

# Can Feedback Solve Too Big to Fail Problem?



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# Collaborators



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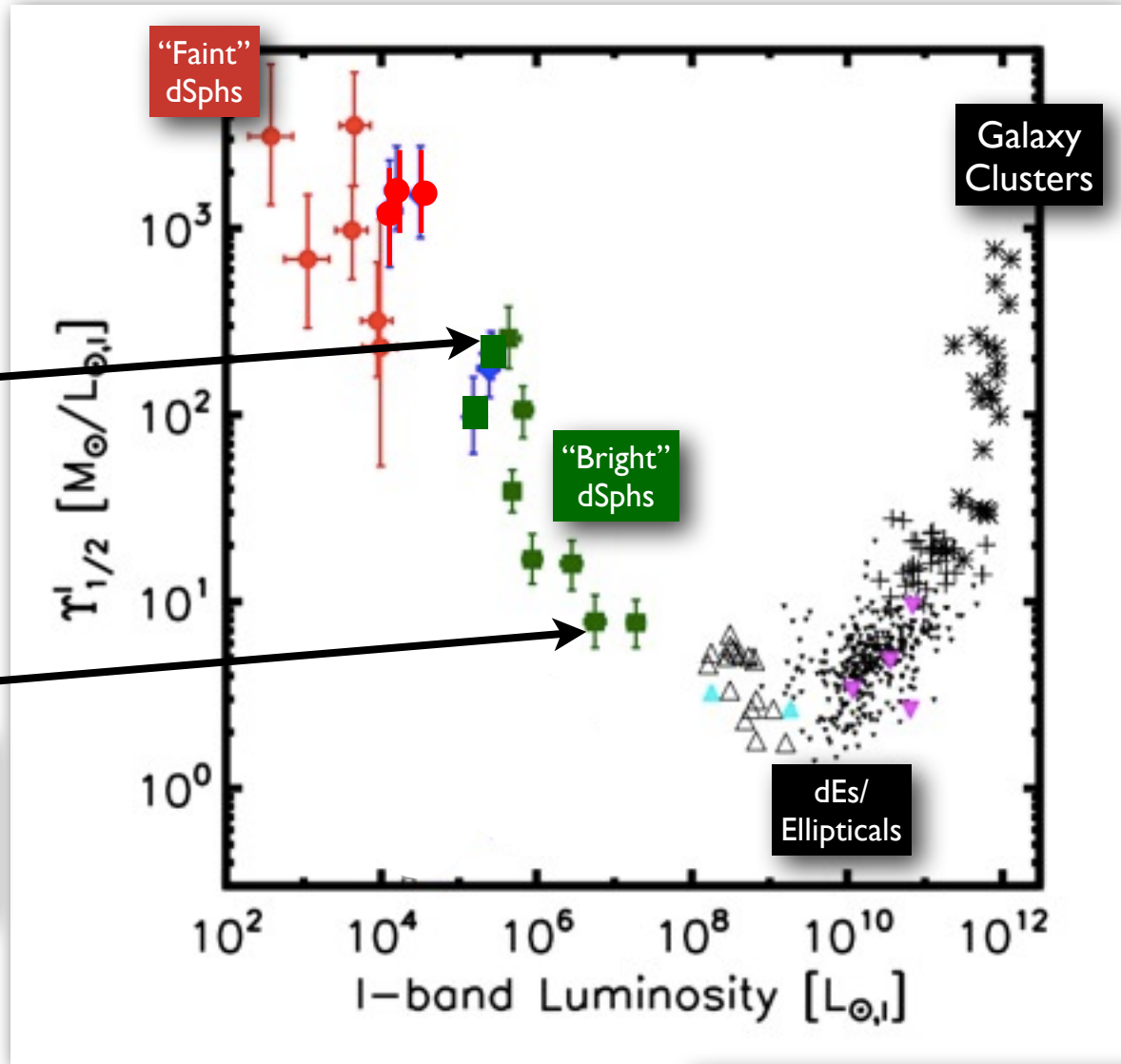
Manoj **Kaplinghat**

**dSphs are DM dominated => easy to interpret**

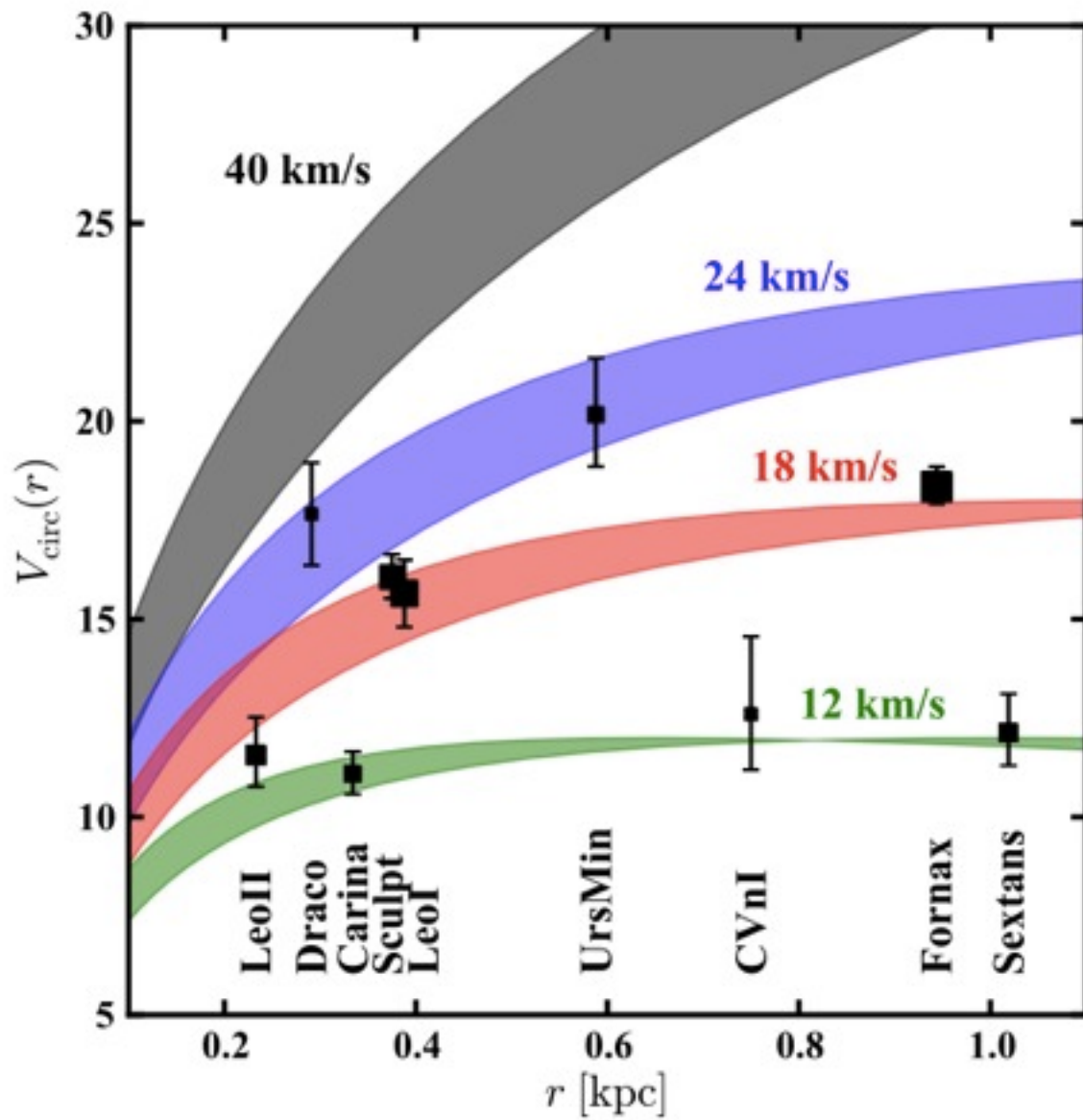
Draco, Ursa Minor  
 $L \sim 10^5 L_{\text{sun}}$   
 $M_{\text{dyn}}/L \sim 200$

