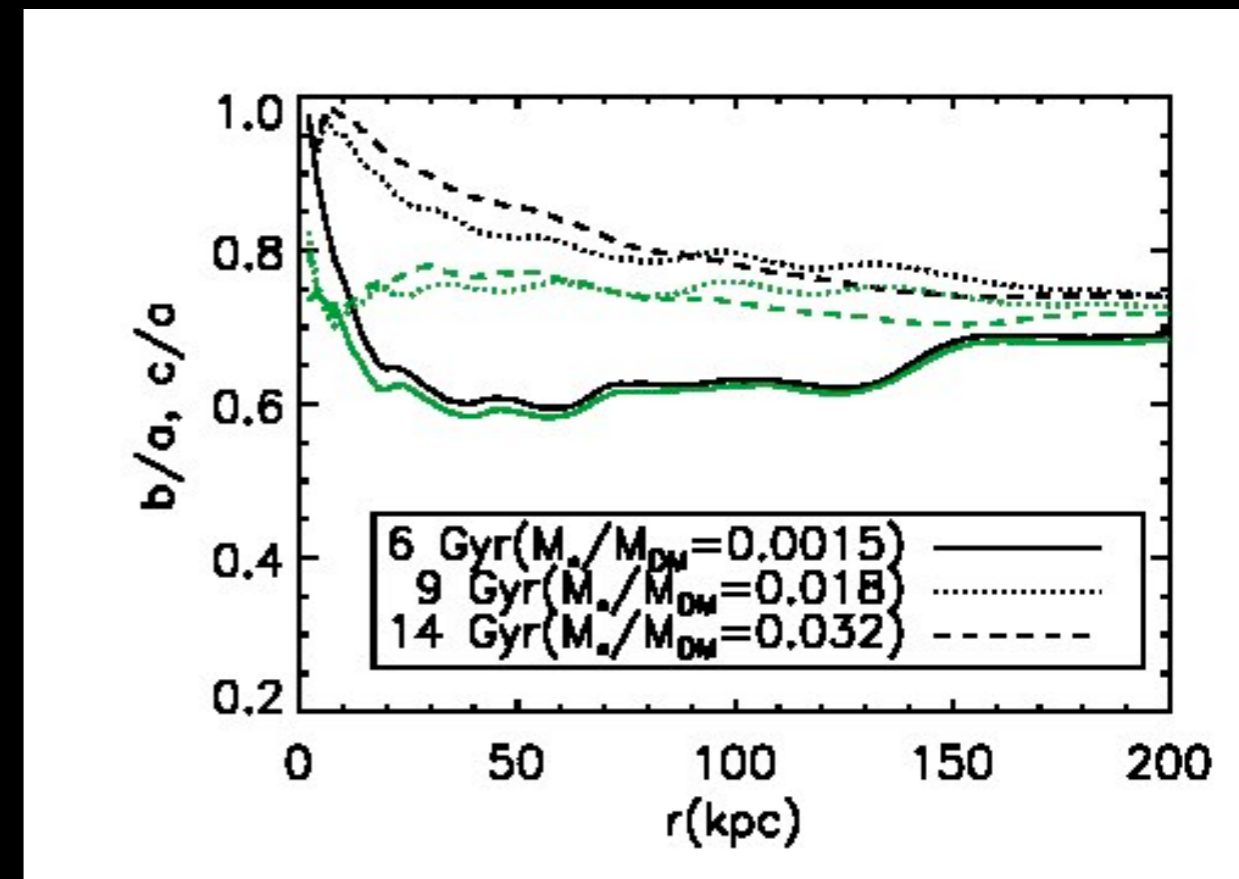
- phase does depend on other parameters (ICs: bulge fraction, gas fraction, orbital inclination), but the dependence is not very large (Chakrabarti 2012)

Will halo shapes affect our analysis?

