

Weighing the Milky Way



Does this dark matter halo make me look fat?

Mike Boylan-Kolchin
Center for Galaxy Evolution / UC Irvine

In Collaboration With:

James Bullock (UCI)

S. Tony Sohn, Roeland van der Marel (STScI)

Gurtina Besla (Columbia)

Steve Majewski (UVA)

AND WITH THANKS TO:

The Aquarius, Via Lactea, and GHALO collaborations

Why should you care about M_{MW} ?

And why is “ $\sim 10^{12} M_{\text{sun}}$ ” not good enough?

Note: virial mass defined with respect to $95 \rho_{\text{crit}}$ throughout

Why should you care about M_{MW} ?

And why is “ $\sim 10^{12} M_{\text{sun}}$ ” not good enough?

- Virial mass estimates range from $\sim (0.5-3) \times 10^{12} M_{\text{sun}}$ -- result in very different expectations for galaxy formation models

Note: virial mass defined with respect to $95 \rho_{\text{crit}}$ throughout

Why should you care about M_{MW} ?

And why is “ $\sim 10^{12} M_{\text{sun}}$ ” not good enough?

- Virial mass estimates range from $\sim (0.5-3) \times 10^{12} M_{\text{sun}}$ -- result in very different expectations for galaxy formation models
- Example: baryonic content of the MW
 - if $M_{\text{vir}} \sim 7e11$, most or all of MW's baryons are accounted for by observations
 - if $M_{\text{vir}} \sim 2e12$, most of the MW's baryons are “missing”
- Example: satellite galaxy abundance
 - satellite galaxy abundance scales \sim linearly with M_{vir} , so interpretation of potential small scale issues depends on M_{MW}

Note: virial mass defined with respect to $95 \rho_{\text{crit}}$ throughout

Tracers of the MW's potential

Tracers of the MW's potential

- stars (BHB, RR Lyrae): large numbers out to ~ 50 kpc, density falls off quickly at larger radii (Xue et al. 2008, Gnedin et al. 2010, Deason et al. 2012)

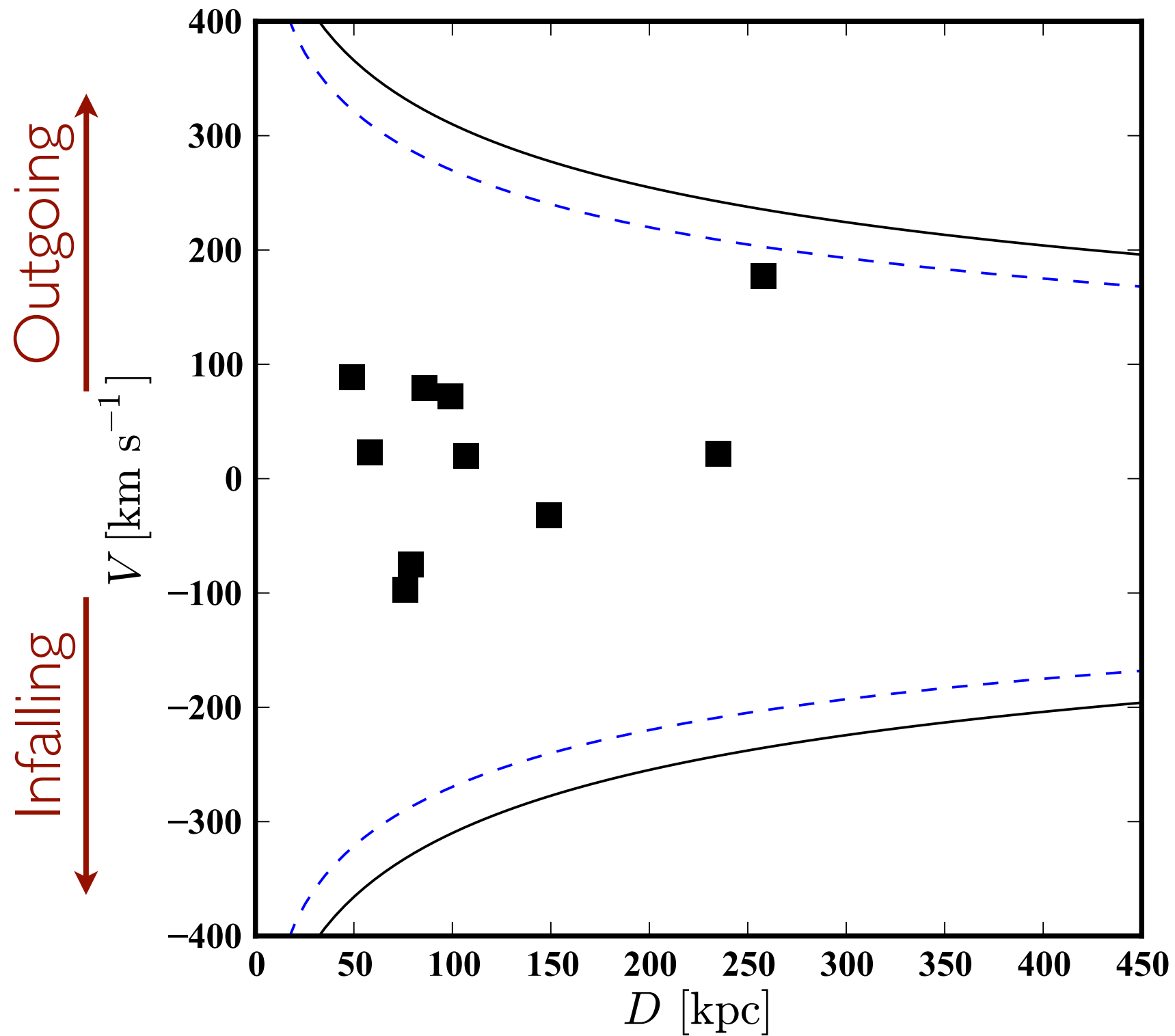
Tracers of the MW's potential

- stars (BHB, RR Lyrae): large numbers out to ~ 50 kpc, density falls off quickly at larger radii (Xue et al. 2008, Gnedin et al. 2010, Deason et al. 2012)
- gas: forget about it

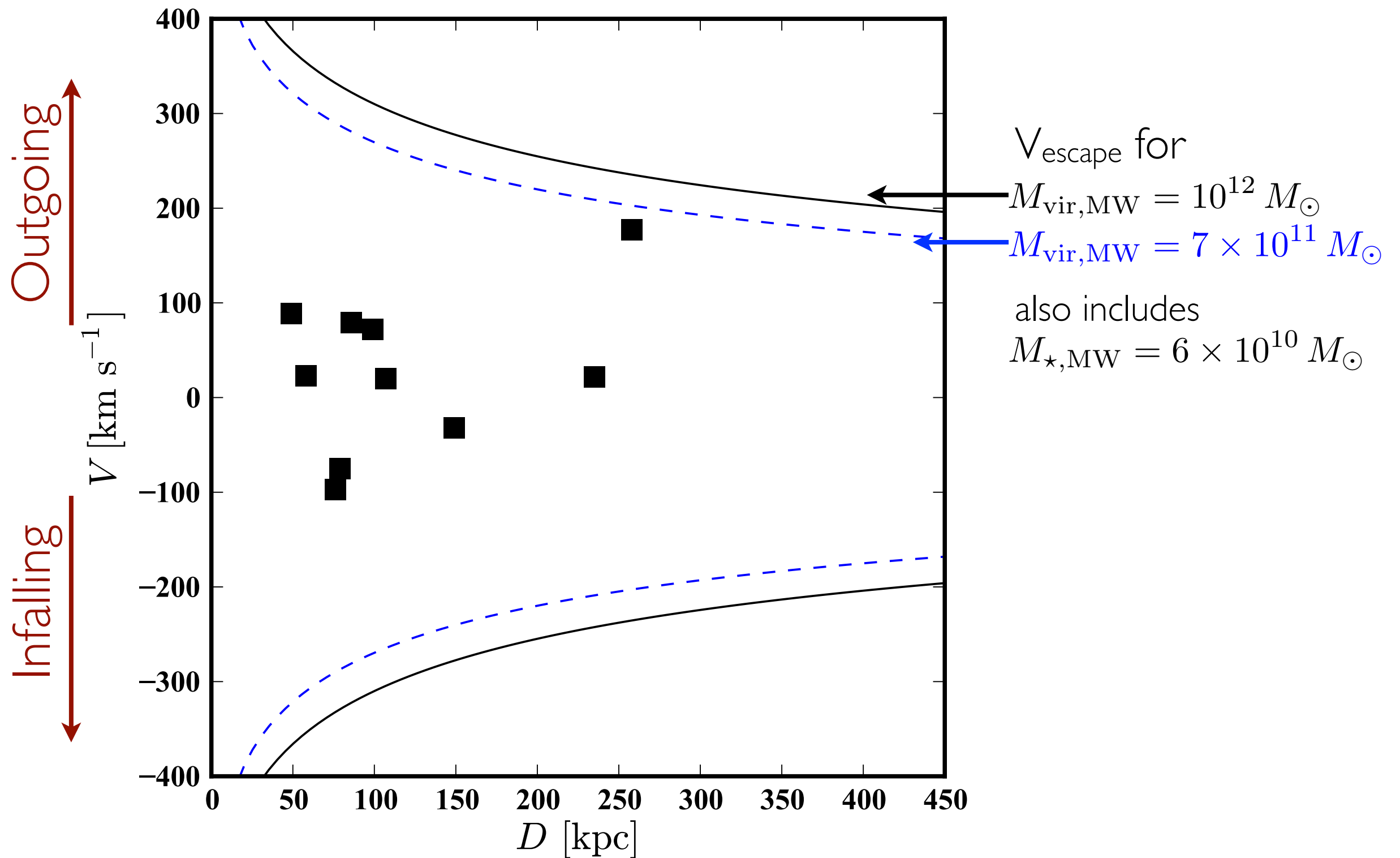
Tracers of the MW's potential

- stars (BHB, RR Lyrae): large numbers out to ~ 50 kpc, density falls off quickly at larger radii (Xue et al. 2008, Gnedin et al. 2010, Deason et al. 2012)
- gas: forget about it
- satellite galaxies: small number, but can be studied in detail
 - ▶ *Magellanic Clouds*: $D=50-60$ kpc, likely on first infall. Models reproducing the Clouds' orbit and production of the Magellanic Stream can constrain MW mass
 - ▶ *Leo I*: distant ($D=260$ kpc) and fast-moving ($V_r \sim 175$ km/s) classical dSph satellite (stellar mass $\sim 5 \times 10^6 M_{\text{sun}}$, half-light radius of ~ 400 pc). Plays the largest role of all satellites in constraining the MW mass, but is it bound?

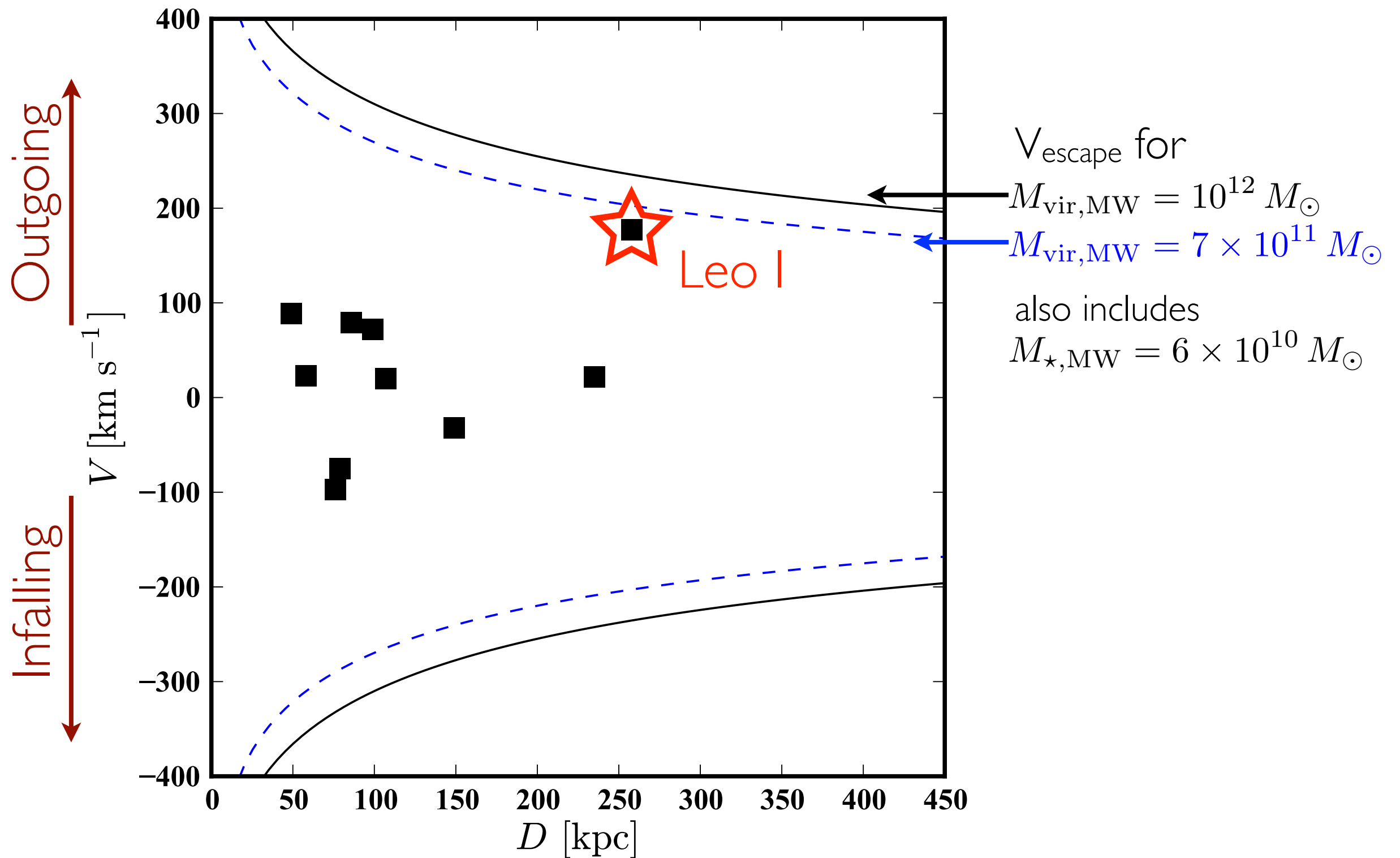
Radial velocities of the classical MW satellites



