

A simple model linking dark matter and galaxy evolution



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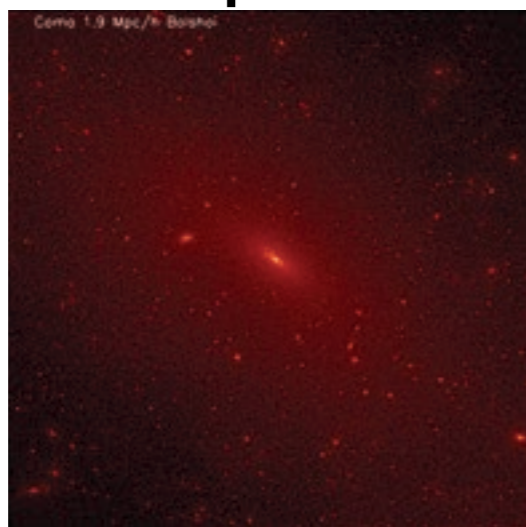
arXiv:1401.3162, accepted

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A “phenomenological” approach

How far can we get with...

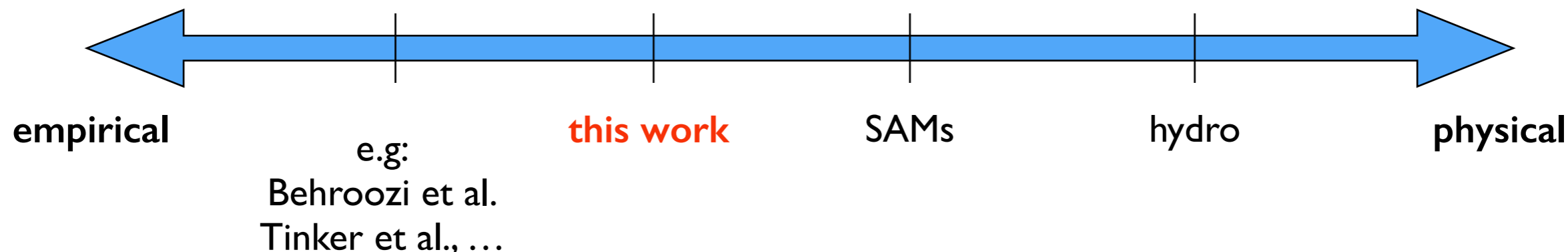
...simplified...



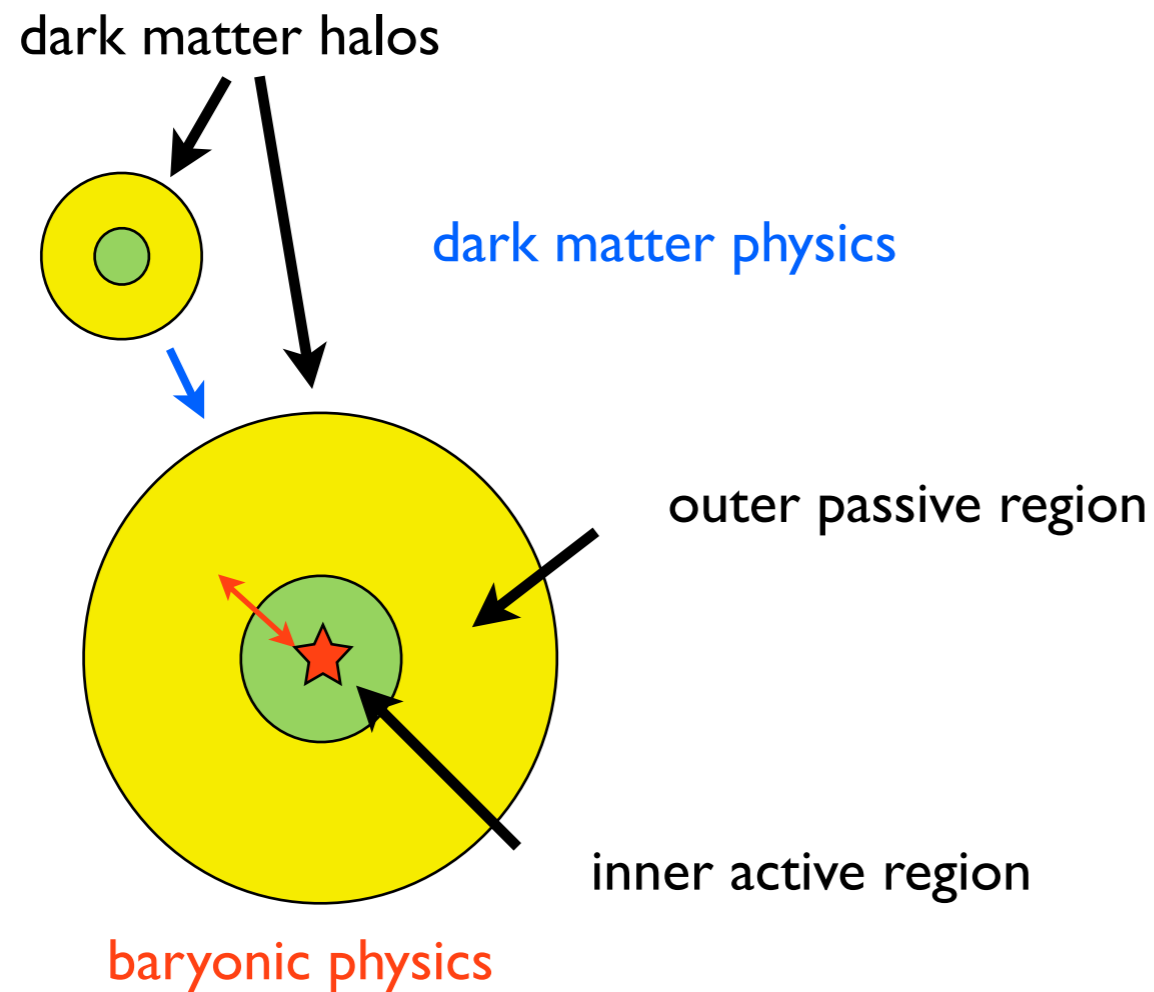
...simplified...