- In general, yes. But disturbances in tidally interacting systems like M51 are dominated by the companion, not intrinsic processes.
- Cosmological sims (Maccio et al. 2008): DM halos are non-spherical ... but including a baryonic stellar disk makes halos rounder (Debattista et al. 2008). Including gas cooling in such sims (Debattista et al., in prep; Chakrabarti et al. in prep)

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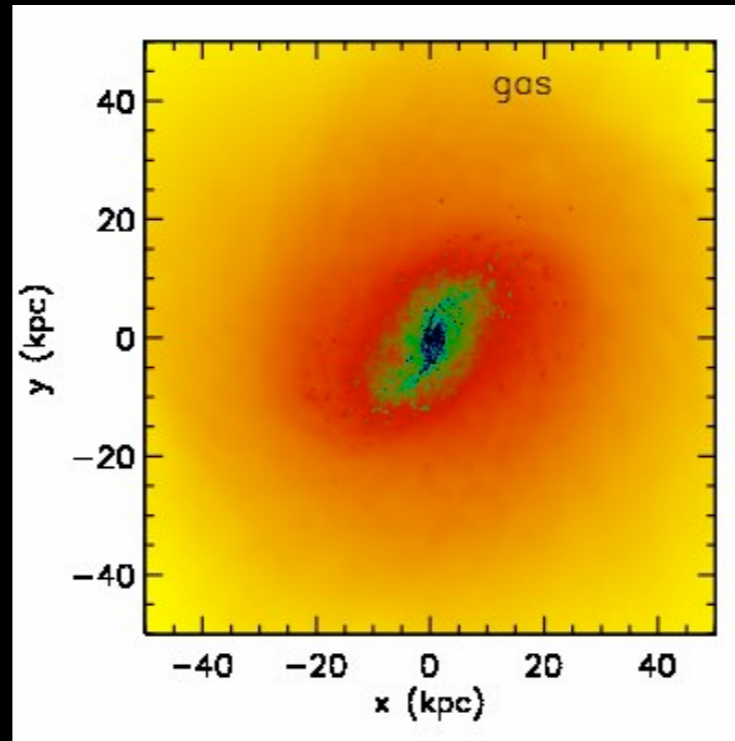


Halo shapes contd.

Fourier amplitudes of planar disturbances low in outskirts (less than 10 %) close to present day, but warp survives in some simulations (where gas and halo angular momenta are misaligned)

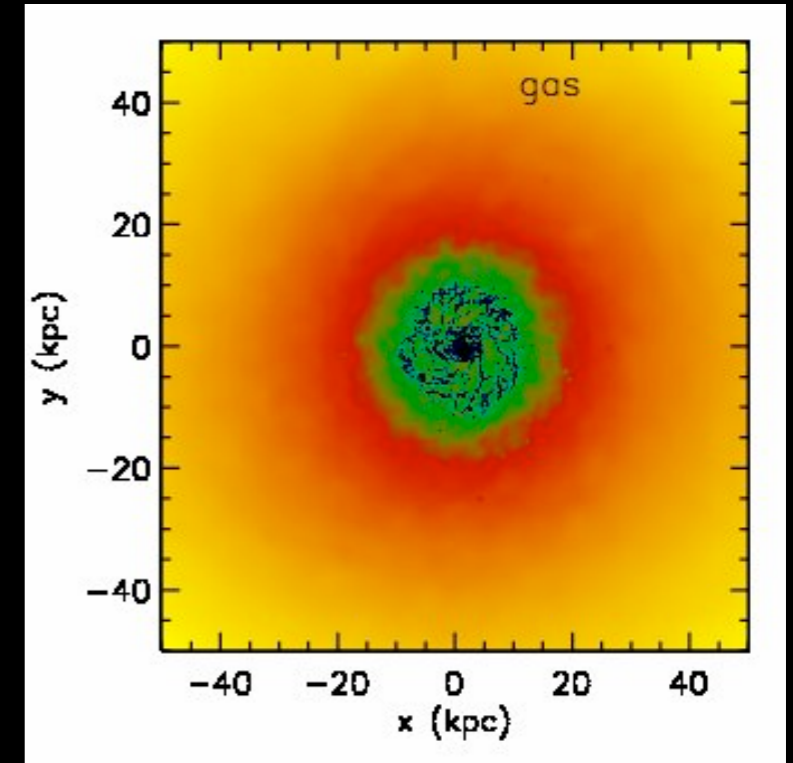
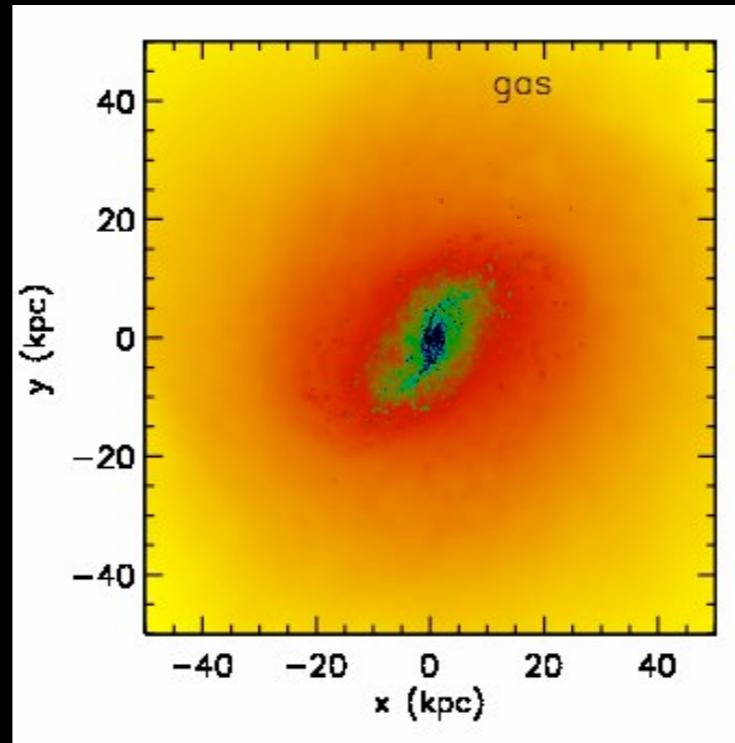
Halo shapes contd.