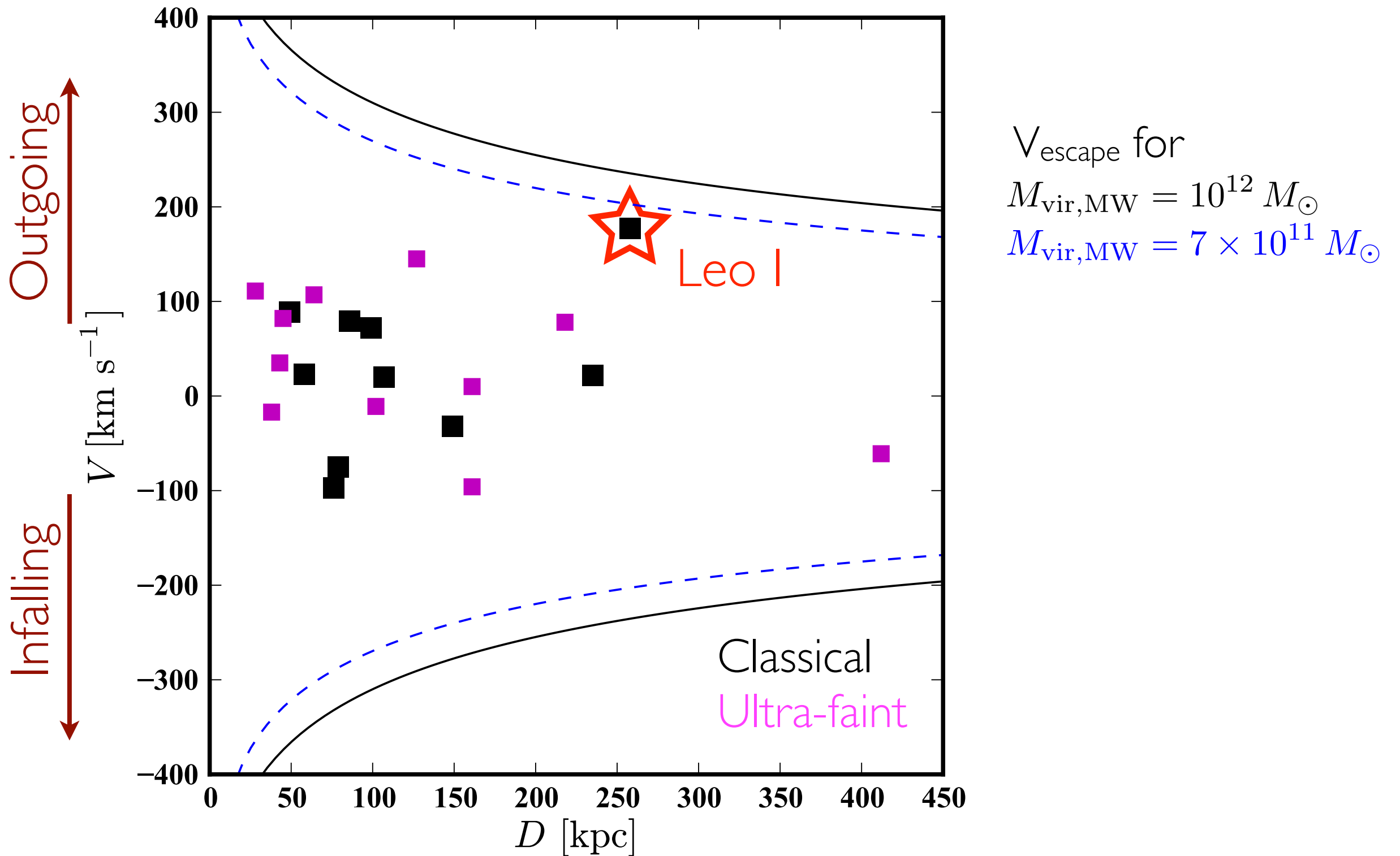
Radial velocities of the classical MW satellites



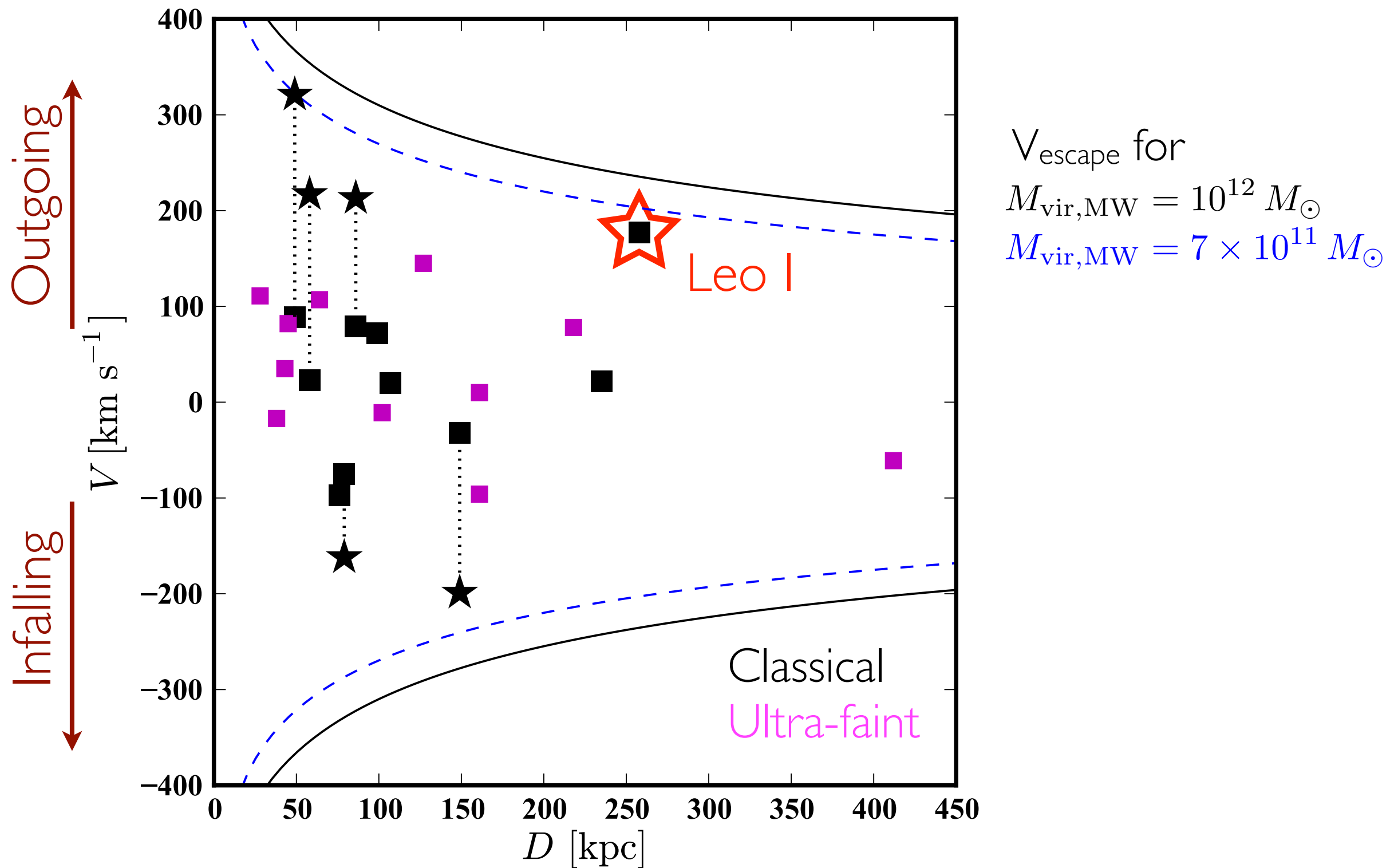
Radial velocities of the classical MW satellites



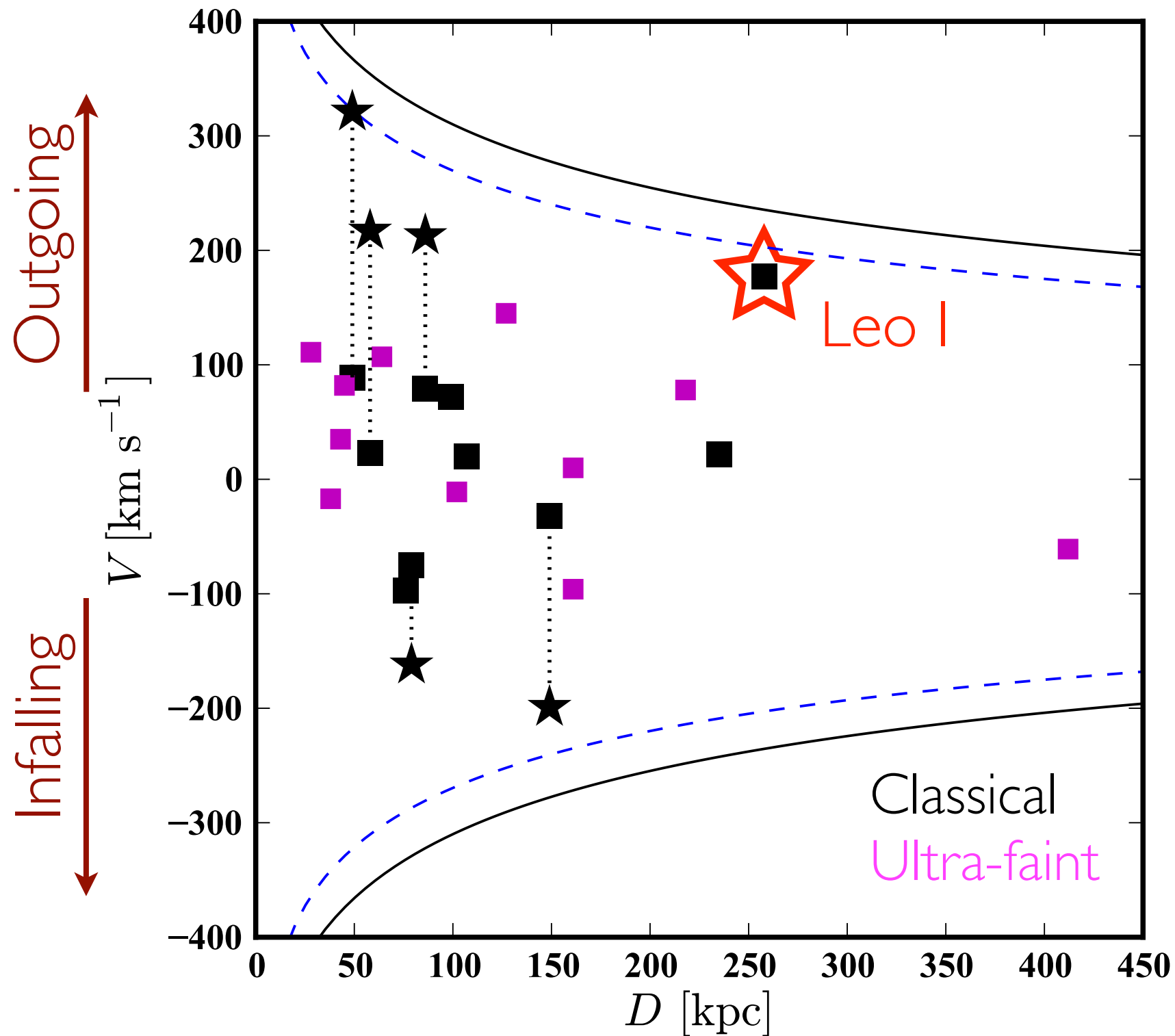
Radial velocities of the MW satellites



In terms of 3D velocity



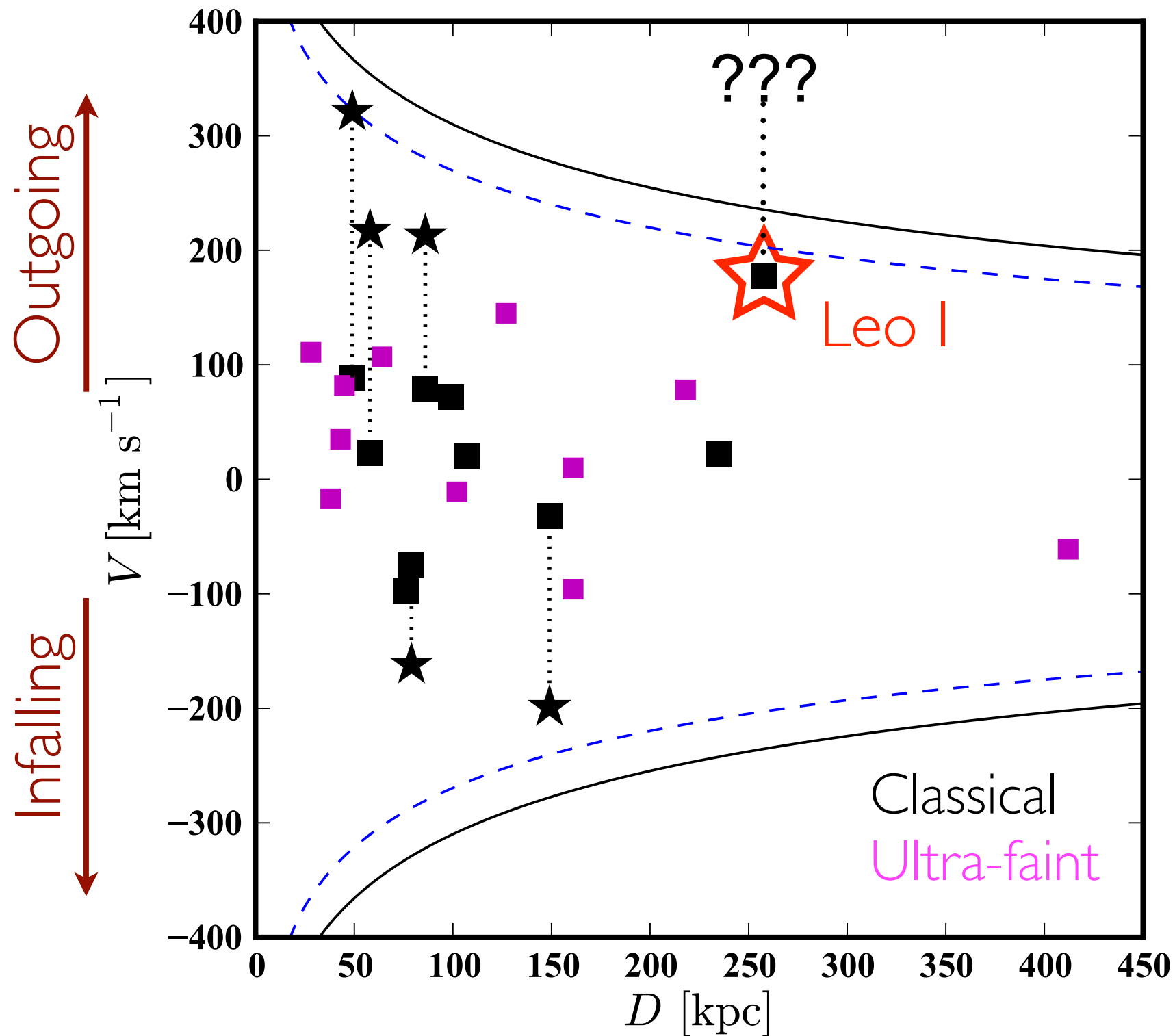
In terms of 3D velocity



V_{escape} for
 $M_{\text{vir,MW}} = 10^{12} M_{\odot}$
 $M_{\text{vir,MW}} = 7 \times 10^{11} M_{\odot}$

All satellites with well-measured proper motions have $V_{\text{tan}} > V_r$ (!!)