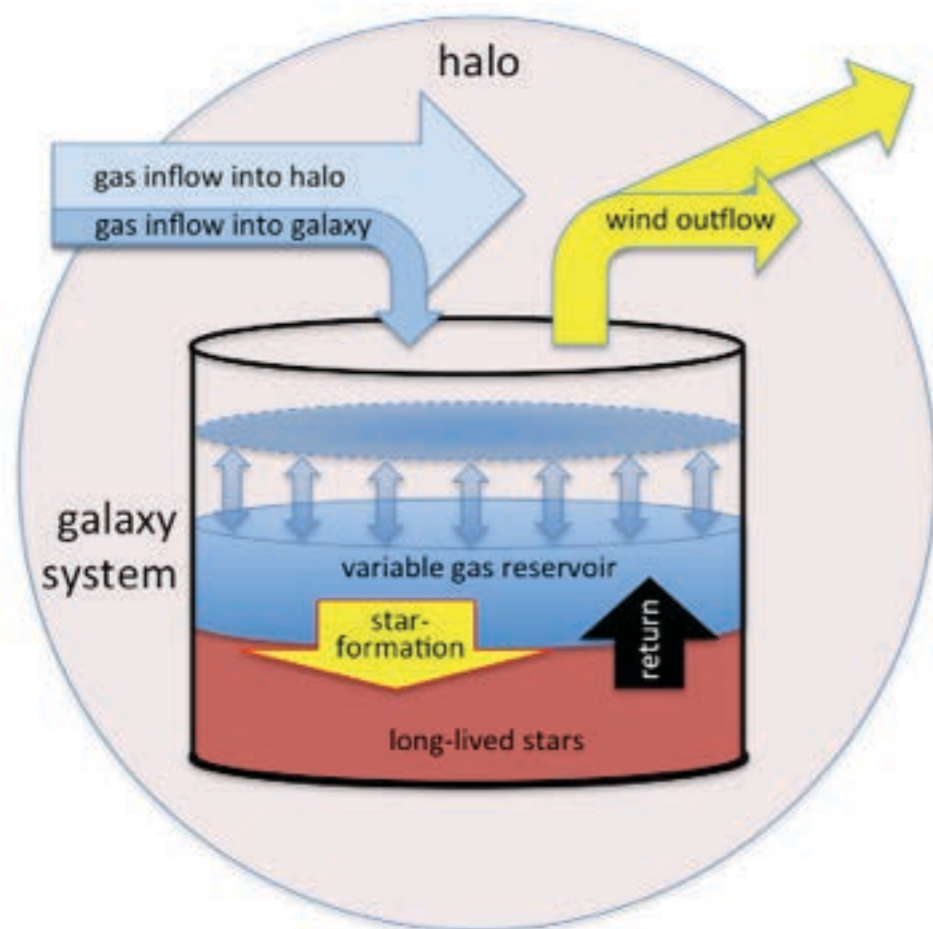
...in matching a set of observables over cosmic history?