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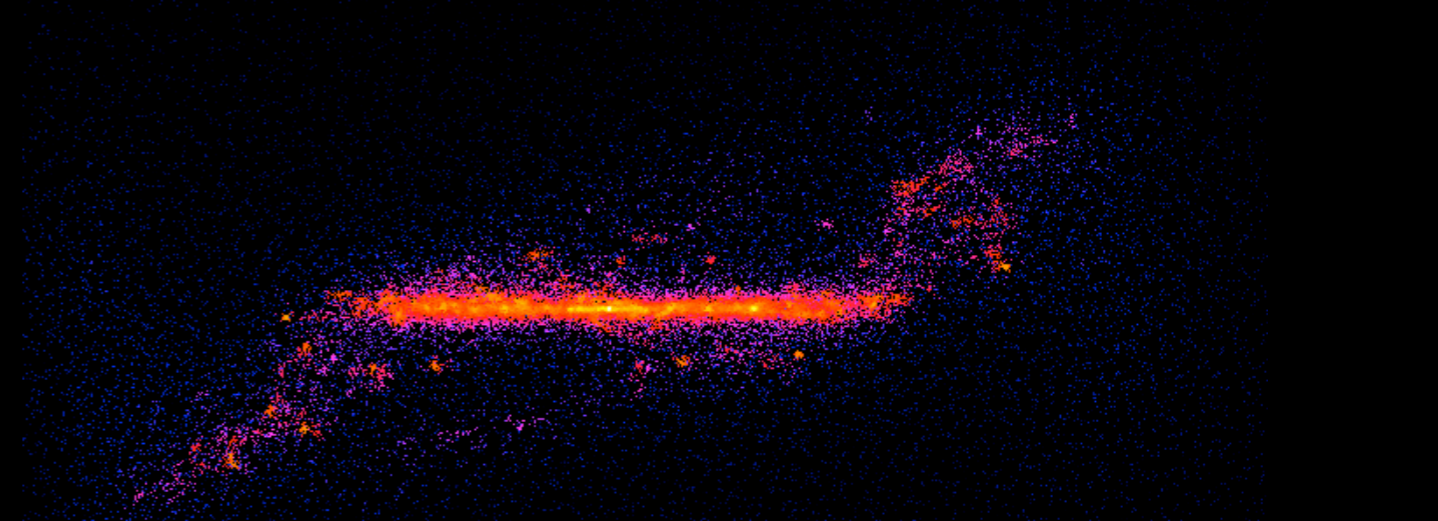
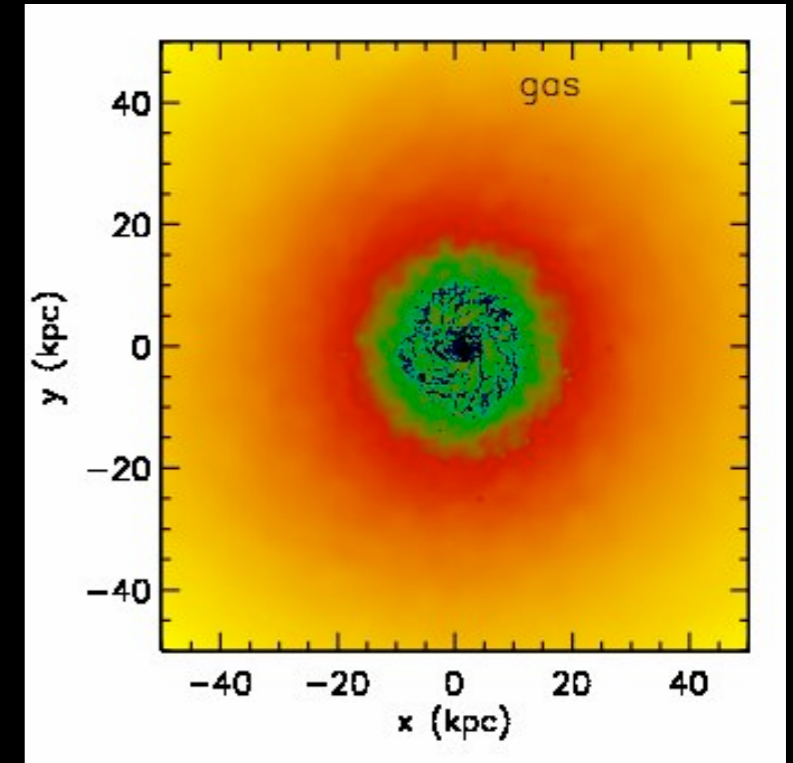
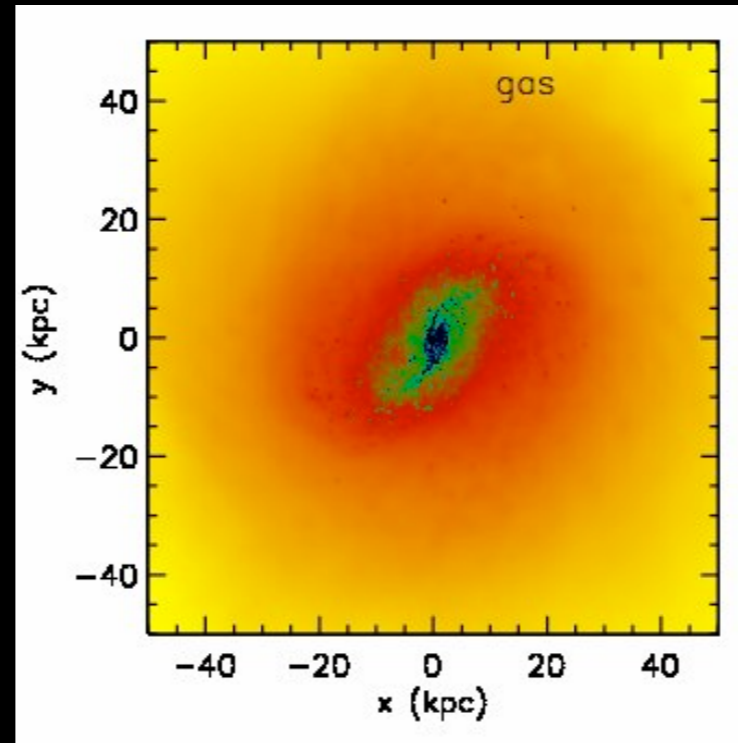
Halo shapes contd.