In terms of 3D velocity



V_{escape} for
 $M_{\text{vir,MW}} = 10^{12} M_{\odot}$
 $M_{\text{vir,MW}} = 7 \times 10^{11} M_{\odot}$

All satellites with well-measured proper motions have $V_{\text{tan}} > V_r$ (!!)

Measuring Leo I's proper motion

- Proper motion measurements usually use background quasars; Anderson, Mahmud van der Marel, & Sohn developed a technique to use background *galaxies* instead (recently used for M31 proper motion).
- requires accurate astrometry for both stars in Leo I, background galaxies
- measurement using HST/ACS with 5 year baseline:

$$(\mu_W, \mu_N) = (114.0 \pm 29.5, 16.6 \pm 29.3) \mu\text{as yr}^{-1}$$

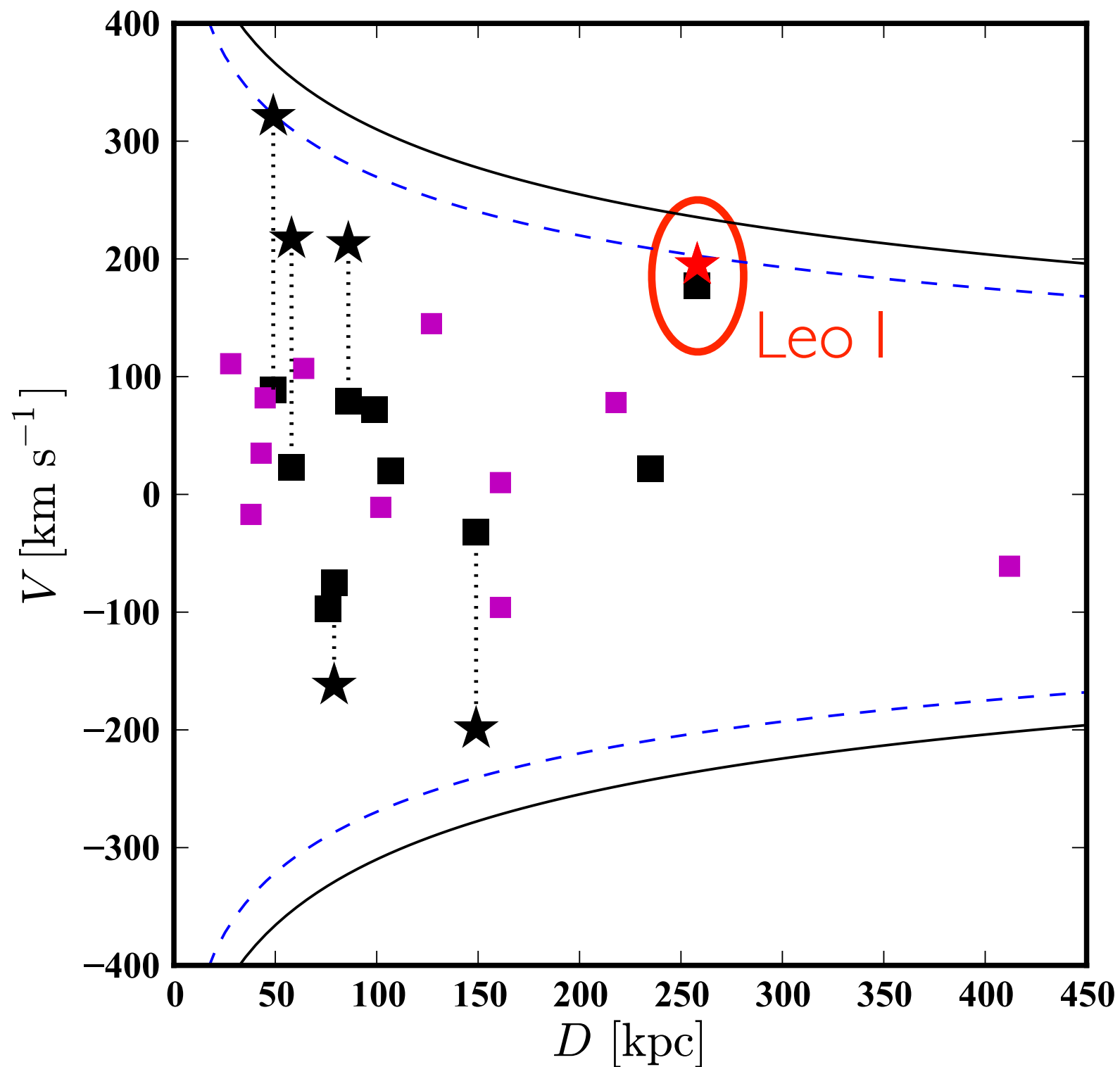
- In “more useful” units:

$$V_{\text{rad}} = 160 \text{ km s}^{-1}$$

$$V_{\text{tan}} = 34.4 \text{ km s}^{-1}$$

$$V_{\text{tot}} = 179^{+21.7 (+45.8)}_{-17.1 (-21.7)} \text{ km s}^{-1}$$

In terms of 3D velocity

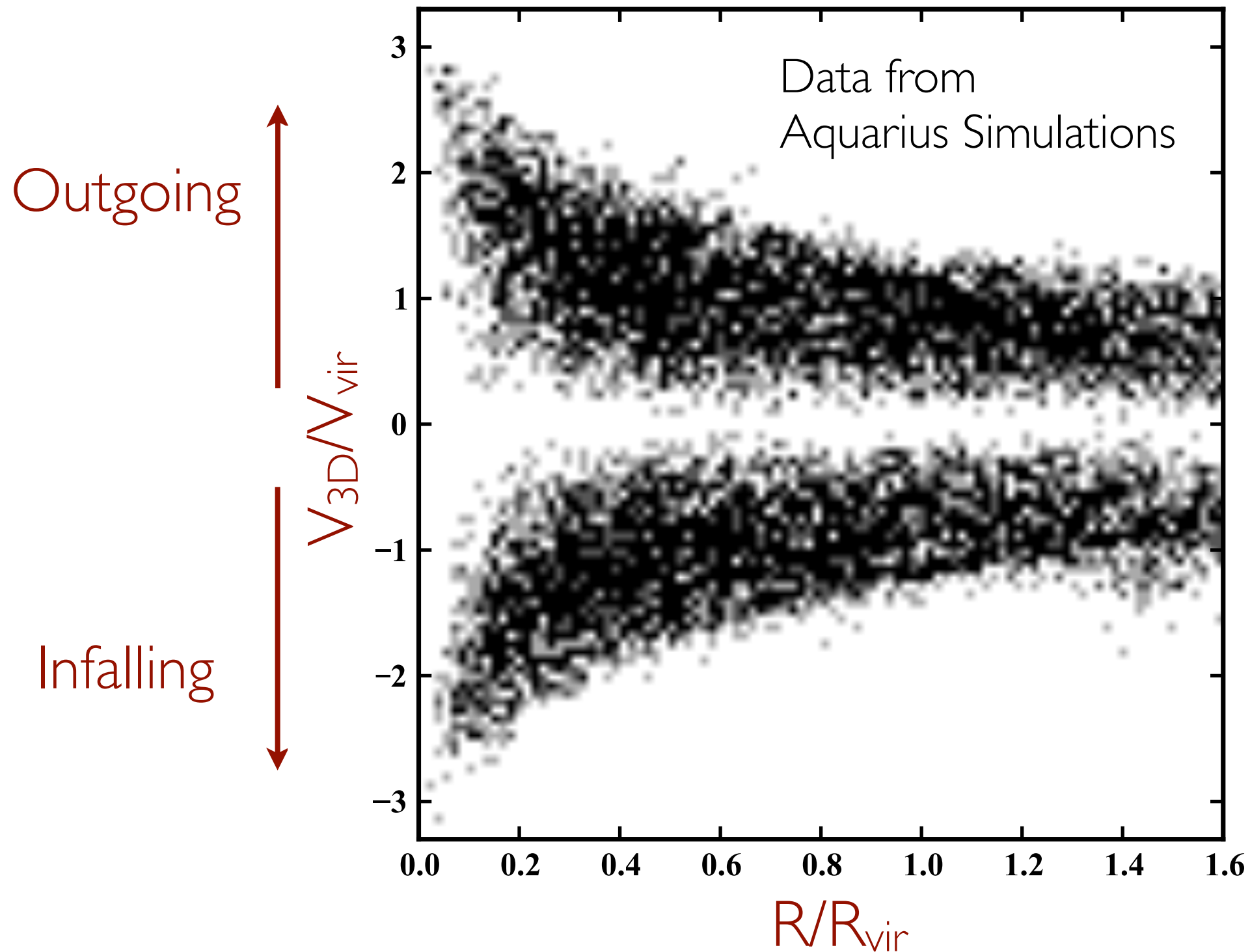


V_{escape} for
 $M_{\text{vir,MW}} = 10^{12} M_{\odot}$
 $M_{\text{vir,MW}} = 7 \times 10^{11} M_{\odot}$

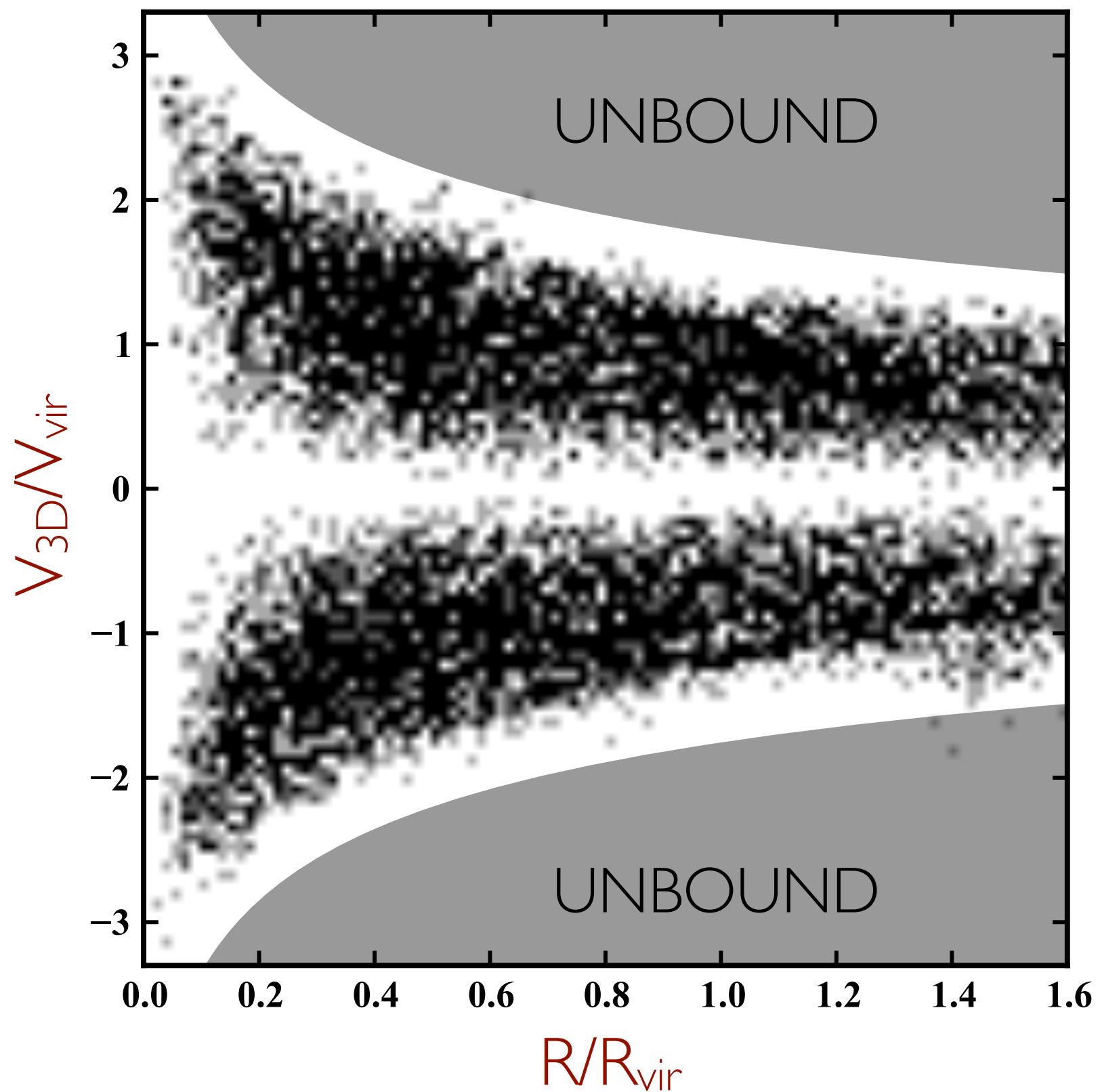
Leo I:
 $V_{\text{rad}} = 170$ km/s
 $V_{\text{tan}} = 101$ km/s
 $V_{3D} = 196$ km/s

What does this mean for the MW virial mass?