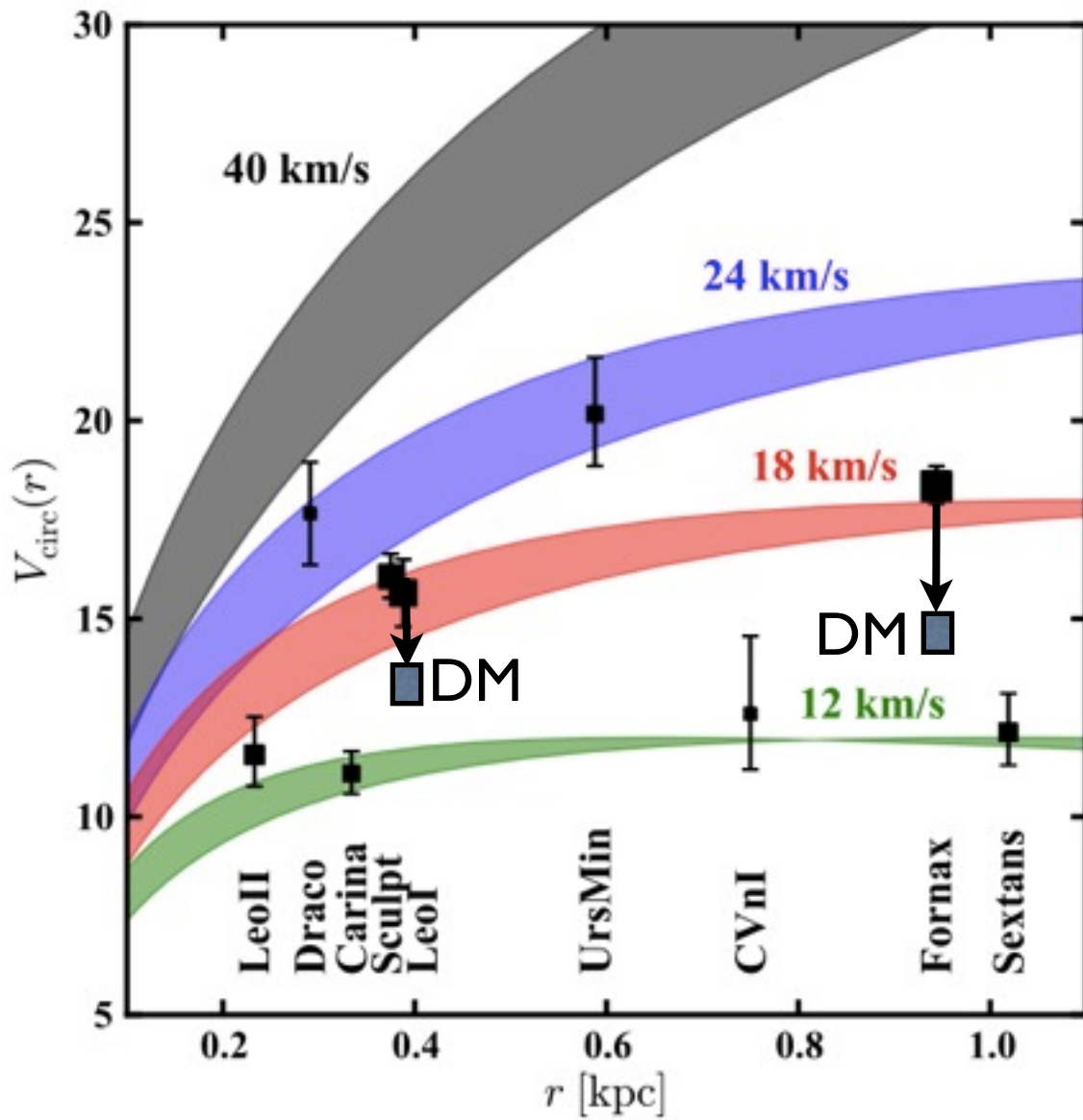


Fornax, Leo I  
 $L \sim 10^7 L_{\text{sun}}$   
 $M_{\text{dyn}}/L \sim 9$



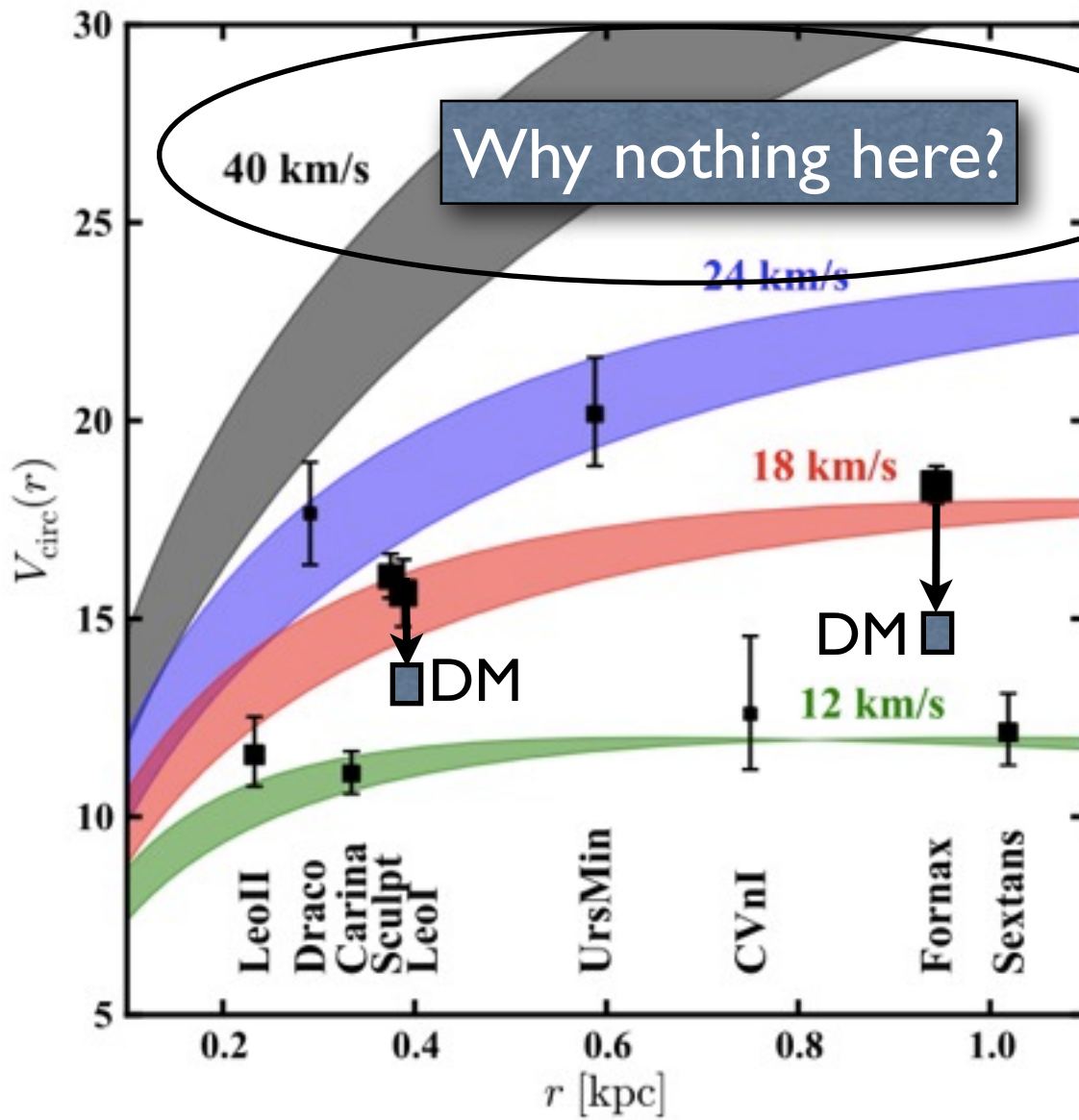
**Wolf+10; Tollerud+11**





Fornax:  
 $M_{\text{dyn}}/M^* \sim 3.5$

Leo I:  
 $M_{\text{dyn}}/M^* \sim 4$



$V_{\text{max}} > \sim 30$  km/s?

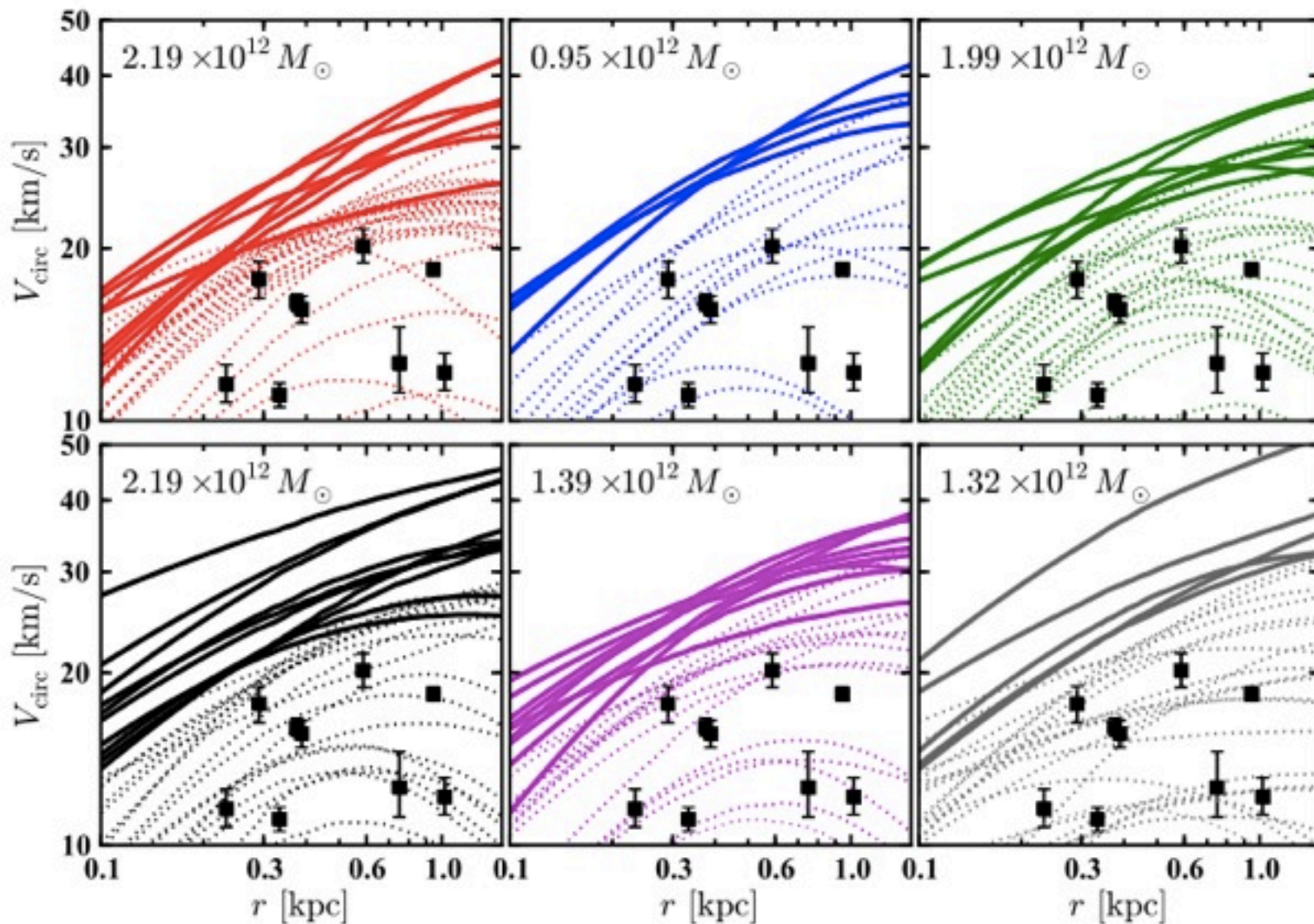
Fornax:

$M_{\text{dyn}}/M^* \sim 3.5$

Leo I:

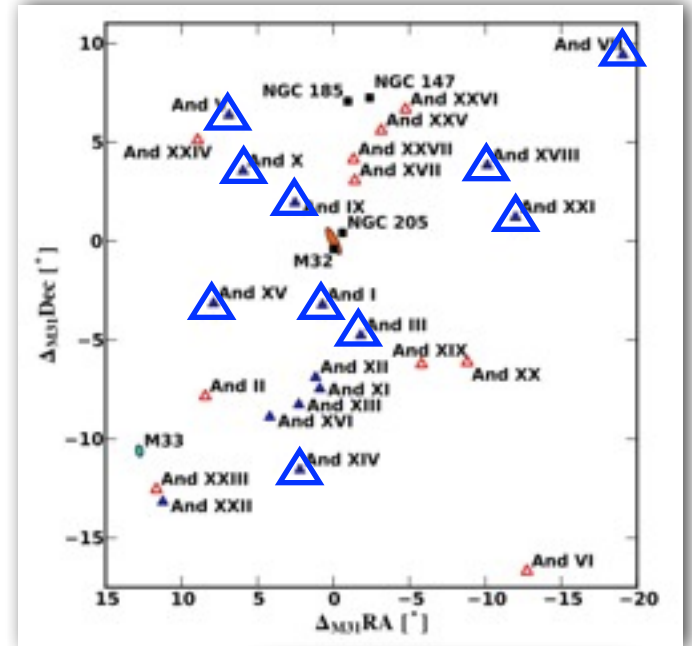
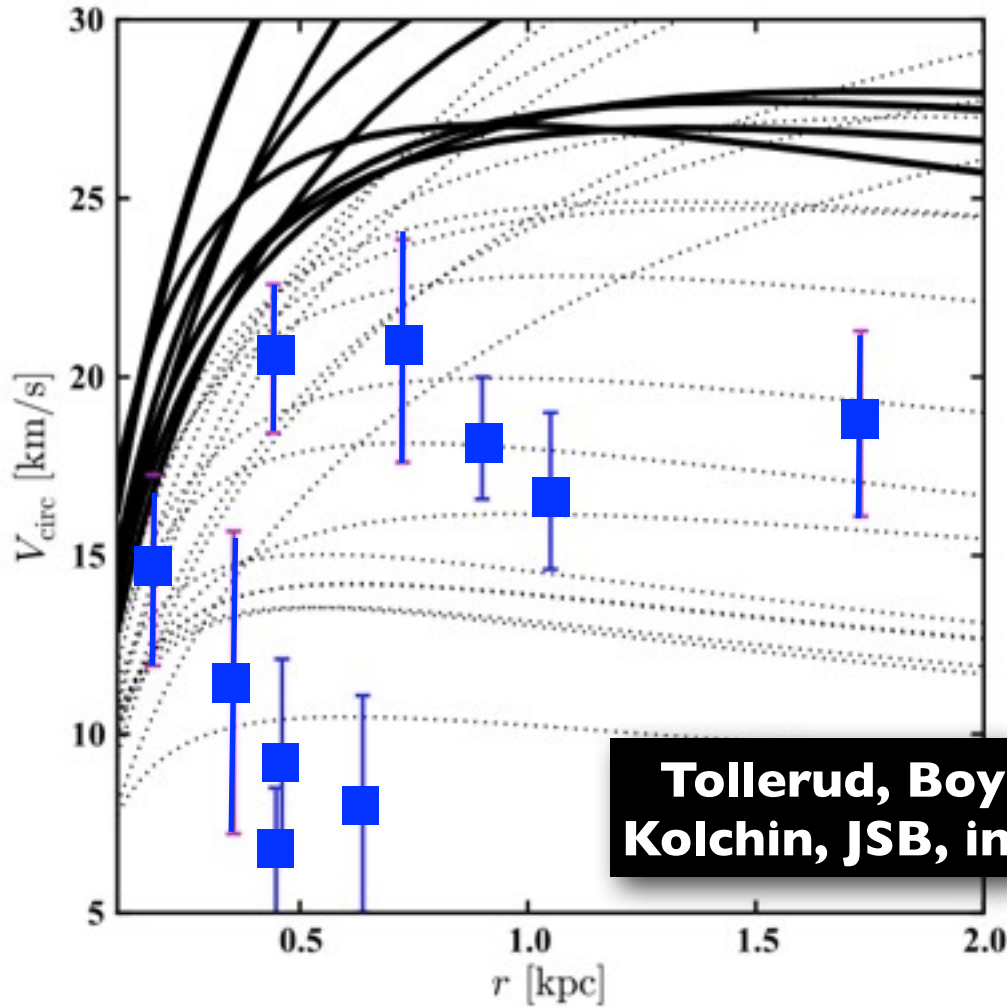
$M_{\text{dyn}}/M^* \sim 4$

# Six Aquarius Halos: $\sim 10$ - $20$ massive failures each



Boylan-Kolchin et al. 2011a,b

# M31 dSph population looks the same



**Tollerud, Boylan-Kolchin, JSB, in prep**



**Erik Tollerud**



# Reduce Milky Way Halo Mass?

## Option 1

Milky Way significantly less massive than  $1 \cdot 10^{12} M_{\text{sun}}$  ( $< \sim 7 \cdot 10^{11} M_{\text{sun}}$ )

$$N_{\text{extra}} \simeq 5 \left( \frac{M_{\text{v}}}{10^{12} M_{\odot}} \right)$$

Would require:

1. LMC and Leol **both** unbound (vanishingly rare in cosmological simulations)
2. SMC and LMC extreme outliers in subhalo mass function
3. M31  $\sim 3$  times more massive than MW (timing argument)
4. Majority of recent dynamical mass estimates of MW halo biased high

Boylan-Kolchin et al. 2012

# Tides from disk?

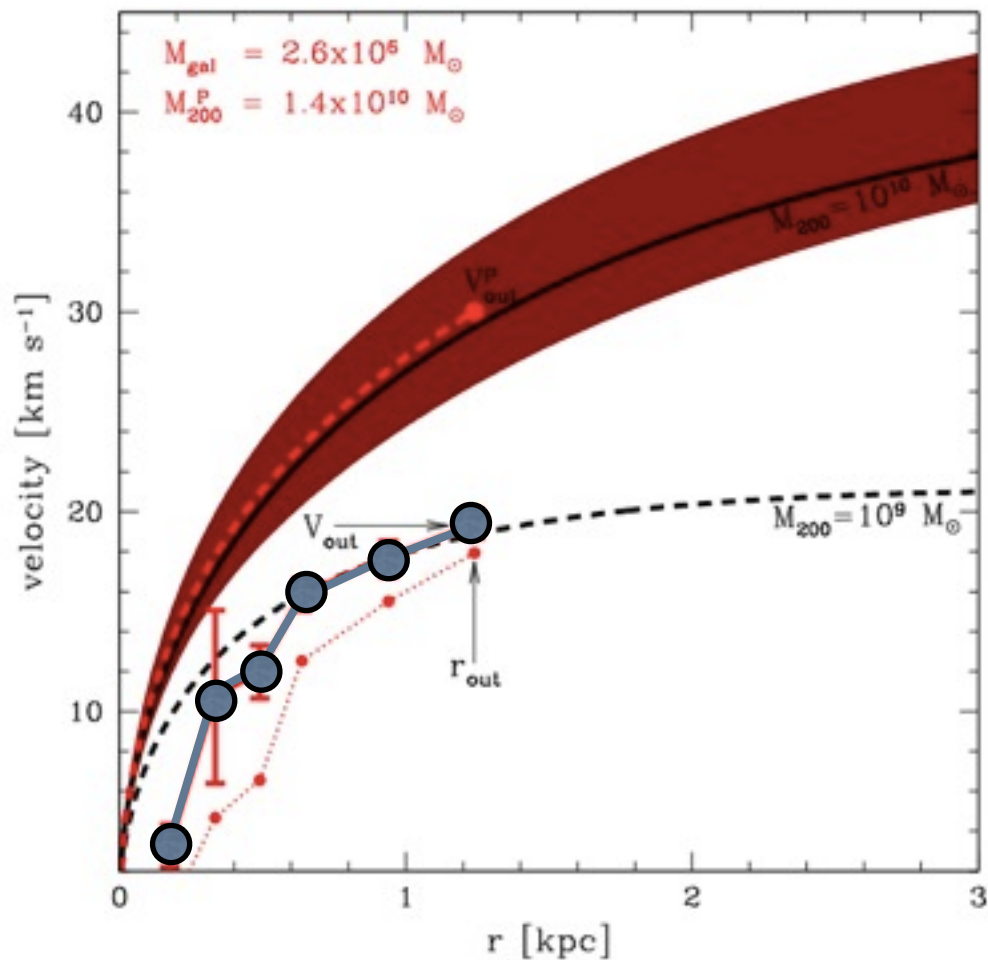
## Option 2

Would need to bring massive subhalos preferentially close to disk. Leo I, for example, has likely never been close to the disk,  $r_{\text{peri}} \sim 70$  kpc (Besla et al., in prep.).