A galaxy - a simple picture



A galaxy - a regulator system



gas within the regulator

$$SFR = \epsilon \cdot M_{\text{gas}}$$

efficiency of the regulator

$$\dot{M}_{\text{gas, outflow}} = \lambda \cdot SFR$$

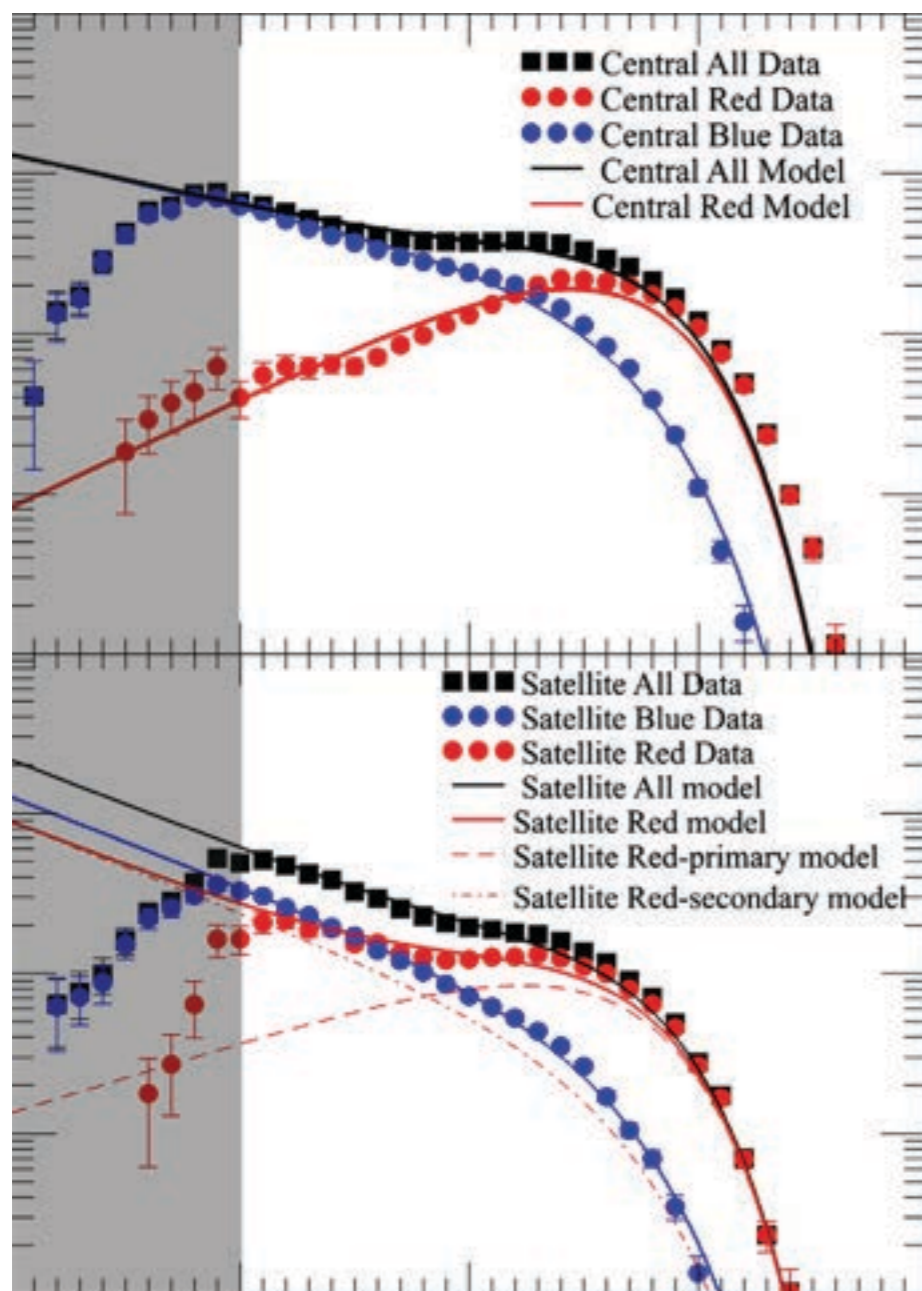
outflow load

inflow of gas into regulator

$$\dot{M}_{\text{gas}} = \Phi_b - \dot{M}_s - \dot{M}_{\text{gas, outflow}}$$

from Lilly et al. 2013

Quenching formalism



mass quenching:

quenching produces an exponential cutoff scale in the stellar mass function

$$dp_{\text{quench}} = \mu dM_s$$

$$p_{\text{quench}} = 1 - \exp[-\mu \Delta M_s]$$

environment quenching:

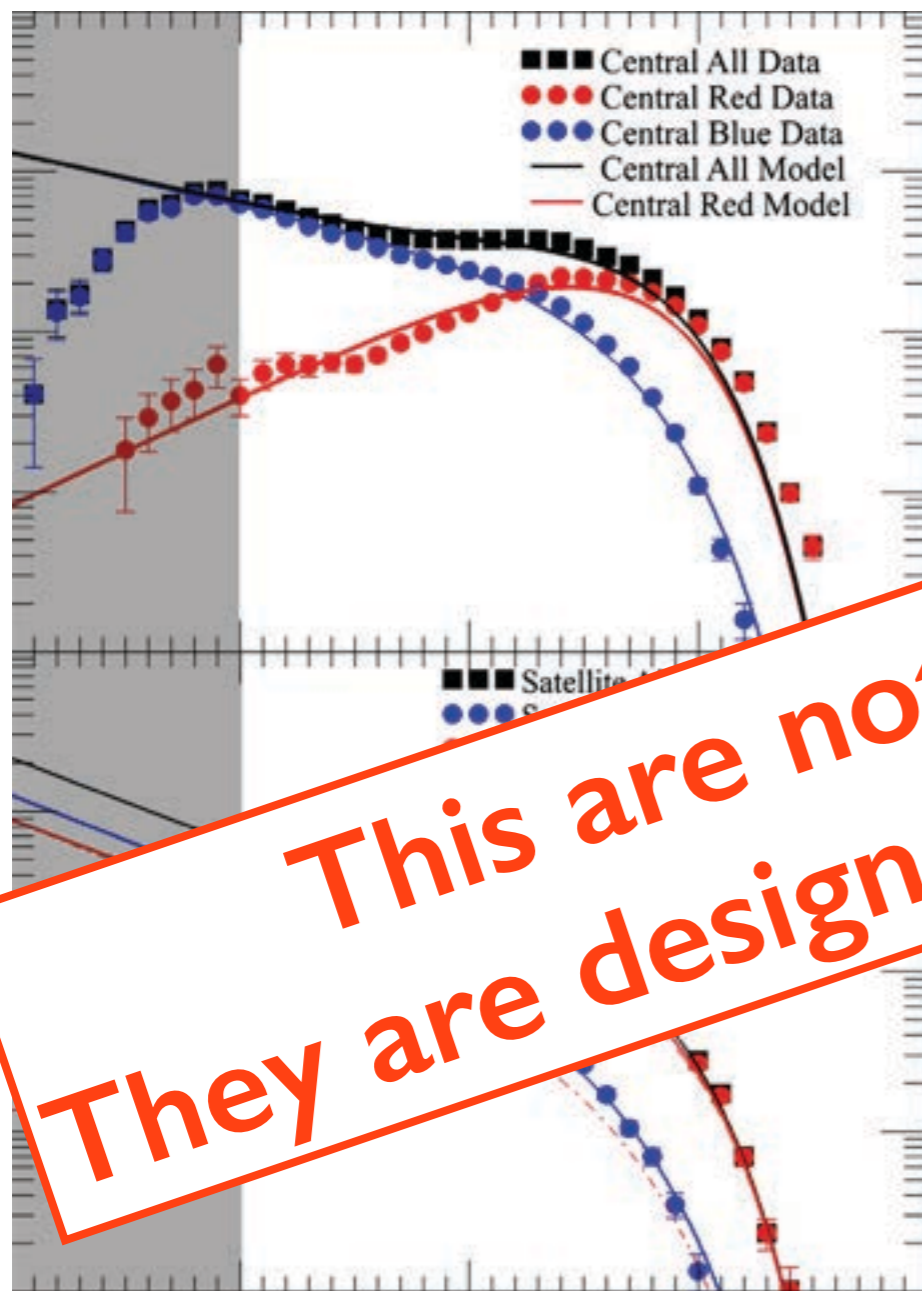
satellite galaxies are more likely to be quenched