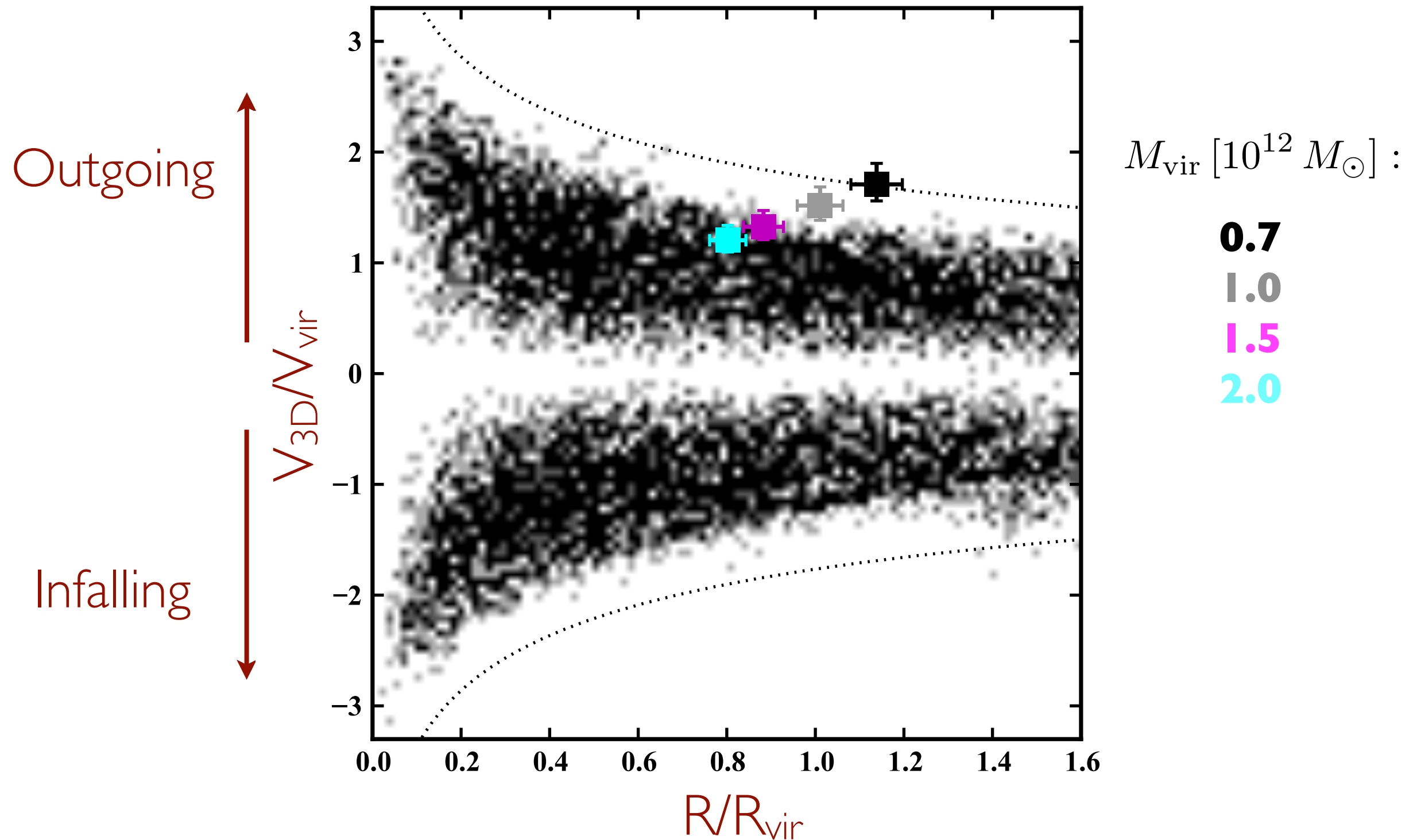
Phase space in terms of total velocity



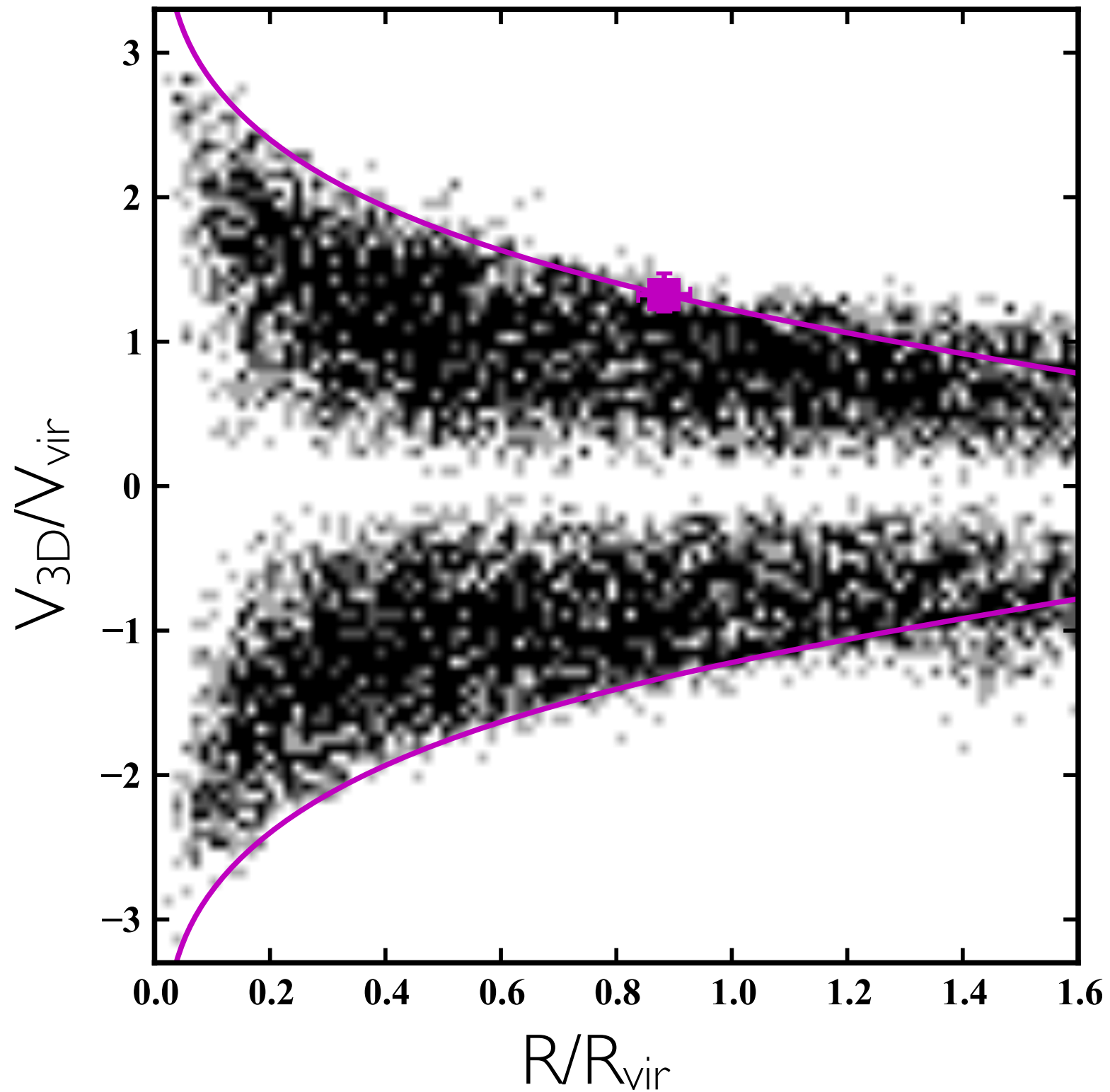
Unbound subhalos: very rare



Where is Leo I in this phase space?