How about field dwarfs?

## Similar problem with field dwarfs

SDIG



Expected from  
Abundance Matching

$M_{\text{vir}} \sim 10^{10} M_{\text{sun}}$

Observed  
rotation curve

$M_{\text{vir}} \sim 10^9 M_{\text{sun}}$

# Feedback?

## Option 3

Feedback: need to remove/redistribute  $\sim 5 \cdot 10^7 M_{\text{sun}}$  of DM within  $\sim 500 \text{ pc}$ .

Mass loading is a problem:

$$M_{\text{blow-out}} = \left[ 4N_{100}\epsilon_{\text{SN}} \left( \frac{V_{\text{out}}}{500 \text{ km s}^{-1}} \right)^{-2} \right] M_{\star}$$

Gas mass removed  
 $\sim 5 \cdot 10^6 M_{\text{sun}}$

mass-loading factor,  
typically  $\sim 1-5$

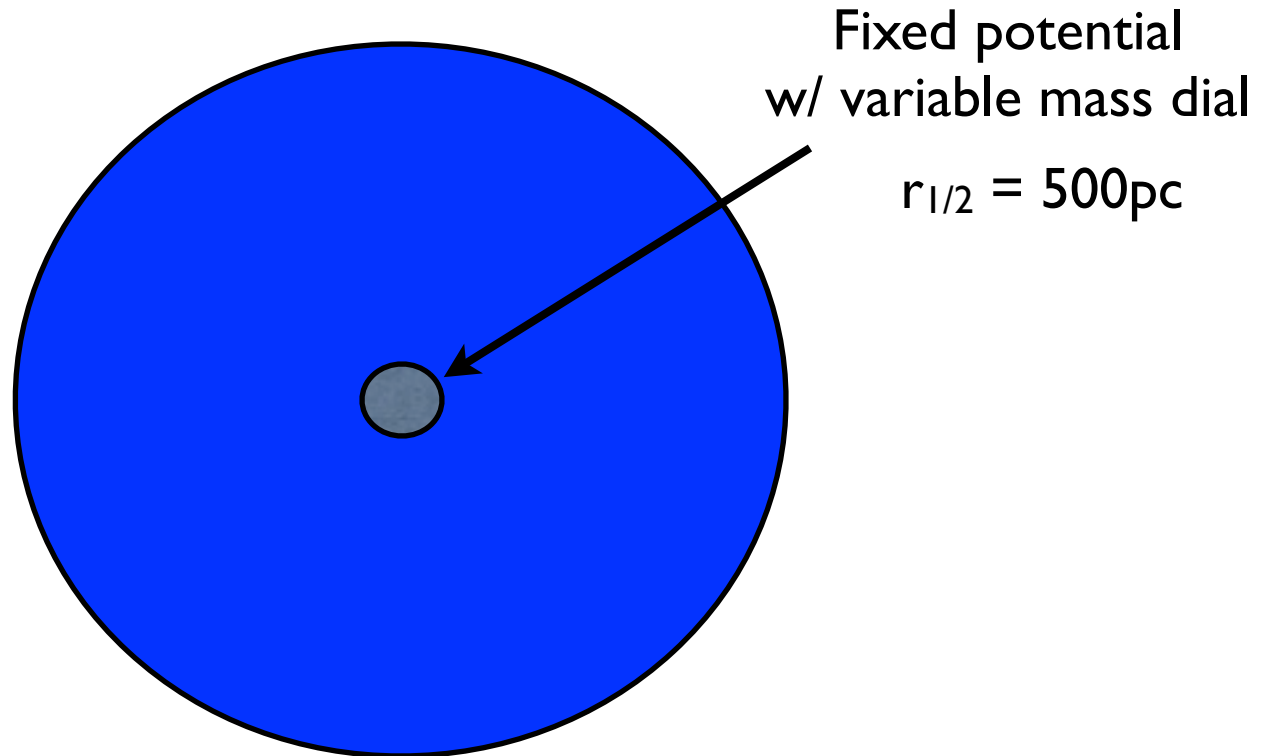
$\sim 1 \cdot 10^6 M_{\text{sun}}$

Maybe if the blow-out is cyclic this helps? Mashchenko et al.; Pontzen & Governato

Boylan-Kolchin et al. 2012

# Feedback?

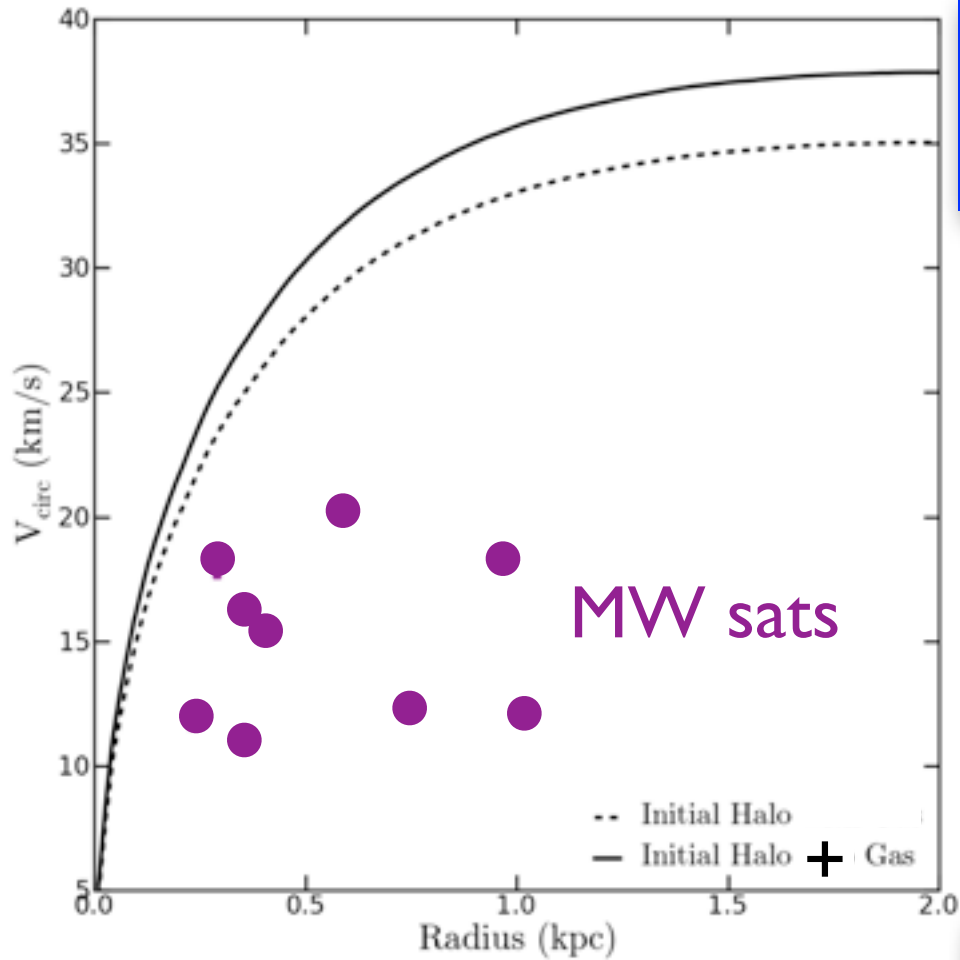
## Numerical Experiment



Live DM Halo

Garrison-Kimmel et al.

# Numerics/Set up

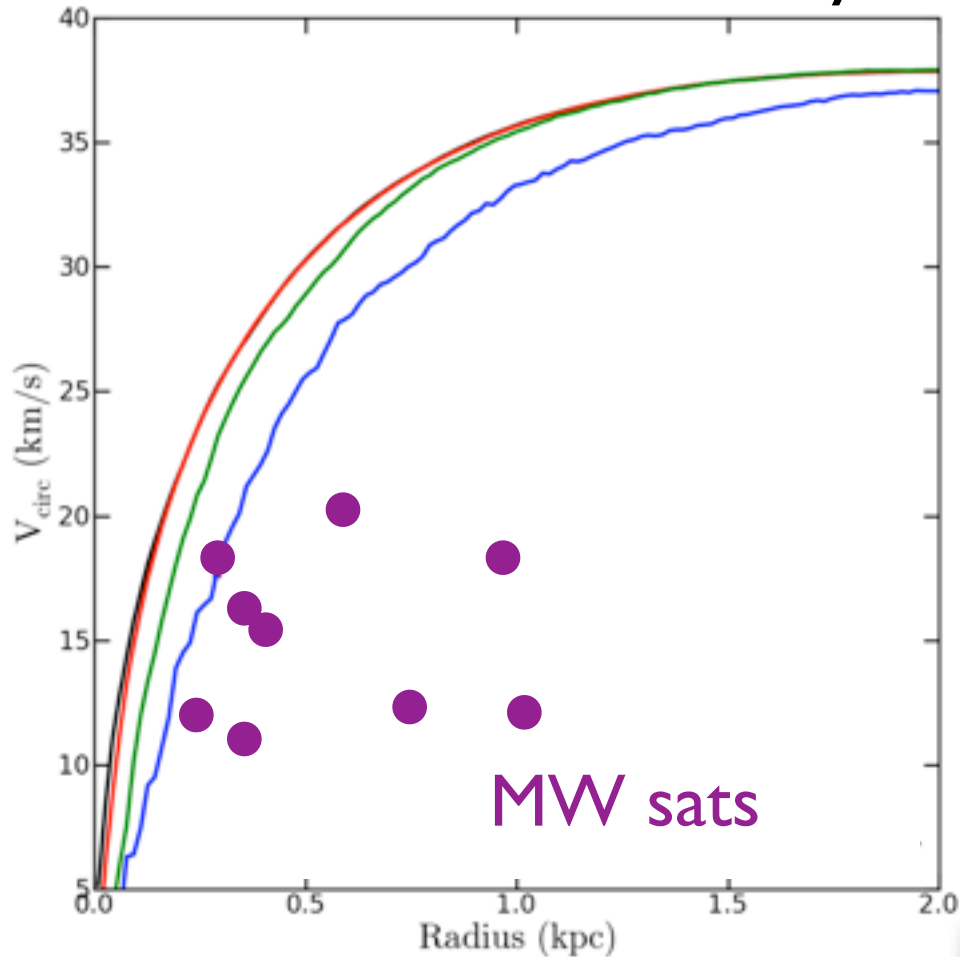


Remove baryon fraction of mass from DM only runs:  
 $\Rightarrow \sim 3$  km/s lower

Garrison-Kimmel et al.