$$p_{\text{sat}} = 0.5$$

from Peng et al. 2010/12

e.g. Kovac et al. 2013 and Knobel et al. 2013

Quenching formalism



**This are not physical descriptions!
They are designed to match the observables.**

mass quenching:

quenching probability
 $\exp[-\mu\Delta M_s]$

$$1 - \exp[-\mu\Delta M_s]$$

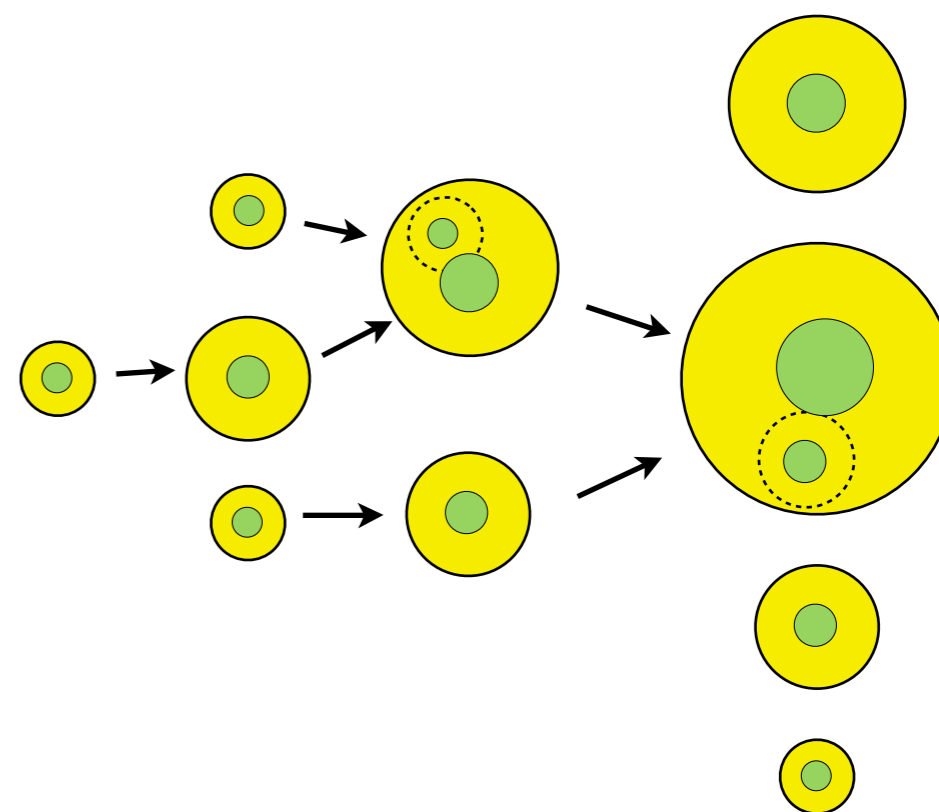
environment quenching:

satellite galaxies are
more likely to be
quenched

$$p_{\text{sat}} = 0.5$$

The model - the simple concepts

- simple differential equations embedded in a dark matter merger tree
- local continuity in stellar- gas- and DM mass
- quenching as a one-way description of stellar mass