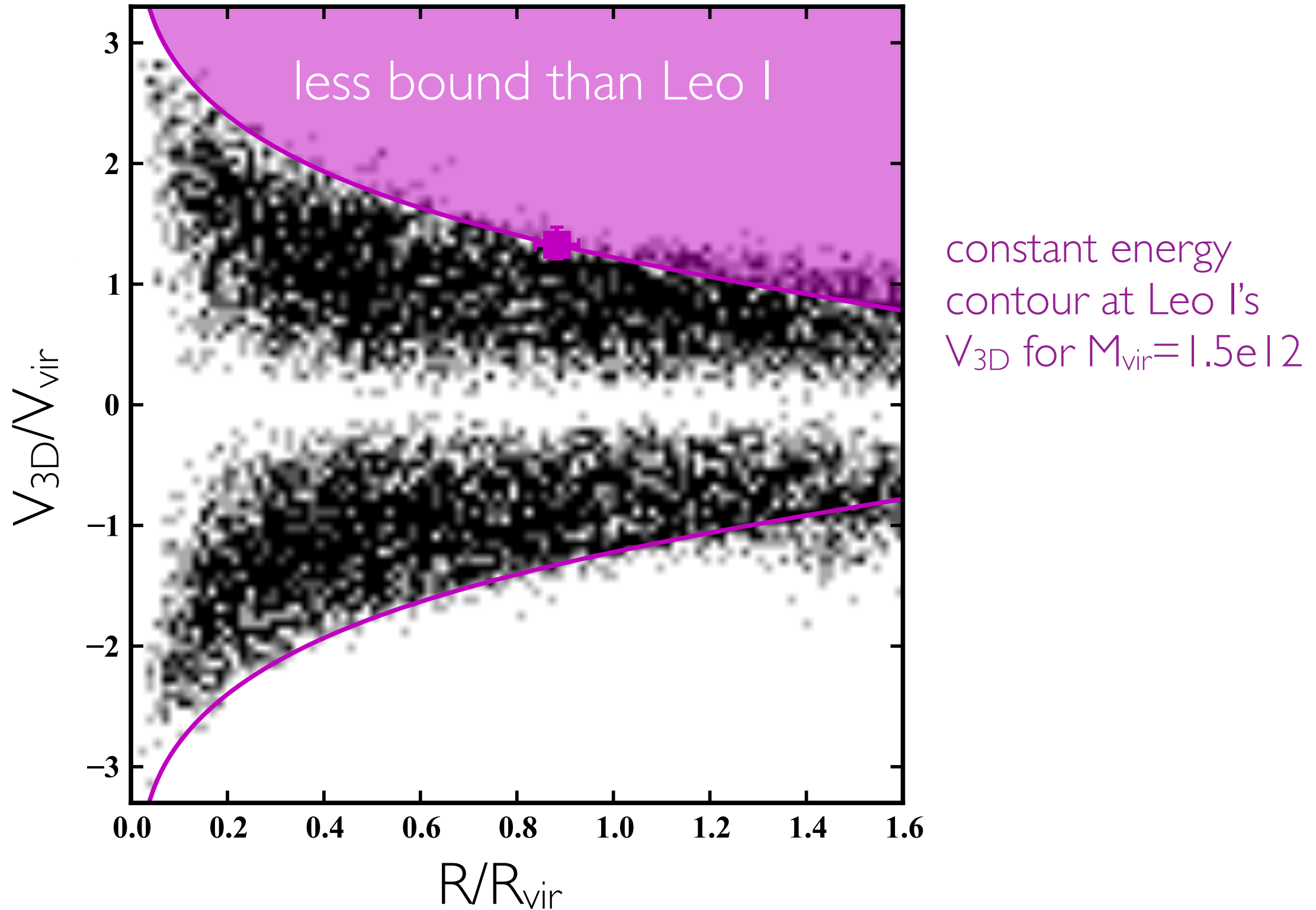


Deriving a constraint on M_{MW}

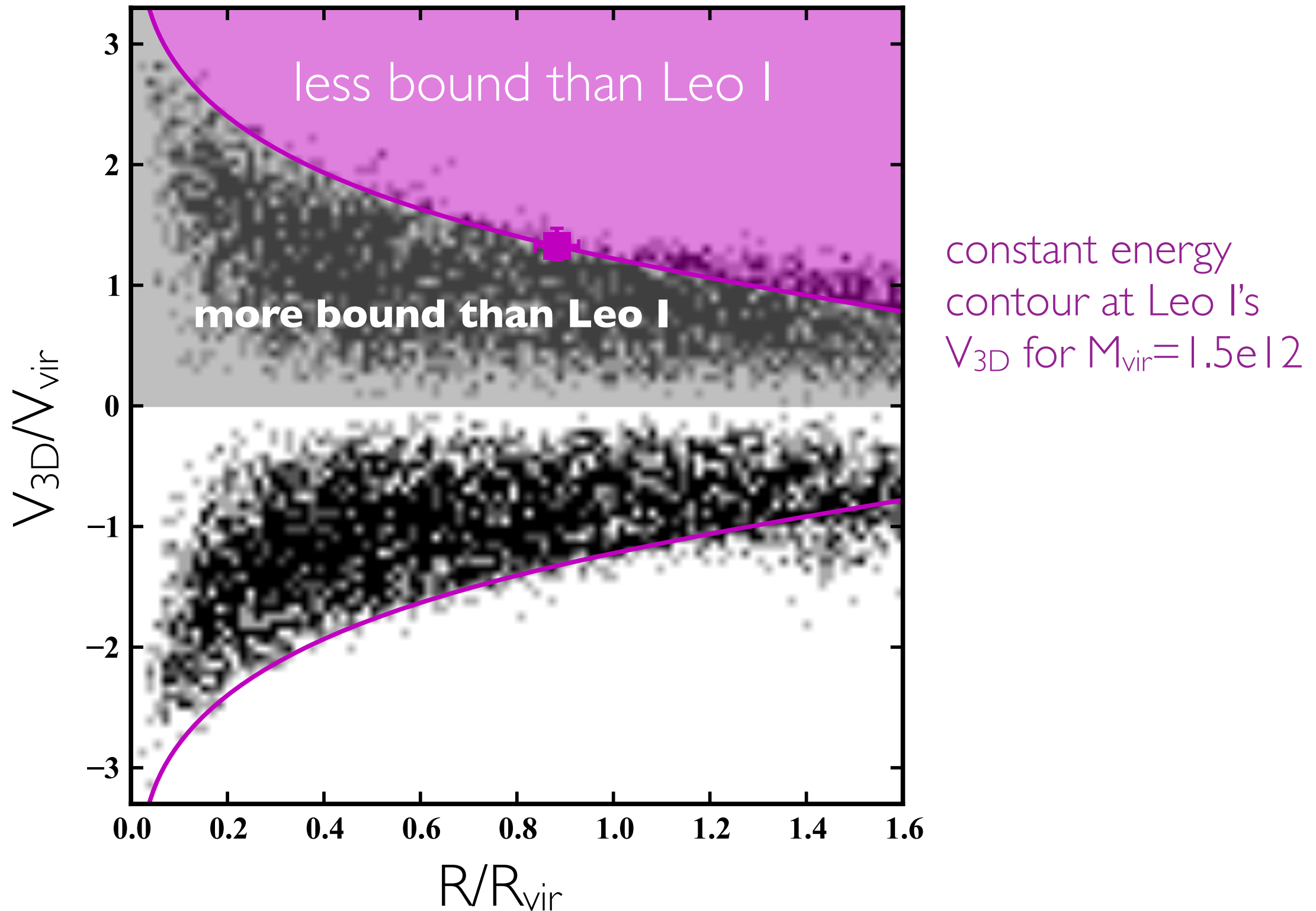


constant energy
contour at Leo I's
 V_{3D} for $M_{vir} = 1.5e12$

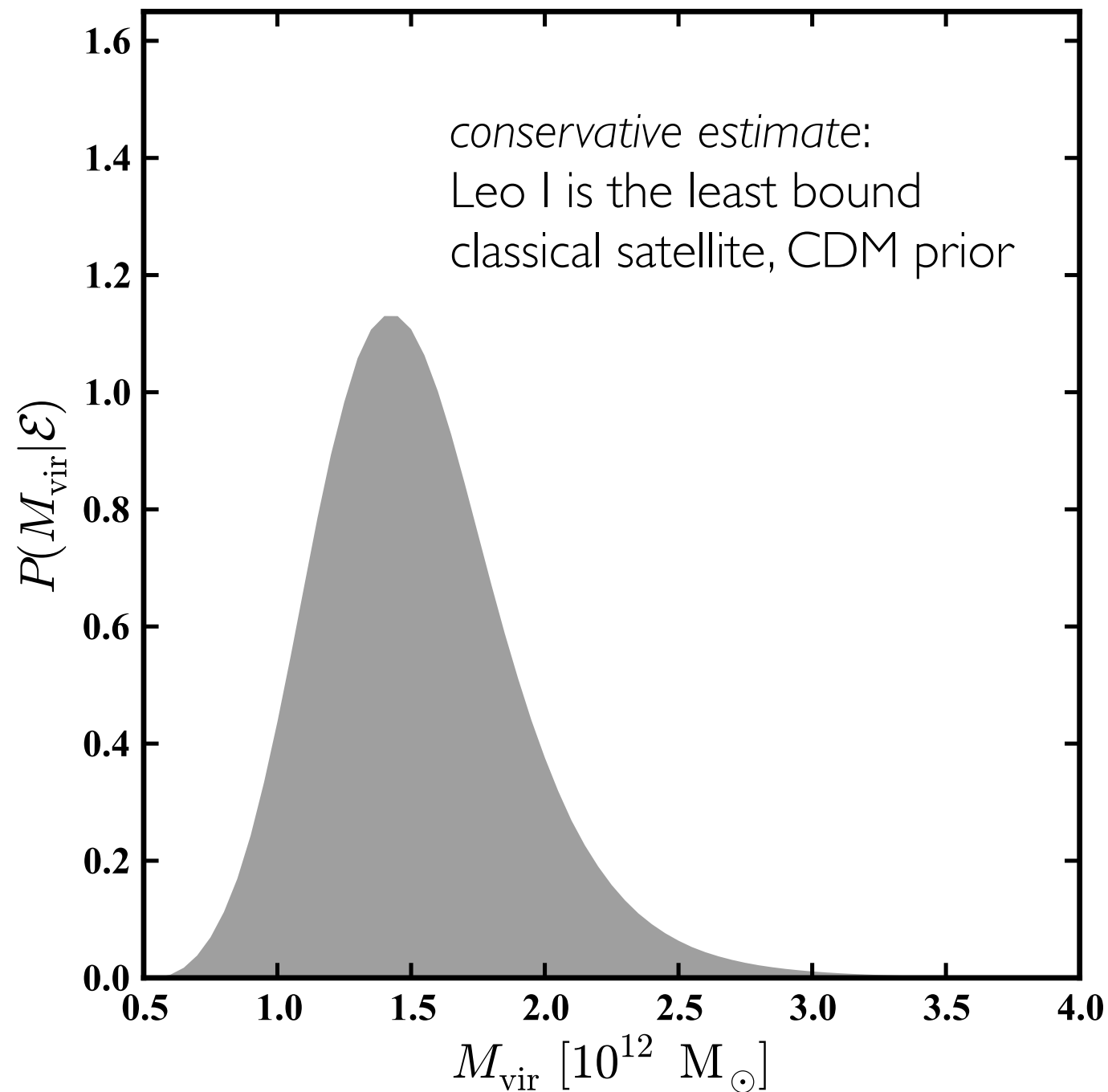
Deriving a constraint on M_{MW}



Deriving a constraint on M_{MW}



The Virial Mass of the Milky Way

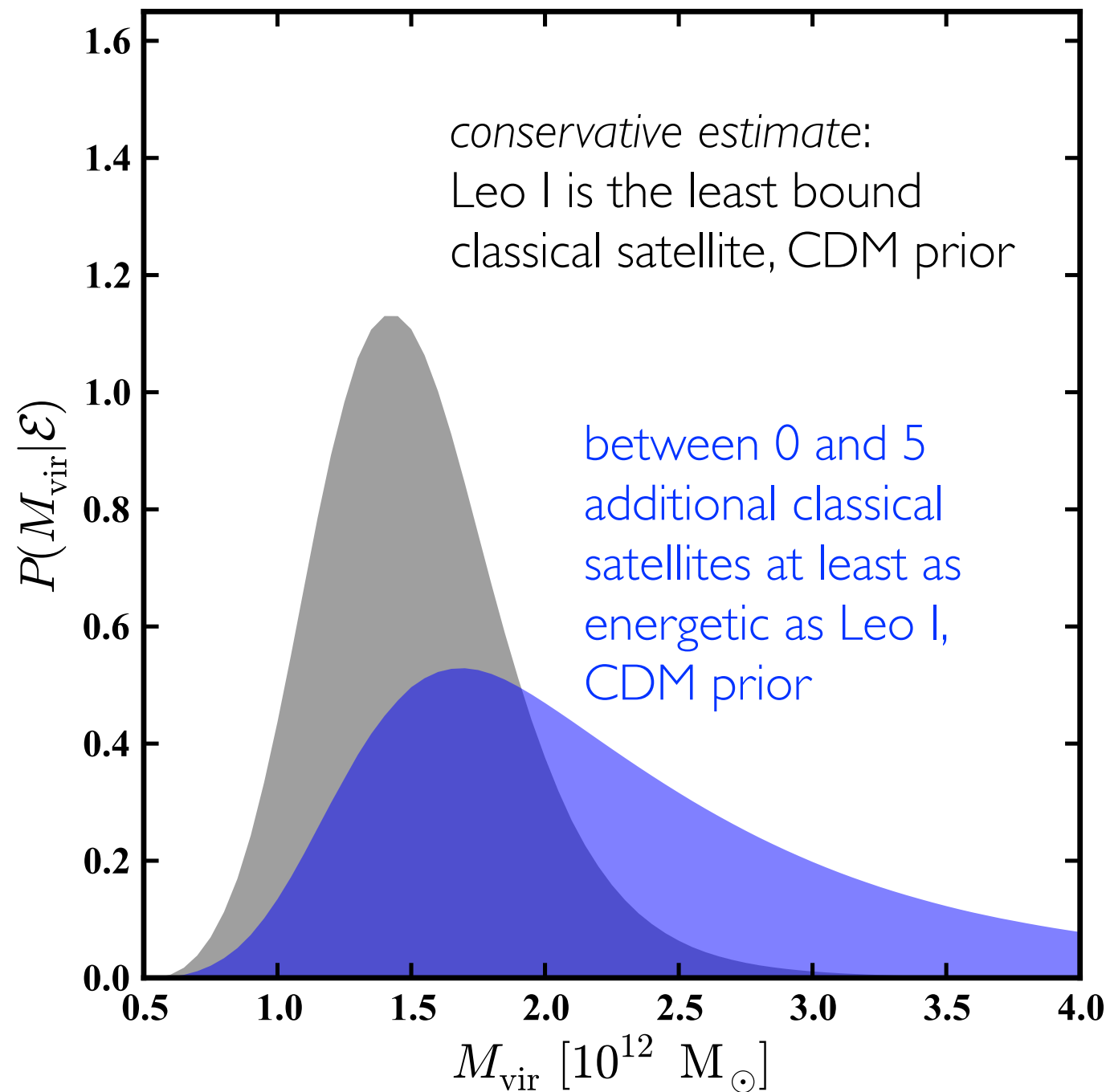


$$M_{\text{vir,MW}} = 1.46 \times 10^{12} M_{\odot}$$

90% confidence interval :

$$[0.95 - 2.19] \times 10^{12} M_{\odot}$$

The Virial Mass of the Milky Way



$$M_{\text{vir,MW}} = 1.46 \times 10^{12} M_{\odot}$$

90% confidence interval :

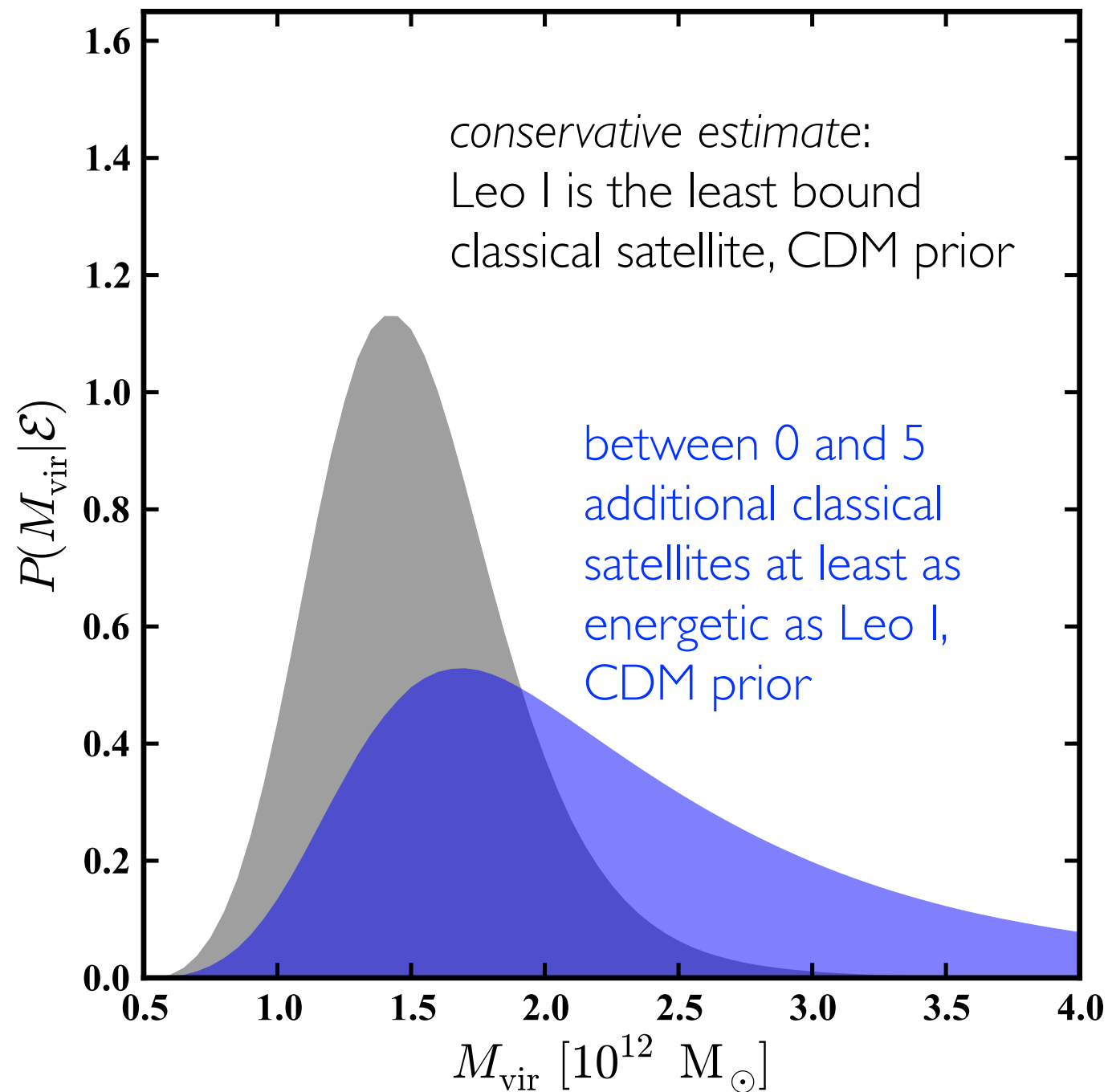
$$[0.95 - 2.19] \times 10^{12} M_{\odot}$$

$$M_{\text{vir,MW}} = 2.11 \times 10^{12} M_{\odot}$$

90% confidence interval :