# Numerics/Set up

Run in isolation for 5 Gyr



$$m_{\text{dm}} = 8 \cdot 10^3 M_{\text{sun}}$$
$$\epsilon = 10 \text{ pc}$$

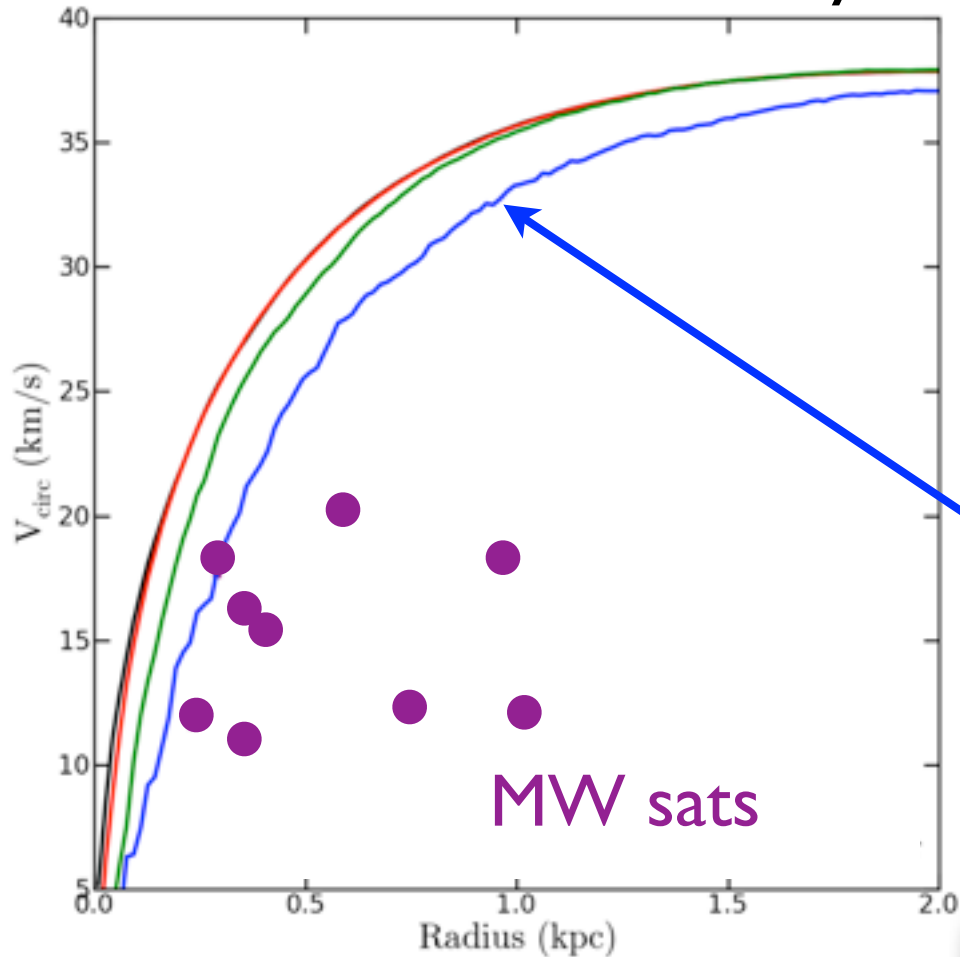
$$m_{\text{dm}} = 3 \cdot 10^4 M_{\text{sun}}$$
$$\epsilon = 70 \text{ pc}$$

$$m_{\text{dm}} = 1 \cdot 10^5 M_{\text{sun}}$$
$$\epsilon = 120 \text{ pc}$$

Garrison-Kimmel et al.

# Numerics/Set up

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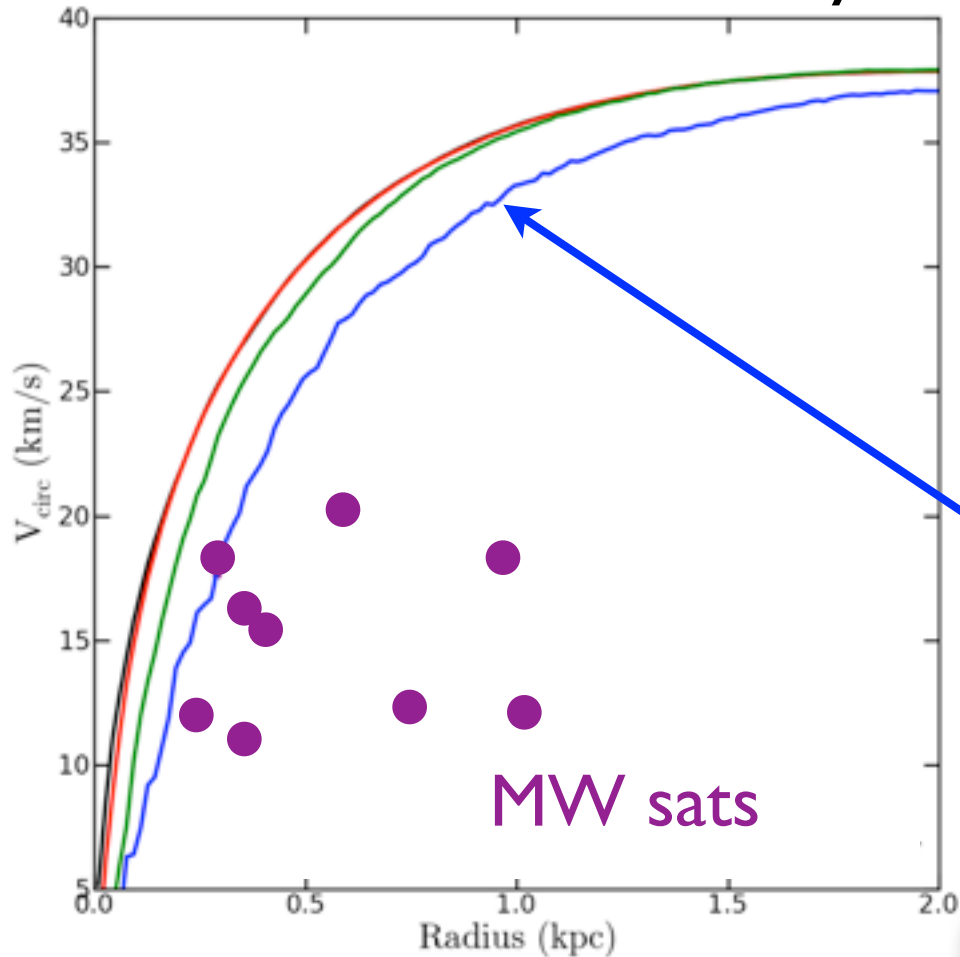
~best current  $z=0$  hydro runs of MW systems

Garrison-Kimmel et al.



# Numerics/Set up

Run in isolation for 5 Gyr



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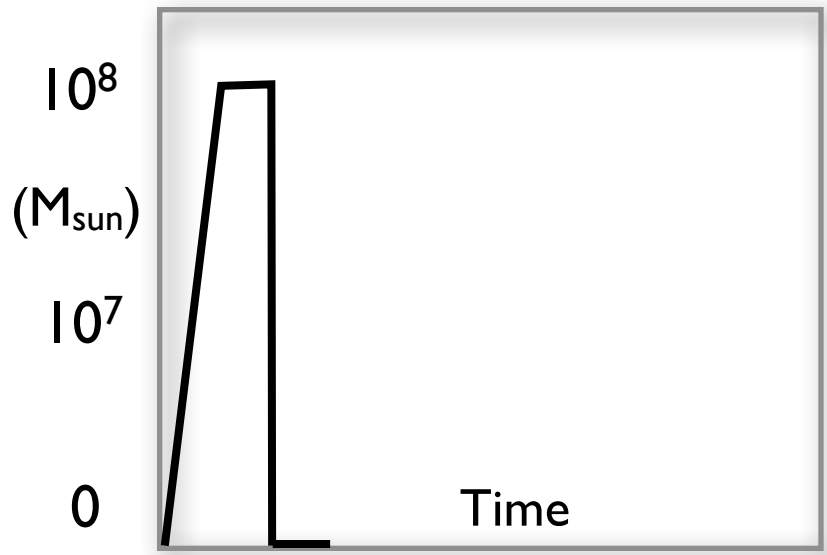
$$m_{\text{dm}} = 1 \cdot 10^5 M_{\text{sun}}$$

$$\epsilon = 120 \text{ pc}$$

~best current  $z=0$  hydro runs of MW systems

Garrison-Kimmel et al.