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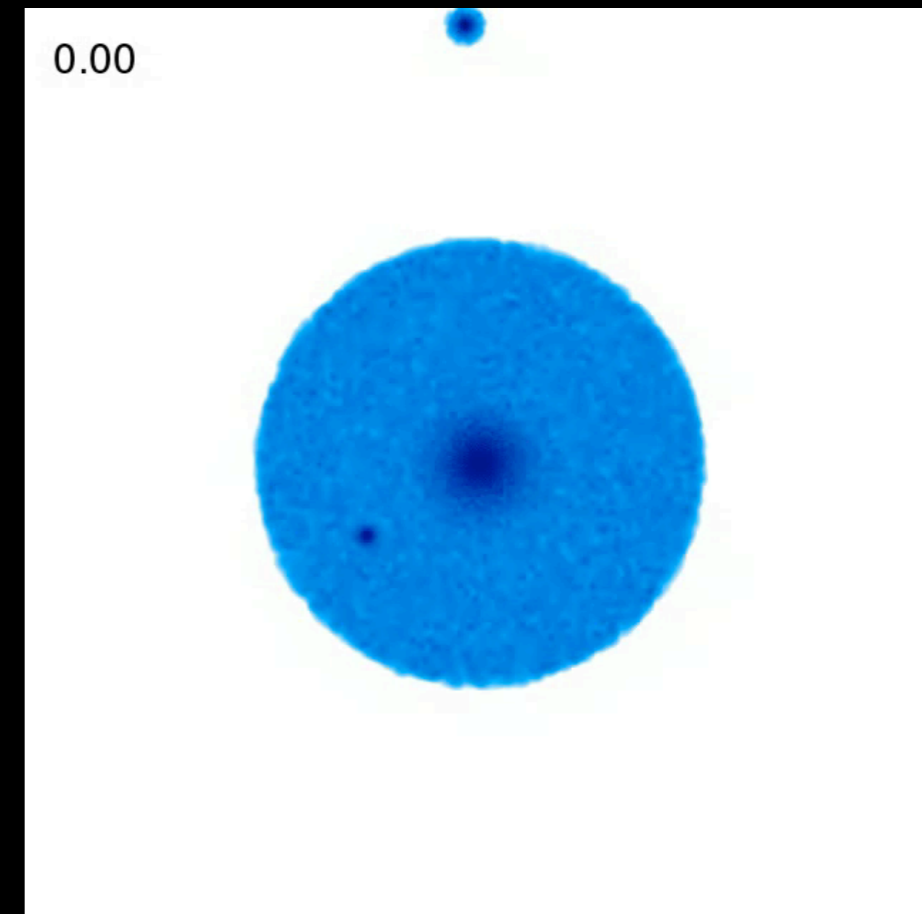
Halo shapes contd.