$$[1.14 - 5.18] \times 10^{12} M_{\odot}$$

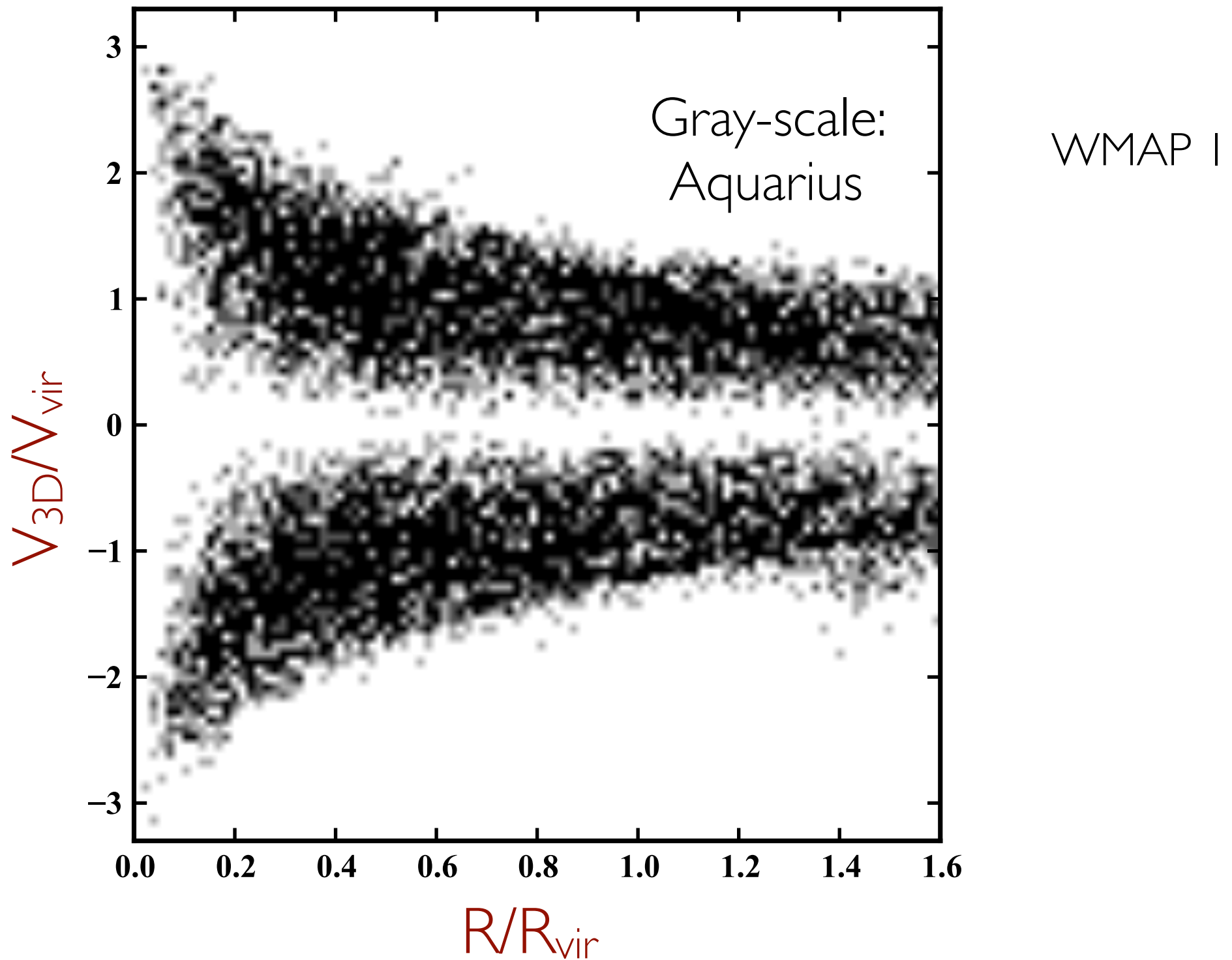
The Virial Mass of the Milky Way



Best constraint for MW:
 $M_{\text{vir}} > 0.95 \times 10^{12} M_{\odot}$

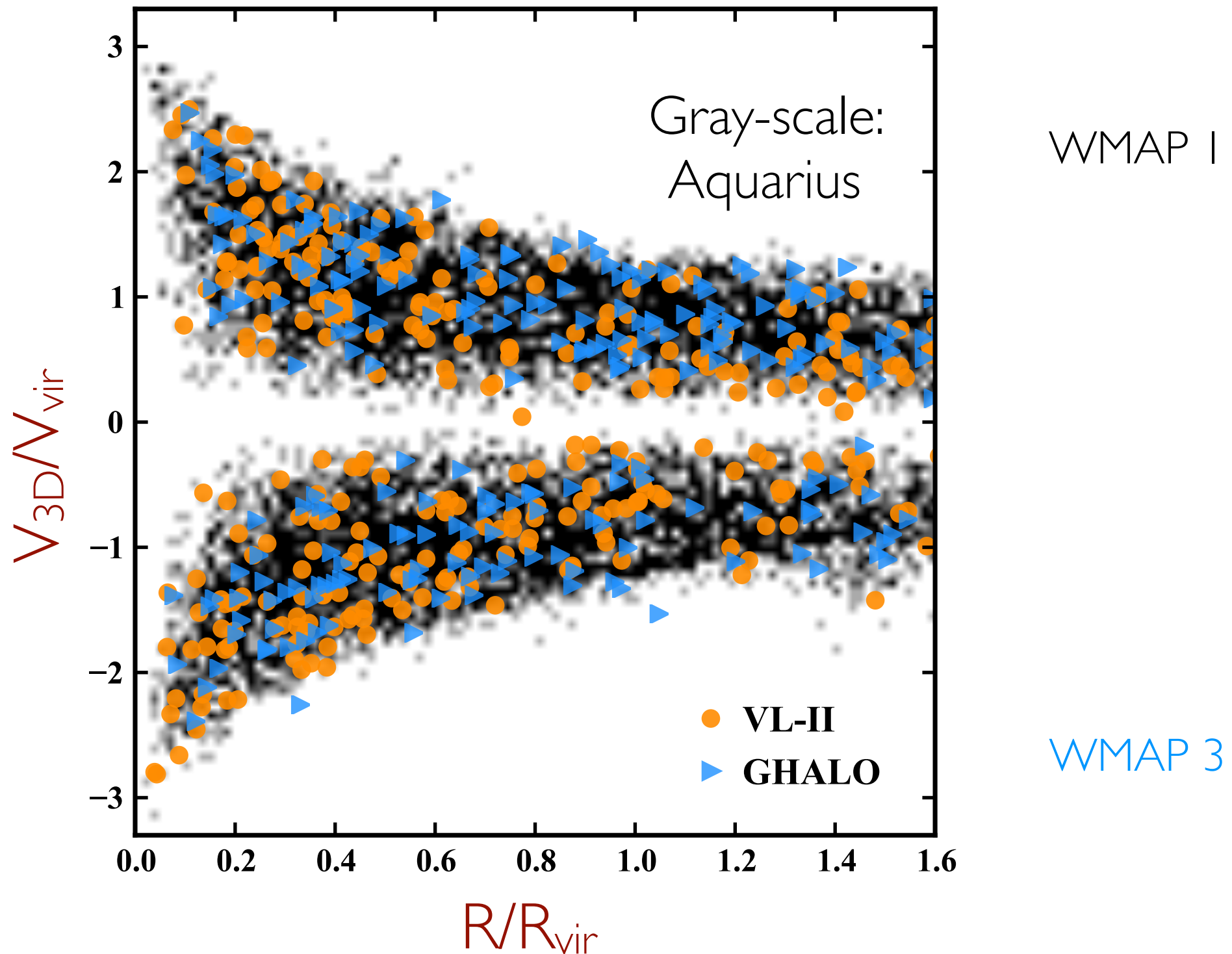
at 95% confidence; nearly
independent of assumptions
about number of fast-
moving satellites

Cosmology dependence?

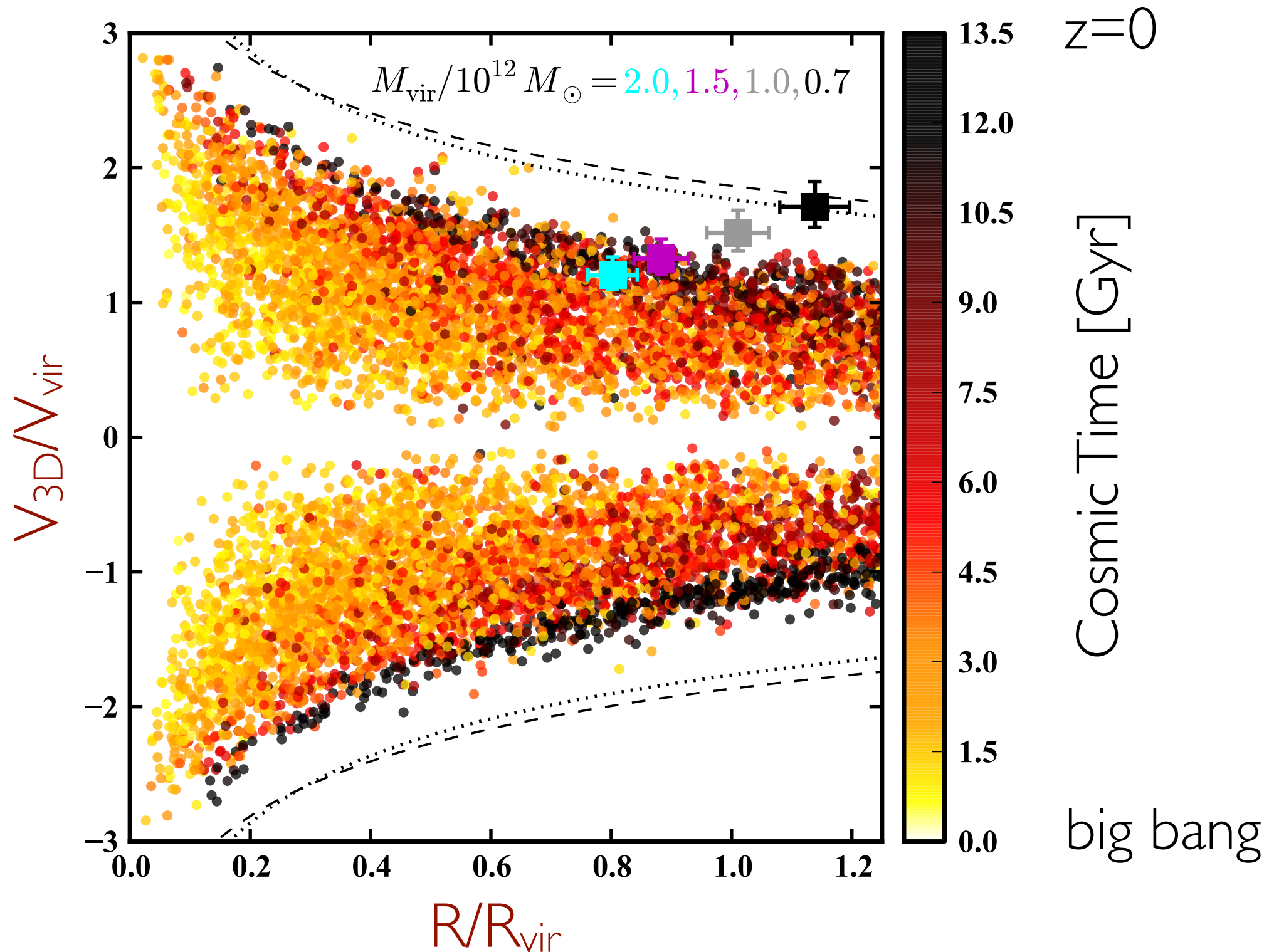


MBK et al. 2012 (in preparation)