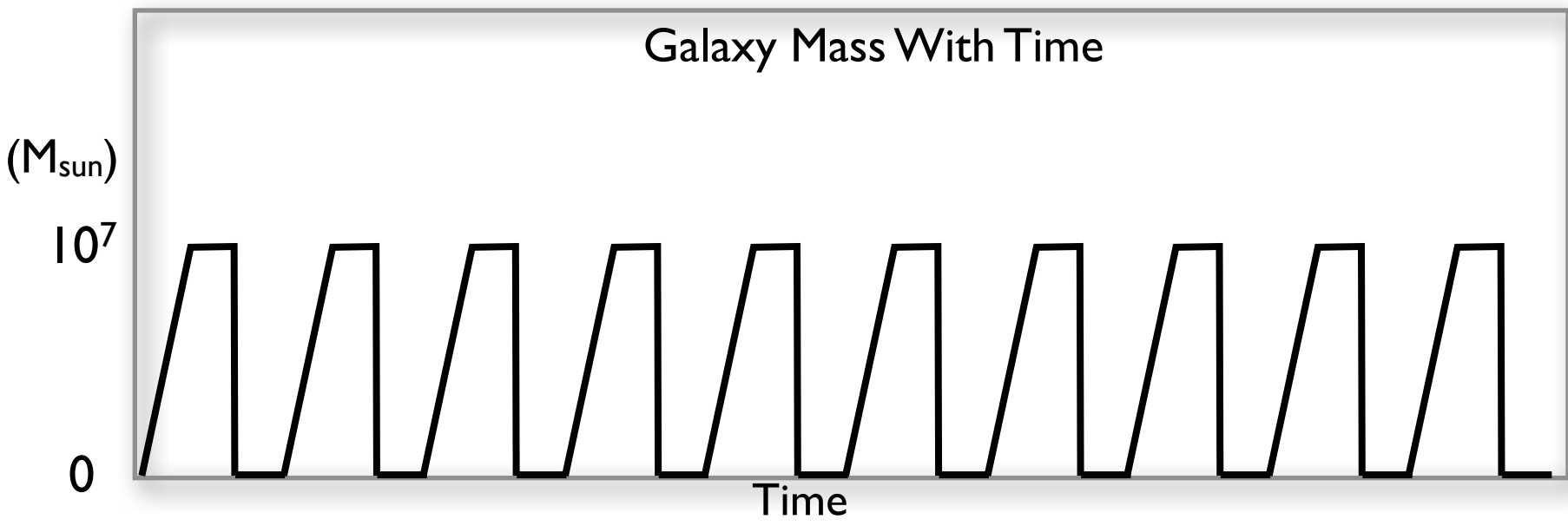
Galaxy Mass With Time



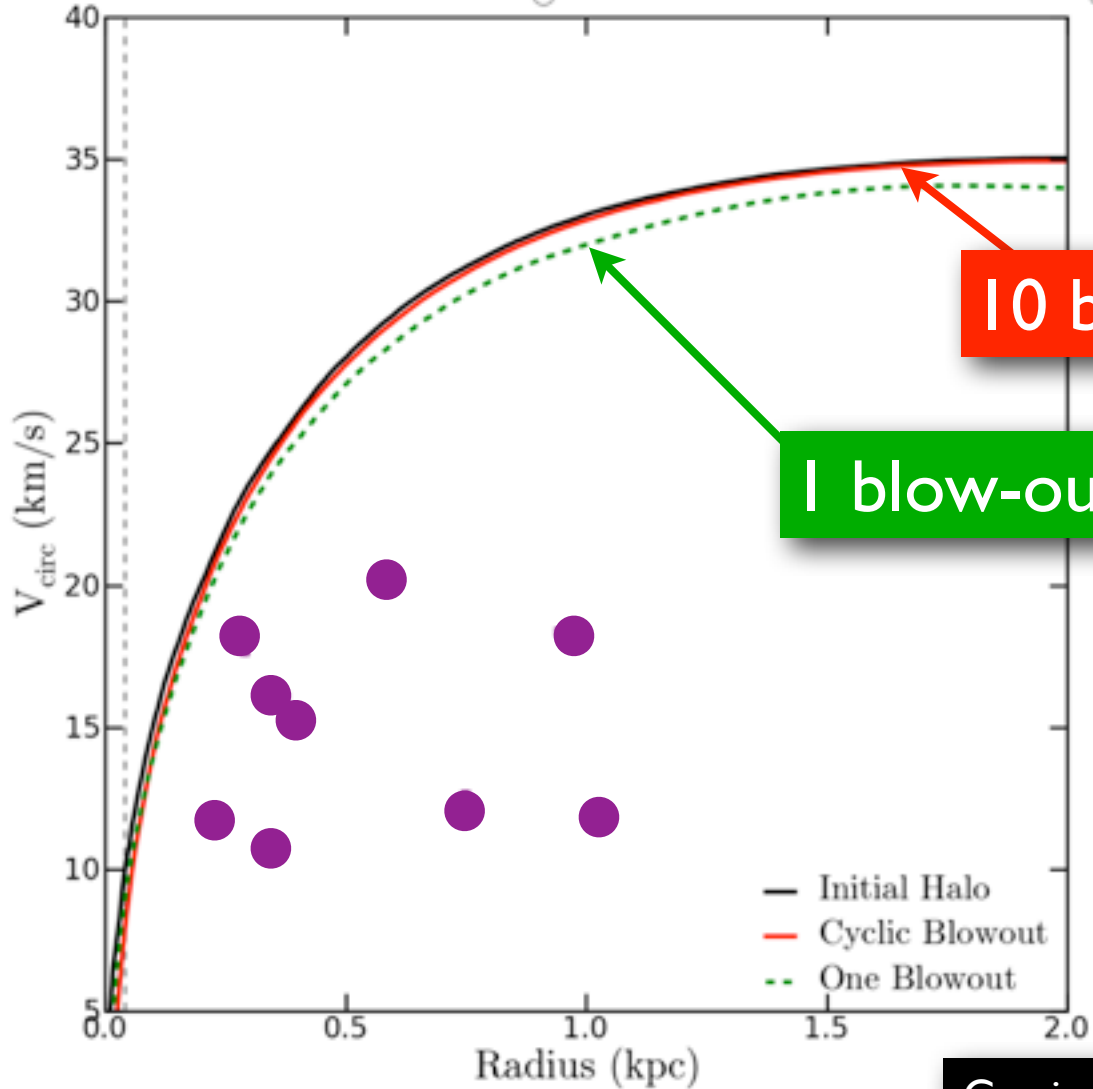
1 blow-out of  $10^8 M_{\text{sun}}$

10 blow-outs of  $10^7 M_{\text{sun}}$

Galaxy Mass With Time



Ten Blowouts of  $10^7 M_{\odot}$  vs One Blowout of  $10^8 M_{\odot}$

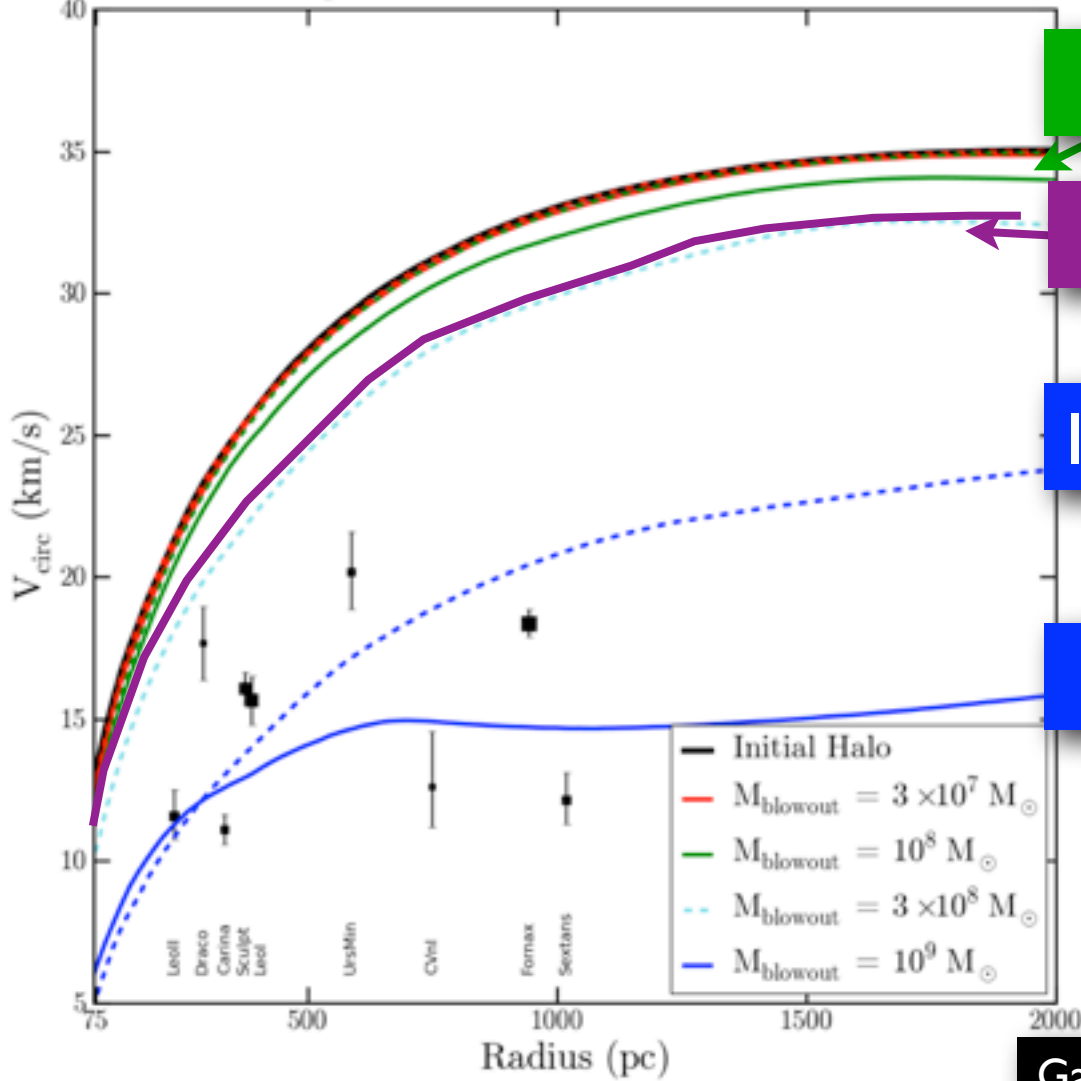


10 blow-outs of  $10^7 M_{\text{sun}}$

1 blow-out of  $10^8 M_{\text{sun}}$

Garrison-Kimmel et al.