Fourier amplitudes of planar disturbances low in outskirts (less than 10 %) close to present day, but warp survives in some simulations (where gas and halo angular momenta are misaligned)



Future Work

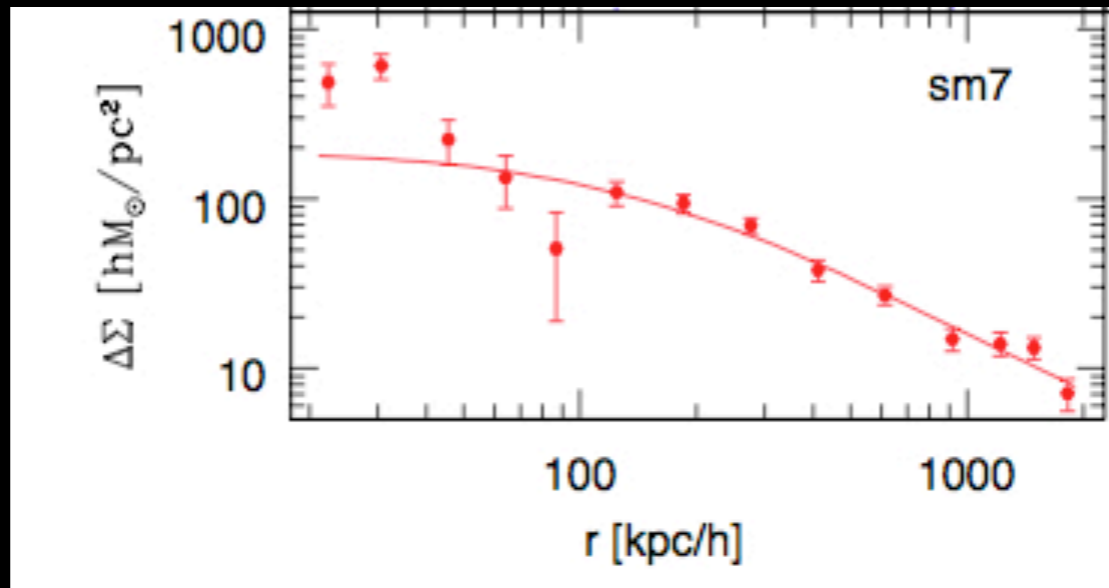
- Focus on low-order modes means that we study the larger scale disturbances
- Current & future work: effects of even smaller ($< 1:1000$) perturbers, and multiple perturbers on the *higher order modes*. M83 - multiple satellite model (Chakrabarti et al., in prep). Scaling relations for multiple satellites
- Lensing - Tidal Analysis comparison for cosmological hydrodynamical simulations