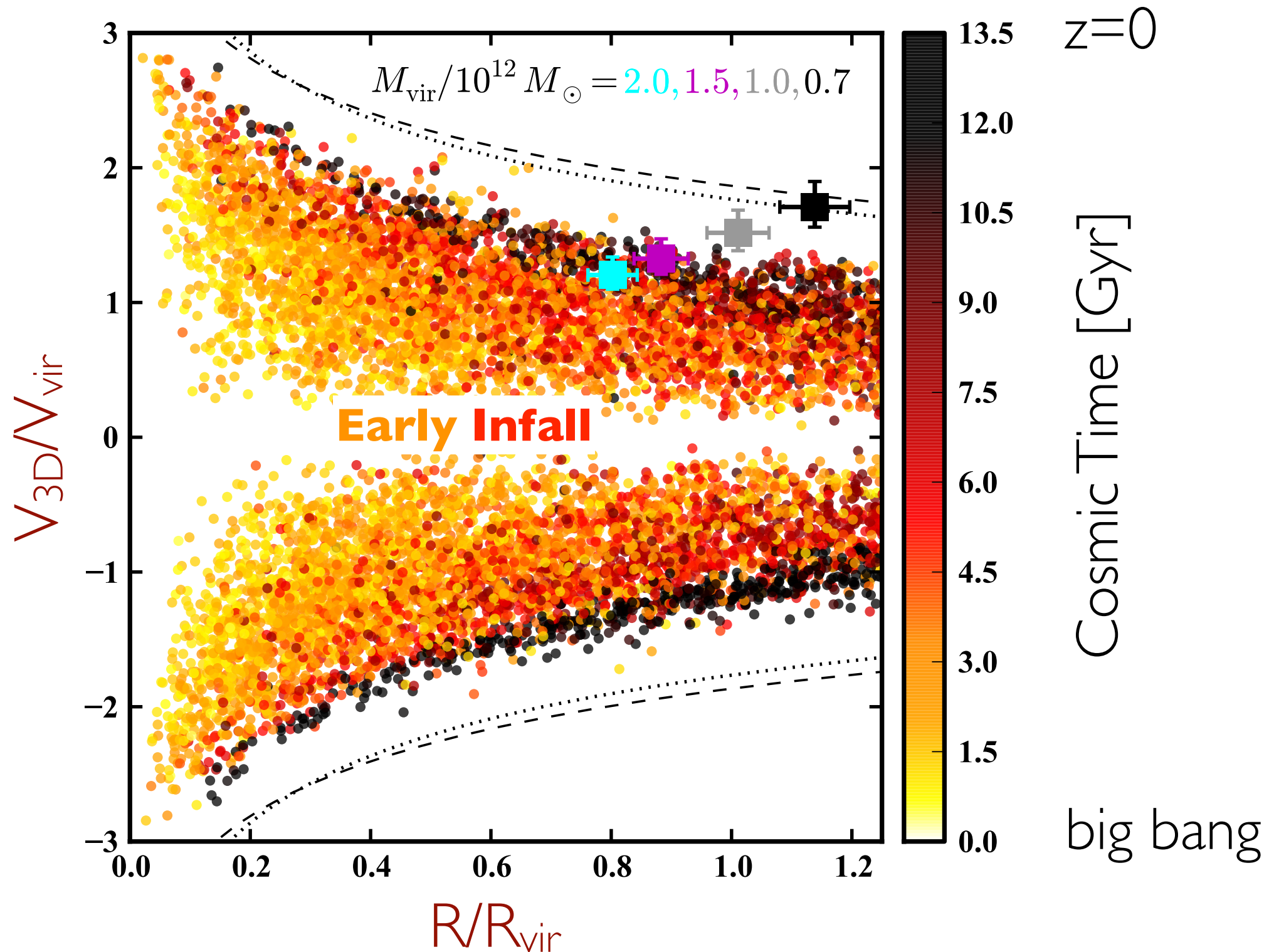
Cosmology Independence



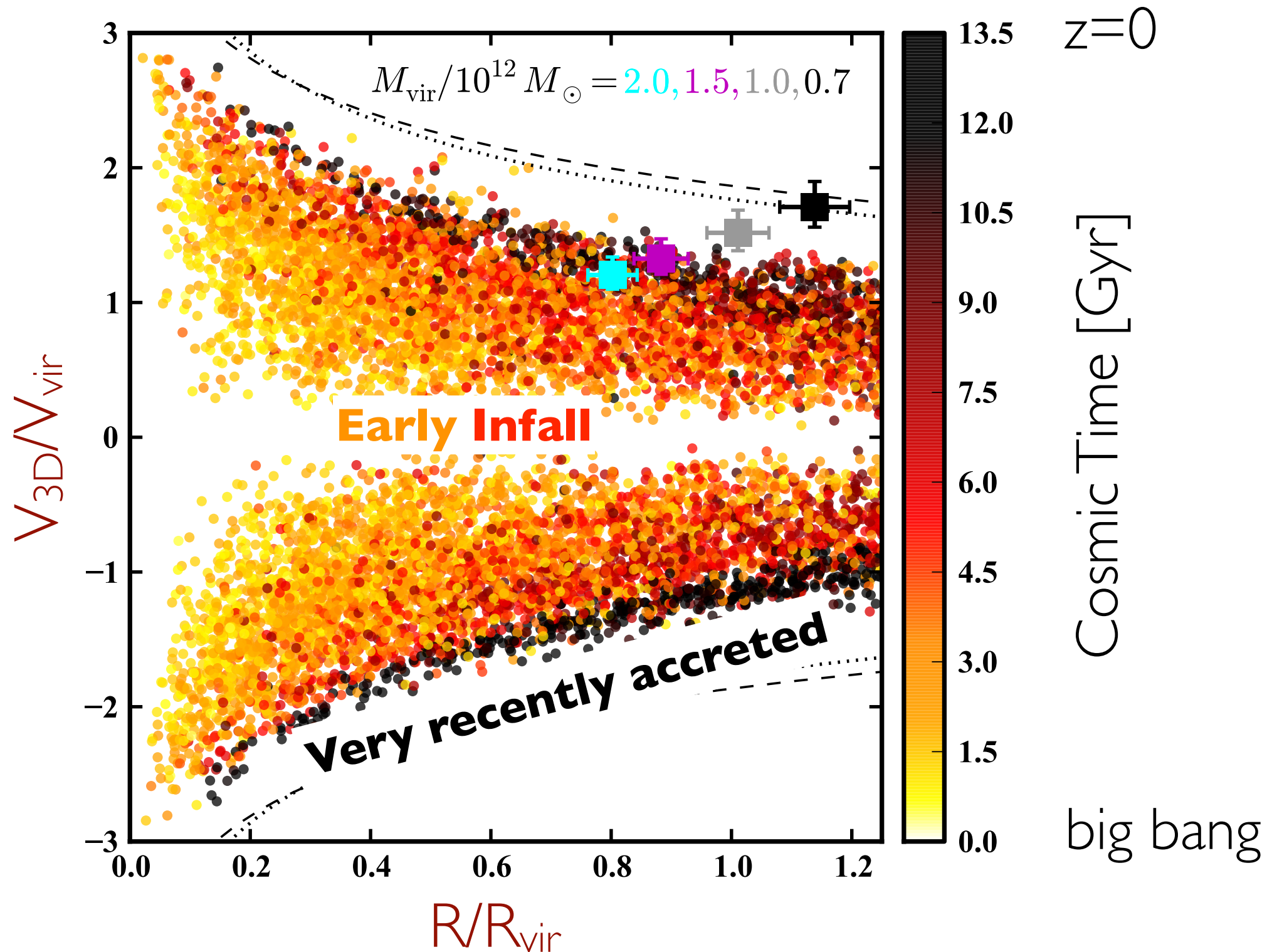
Phase space is stratified based on infall time



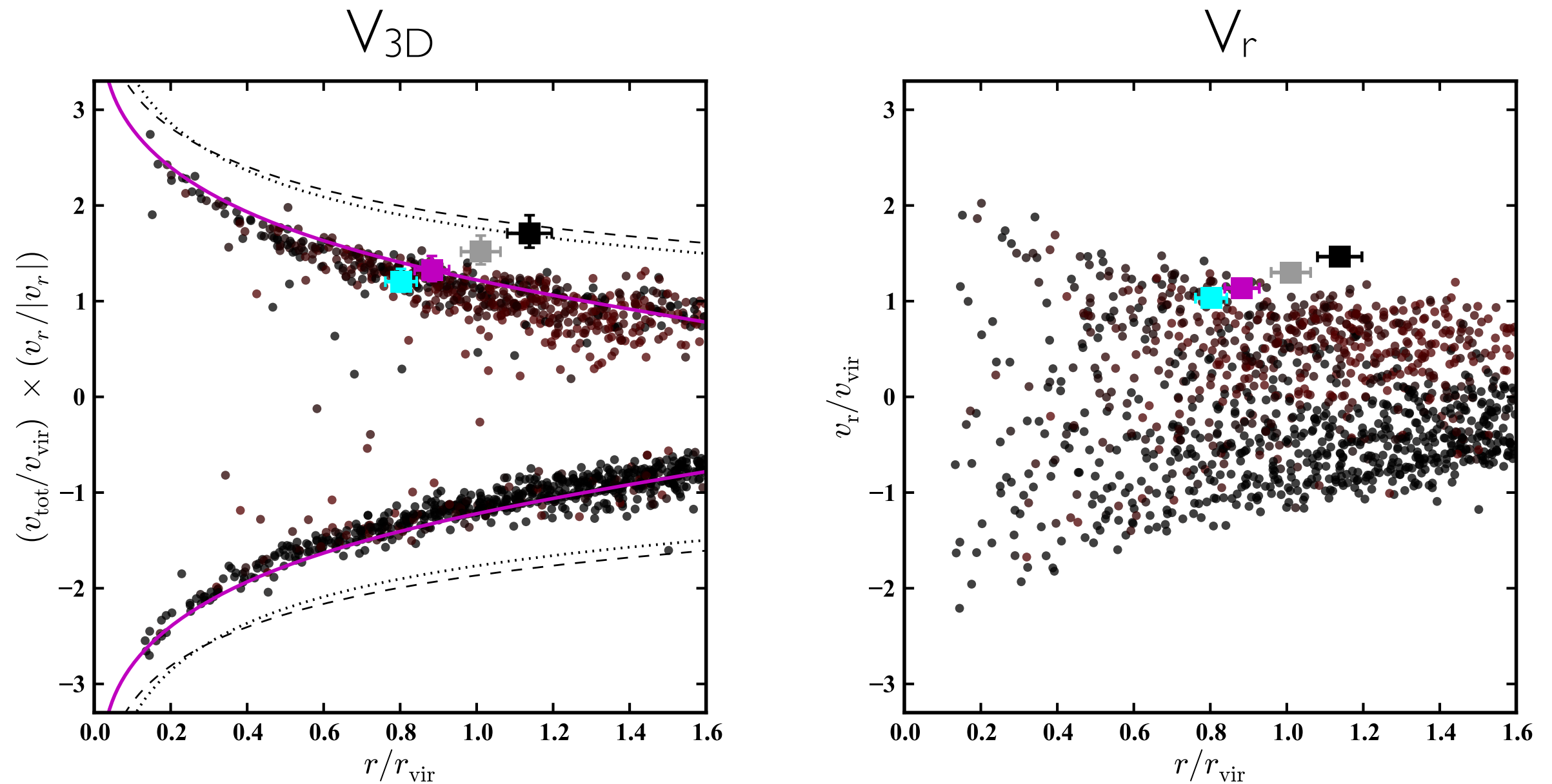
Phase space is stratified based on infall time



Phase space is stratified based on infall time



Only 3D velocity is stratified based on T_{infall}



Subhalos with z_{peak} in last 4 Gyr

One implication of a 1.5×10^{12} Milky Way

- baryonic allotment of the MW is $\sim 2.5 \times 10^{11} M_{\text{sun}}$. Observed baryonic content is $\sim 7 \times 10^{10} M_{\text{sun}}$. *Missing $\sim 1.8 \times 10^{11} M_{\text{sun}}$ of baryons.*
 - ▶ Maybe these baryons never made it into the halo?
 - ▶ Maybe these baryons were ejected from the halo?
 - ▶ Maybe these baryons be hidden in an extended hot gas corona?
- These 3 possibilities have very different implications for our understanding of galaxy formation

MW hot gas constraints

Fang, Bullock, MBK 2012: constraints on hot ($\sim 10^6$ K) gas in the MW halo depend strongly on adopted gas profile.

- **Hot gas disk (from MW ISM):** negligible contribution to MW baryon budget
- **NFW distribution for gas ($c=3$ or 12):** hot halo can only hold a small fraction of missing baryons (cf. Anderson & Bregman 2010)
- **extended, cored distribution:** *most or all* of the missing baryons could be within the virial radius, even for $M_{\text{vir}} \sim 1.5 \times 10^{12}$
 - ▶ profile motivated by Maller & Bullock 2004: adiabatic gas in hydrostatic equilibrium with NFW dark matter halo