$$m_p \sim 7.6 \times 10^2 M_\odot, \epsilon = 10 \text{ pc}$$



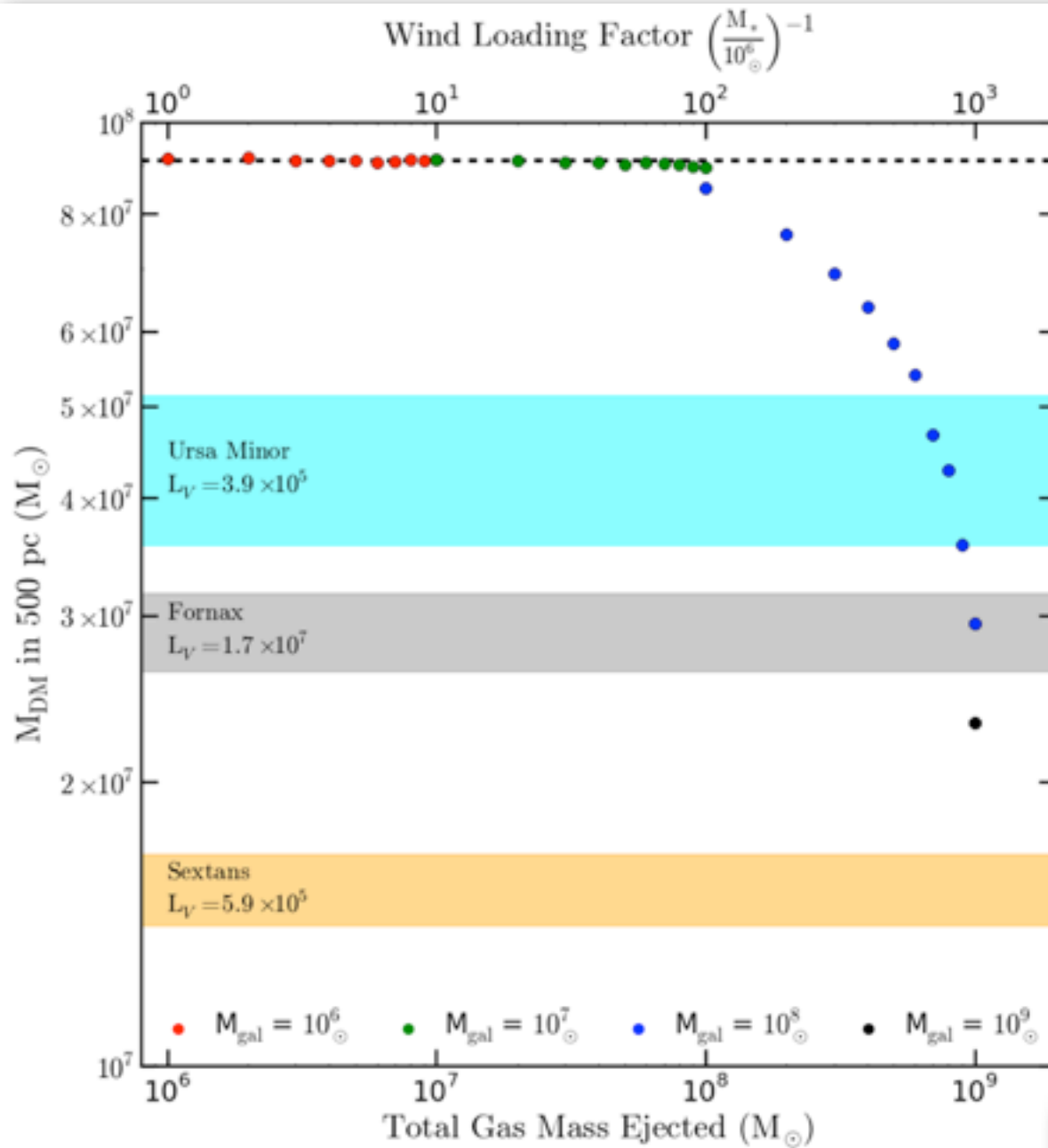
1 blow-out of  $10^8 M_{\text{sun}}$

3 blow-outs of  $10^8 M_{\text{sun}}$

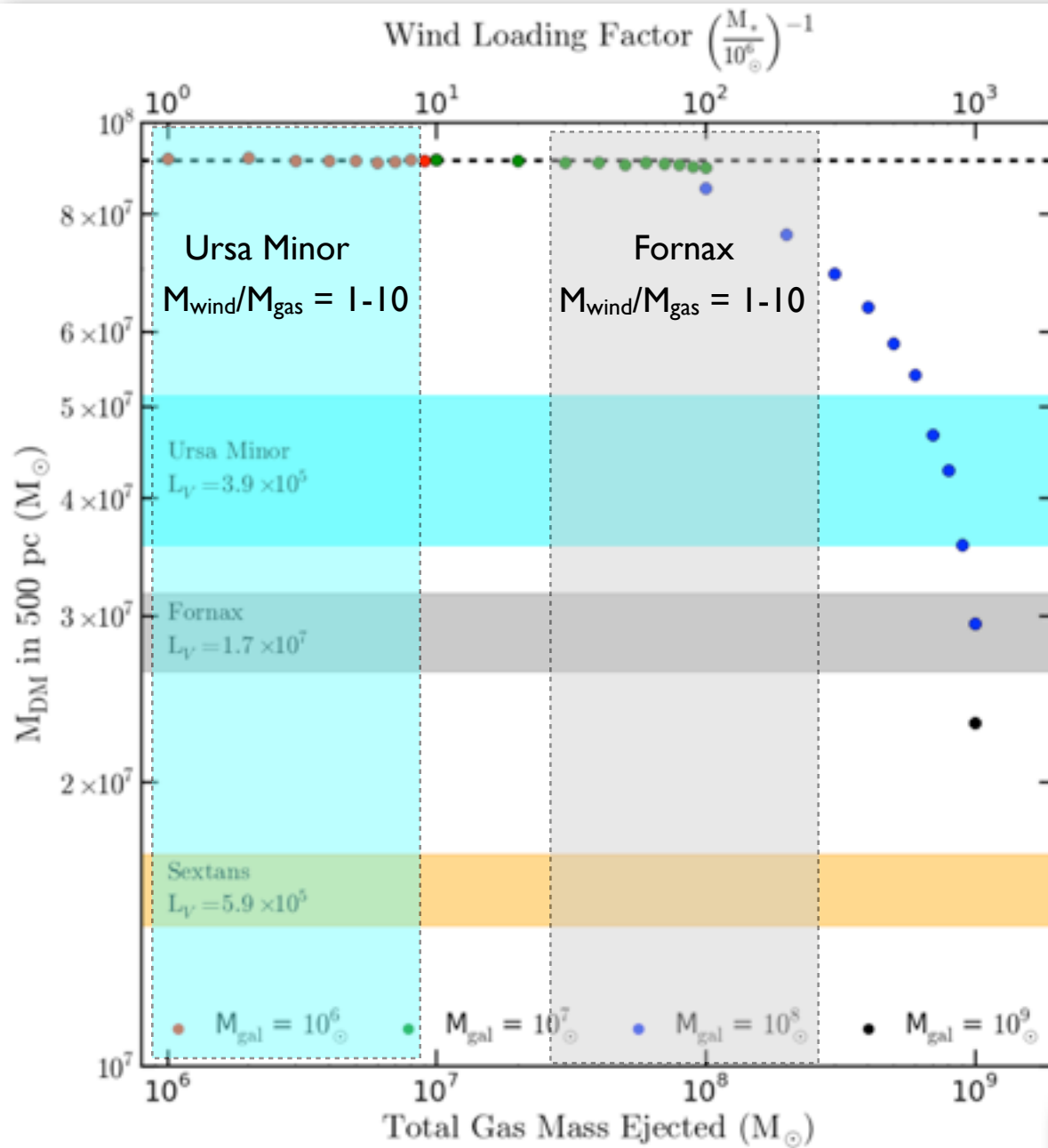
10 blow-outs of  $10^8 M_{\text{sun}}$

1 blow-out of  $10^9 M_{\text{sun}}$

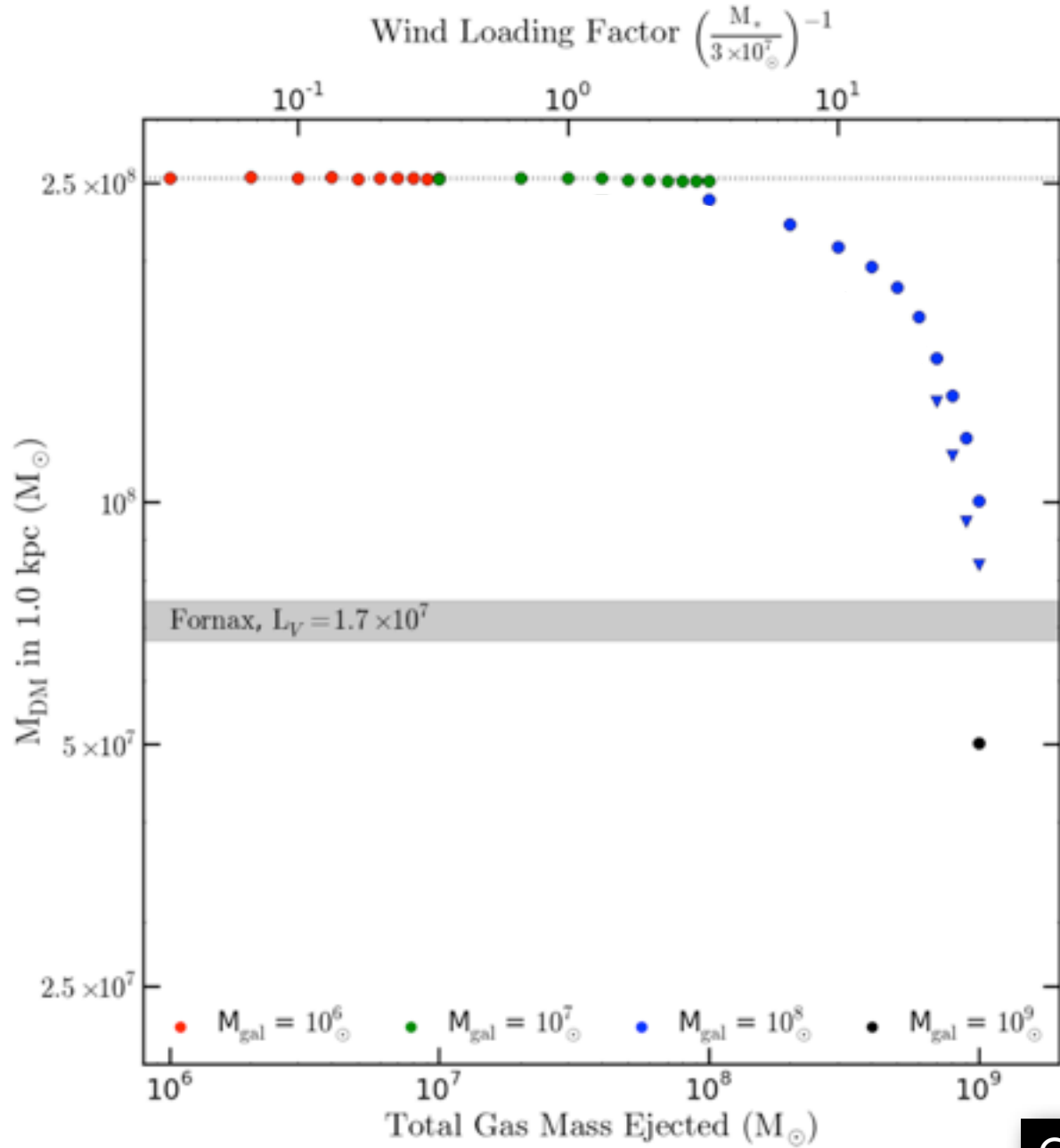
Garrison-Kimmel et al.



Garrison-Kimmel et al.



Garrison-Kimmel et al.



Garrison-Kimmel et al.

# Towards more realistic feedback



Use Hopkins, Quartaert, and Murray 2012 scheme / Gadget3

Oñorbe et al.

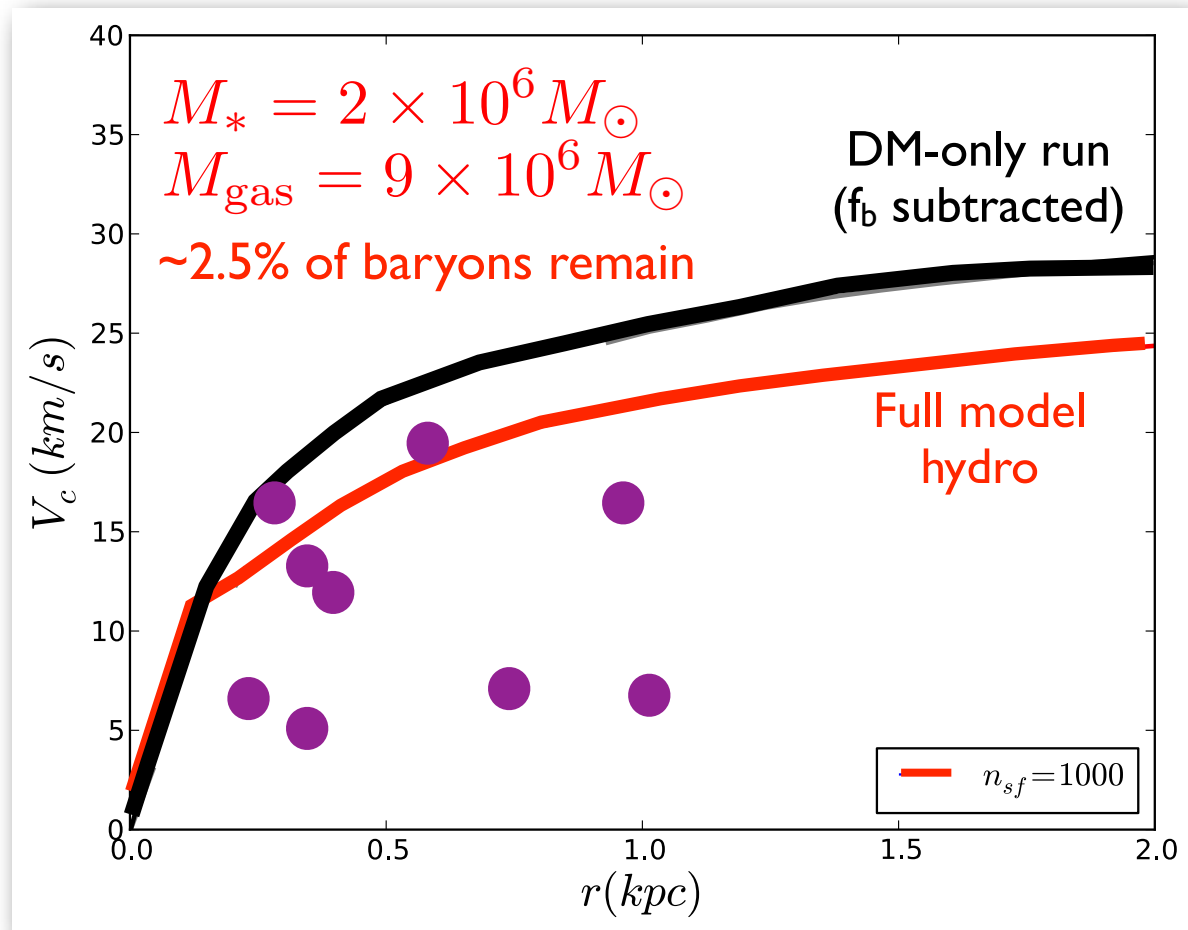
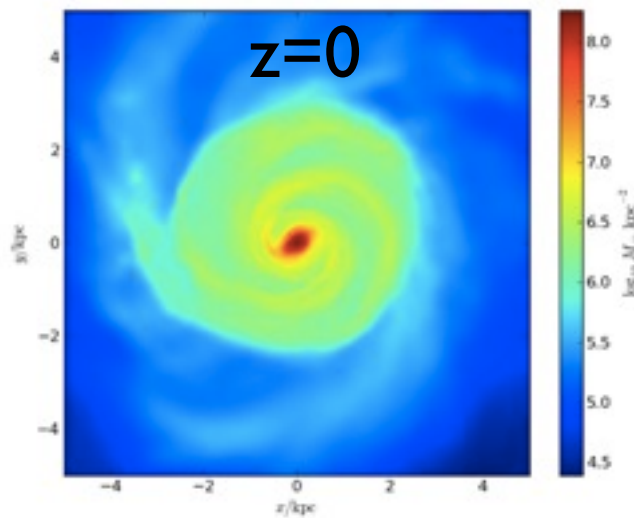
Dwarf Zoom

$$m_{dm} = 1.3 \times 10^3 M_{\odot}$$

$$m_{gas} = 1.7 \times 10^2 M_{\odot}$$

$$\epsilon_{res} = 14 \text{pc}$$

- Self-consistent (resolved) ISM. Hydro never turned off.
- SNe (II & Ia), Radiation pressure from stellar winds, Photoionization (HII Regions)
- Energetics/timing from stellar evolution models, fine-structure cooling to  $\sim 100\text{K}$





# Conclusions

- Feedback not a compelling solution to Too Big to Fail dwarfs problem
- Need very high resolution ( $\sim 10$  pc) to really address the problem
- Cyclic bursts don't seem to help:
  - ▶ DM removal per baryon blown out is similar (a little less) than single bursts
- What can we do to fix the problem in context of WIMPy CDM?
  - ▶ Smallest possible Milky Way mass **AND**
  - ▶ Wind-loading factors  $>\sim 10$  **AND**
  - ▶ Tides matter a lot more than expected
- See Miguel Rocha's talk on CDM with self-interaction similar to nucleon-nucleon scattering ( $\sim 0.1$  cm<sup>2</sup>/g)  $\Rightarrow$  constant-density cores.