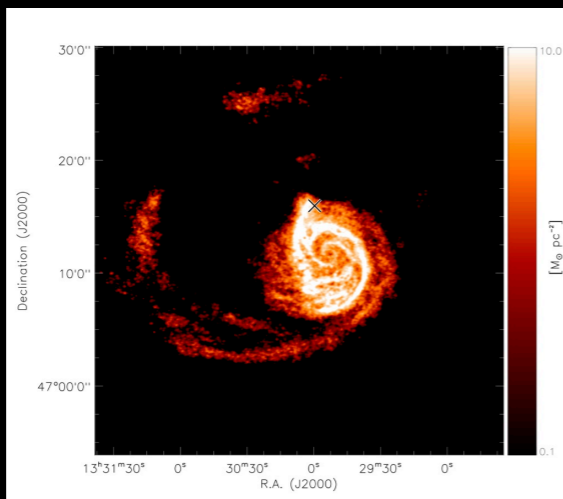
$N \sim 10^4$

N

$N \approx 1$

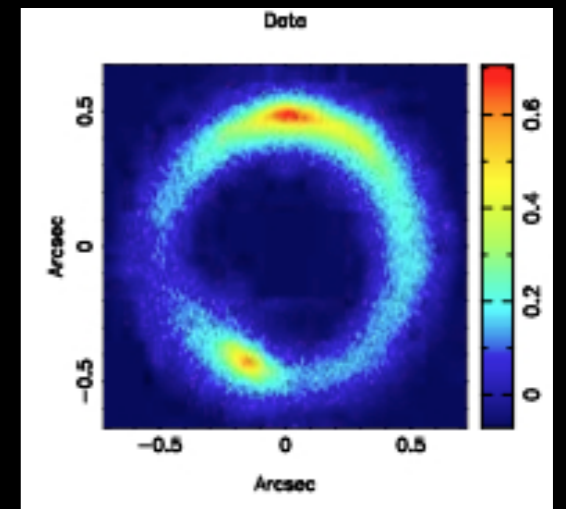


a) $z \sim 0.1$, $N \sim 10^4$
profiles in outskirts:
weak lensing
(Mandelbaum et al. 06)



b) Local volume
Tidal Analysis

Vegetti et al. 2012



$z=0.8$
c) sub-structure,
 $r < r_E$: strong lensing

z

Summary & Future

- Analysis of perturbations in cold gas on outskirts of galaxies: constrains mass, R , and azimuth of dark (or luminous) perturbers. **New method to characterize satellites (to see dark galaxies). Method tested for satellites with mass ratio: $\sim 1:100 - 1:3$. Extended to infer dark matter density profile of spirals.**
 - Extending to include multiple satellites and non-spherical halos
 - comparison to lensing

Summary & Future

Summary & Future

Coming Soon!

AAS topical conference series (TCS) meeting on:
“Probes of Dark Matter on Galaxy Scales”

July 2013

SOC: SC, Leo Blitz, Lars Hernquist, Manoj Kaplinghat, Chris Fassnacht, Rachel Mandelbaum, Jay Gallagher, Martin Weinberg