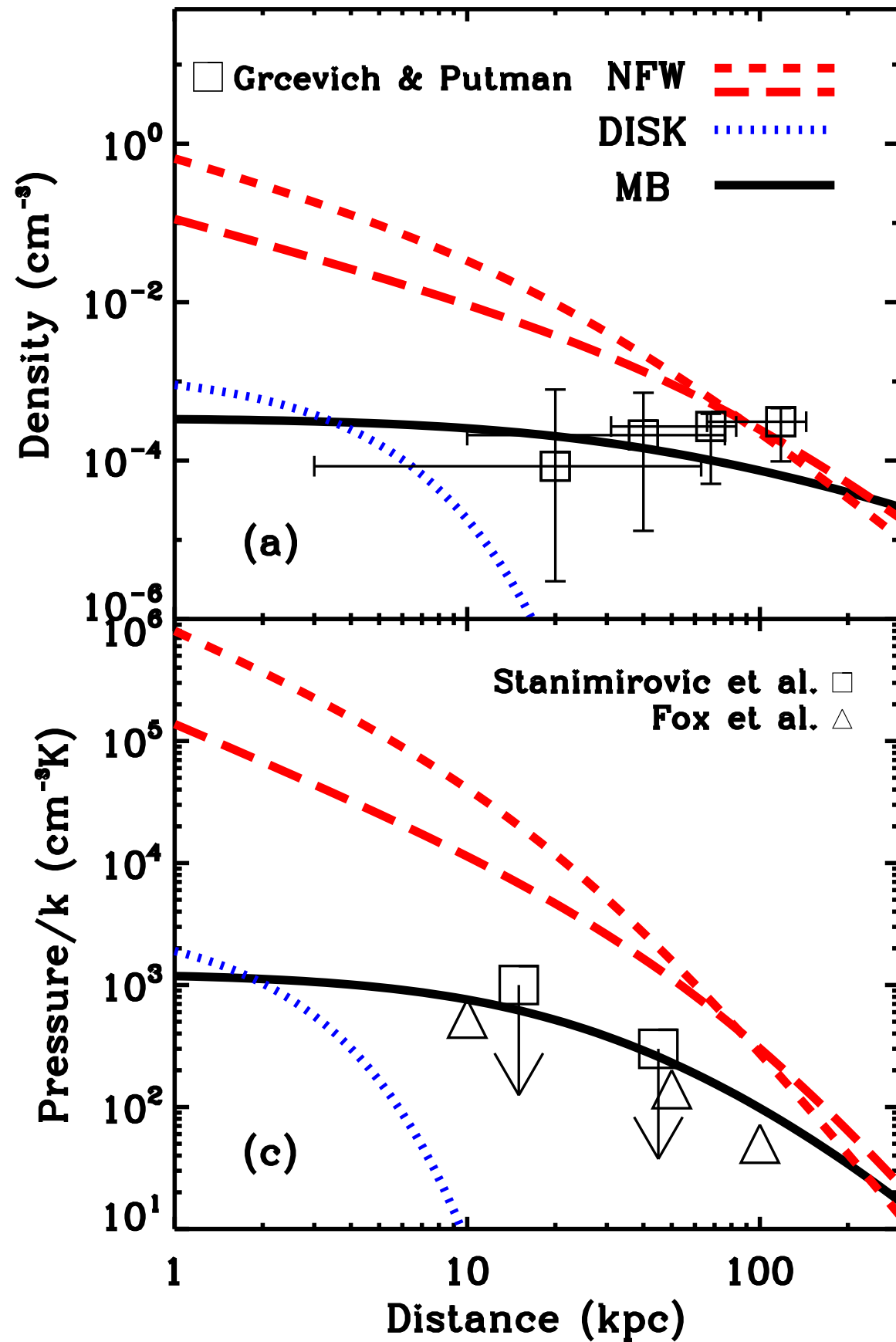
ram pressure
stripping of dwarfs

NFW

Extended corona

Local Hot Disk

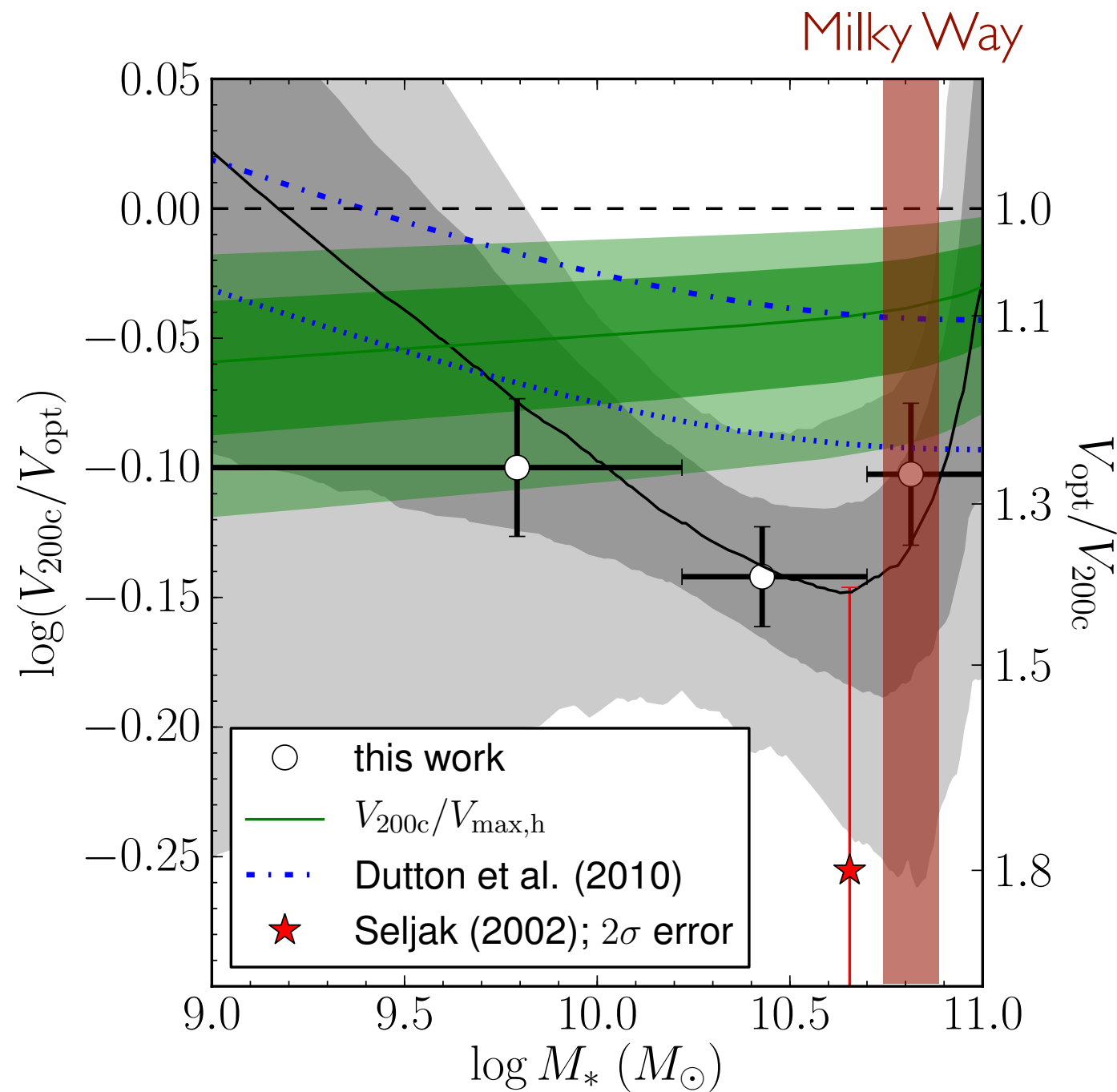
HVC pressure
confinement in the
Magellanic Stream



Conclusions

- The virial mass of the Milky Way is *important*. Reducing the uncertainty in $M_{\text{vir,MW}}$ is crucial for making progress in several areas of galaxy formation.
- Leo I plays an outsized role in driving satellite-based estimates of M_{MW} , but interpreting its motion has been contentious
- Sohn et al. 2012 have measured Leo I's proper motion: Leo I has significant tangential velocity (~ 100 km/s).
- LCDM simulations: relaxed hosts have virtually no unbound subhalos
- comparing to LCDM simulations, find $M_{\text{vir,MW}} = (1.5-2.1) \times 10^{12} M_{\text{sun}}$ and $M_{\text{vir,MW}} > 10^{12} M_{\text{sun}}$ at 95% confidence
- strong correlation between orbital energy and infall time; in general, not present only with radial velocities, need proper motions

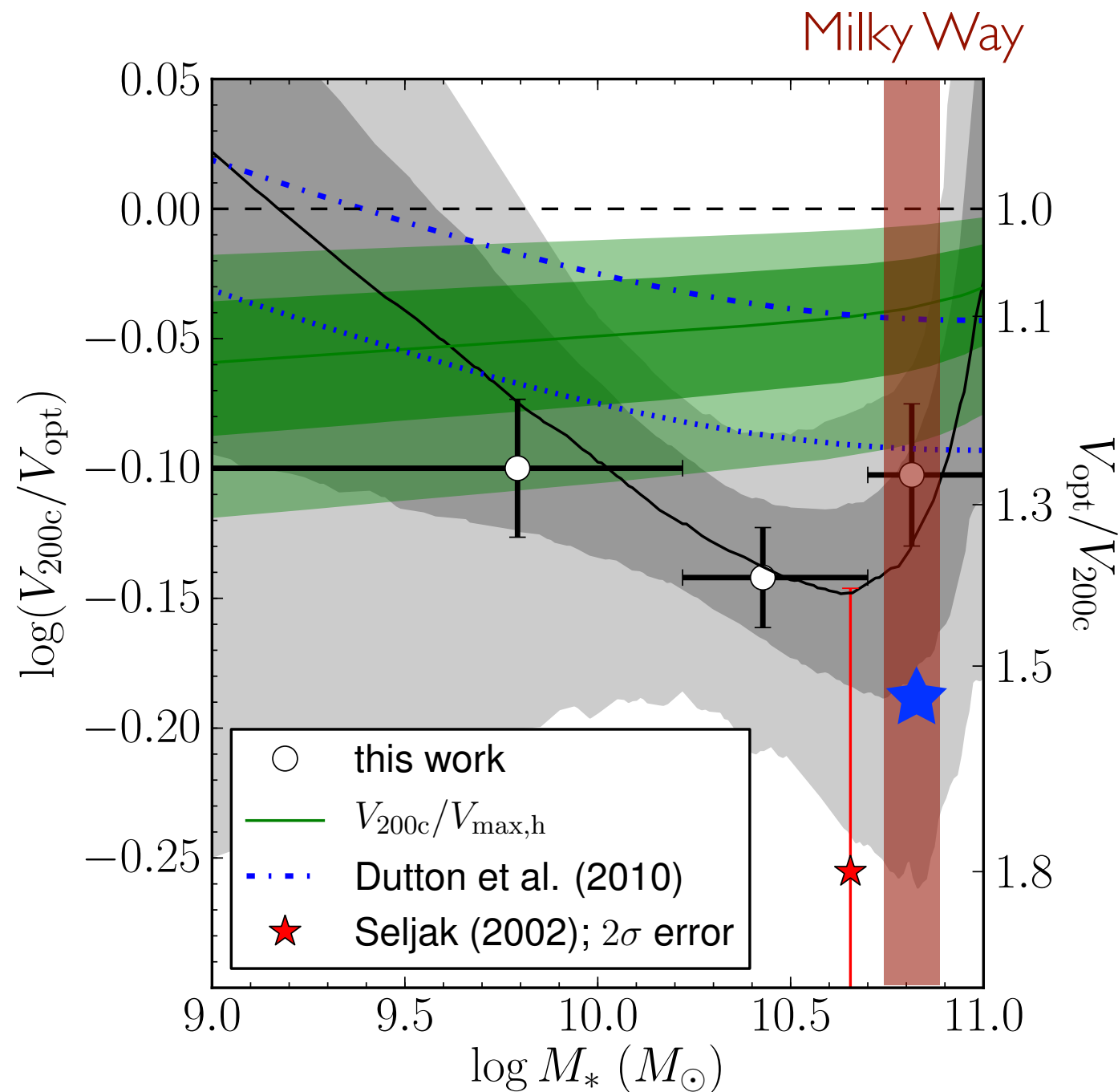
Galaxy-galaxy lensing + Tully-Fisher



$$V_{\text{opt,MW}} = 240 \pm 10 \text{ km s}^{-1}$$

median $V_{200c} = 190 \text{ km/s}$
for Milky Way's stellar
mass. This gives
 $M_{\text{vir}} \sim 2.5 \times 10^{12}$

Galaxy-galaxy lensing + Tully-Fisher

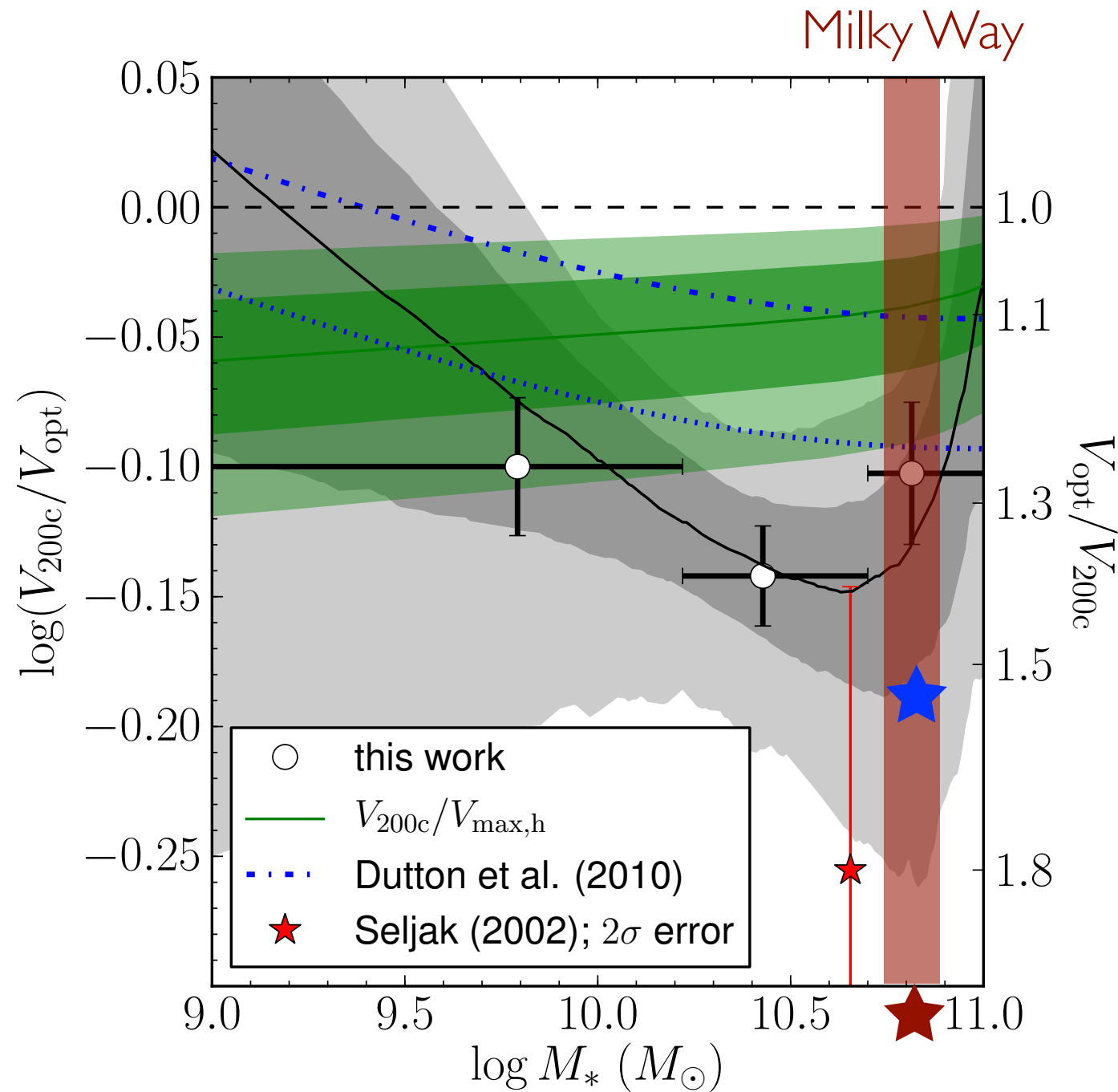


$$V_{opt,MW} = 240 \pm 10 \text{ km s}^{-1}$$

median $V_{200c} = 190 \text{ km/s}$
 for Milky Way's stellar
 mass. This gives
 $M_{vir} \sim 2.5 \times 10^{12}$

for $M_{vir} = 1.5 \times 10^{12}$, get
 $V_{200c} = 157 \text{ km/s}$

Galaxy-galaxy lensing + Tully-Fisher



$$V_{opt,MW} = 240 \pm 10 \text{ km s}^{-1}$$

median $V_{200c} = 190 \text{ km/s}$
 for Milky Way's stellar
 mass. This gives
 $M_{vir} \sim 2.5 \times 10^{12}$

for $M_{vir} = 1.5 \times 10^{12}$, get
 $V_{200c} = 157 \text{ km/s}$

for $M_{vir} = 7 \times 10^{11}$, get
 $V_{200c} = 122 \text{ km/s}$