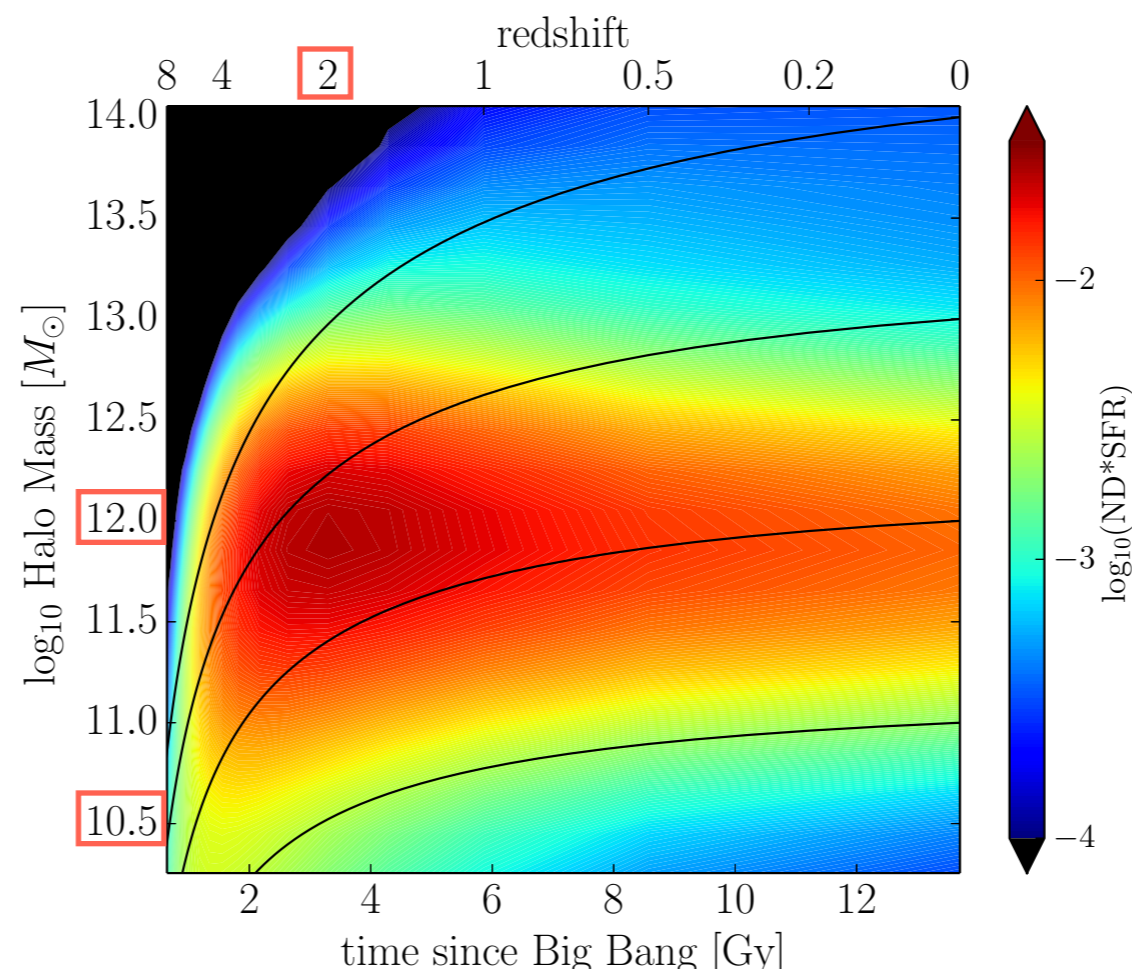
Prediction: Stellar-, gas-, DM mass and SFR for every single galaxy of a representative sample of the universe from $z=8$ to $z=0$.

Results - the “simplest” model

gas infall follows the DM accretion rate

$$\dot{M}_{\text{gas}} = \Phi_b - \dot{M}_s - \dot{M}_{\text{gas,outflow}}$$

Most stars form at
 $10^{12} M_{\odot}$ and
 about $z = 2$

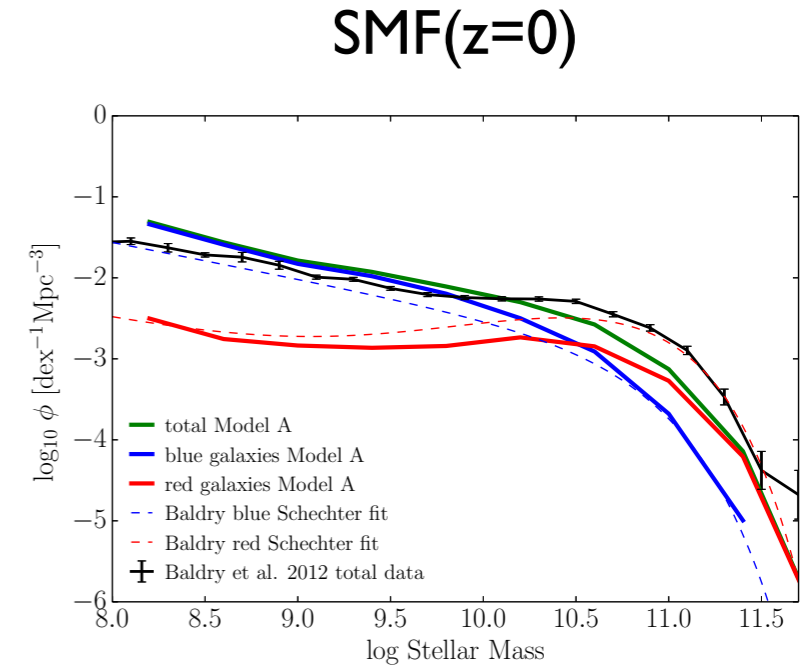
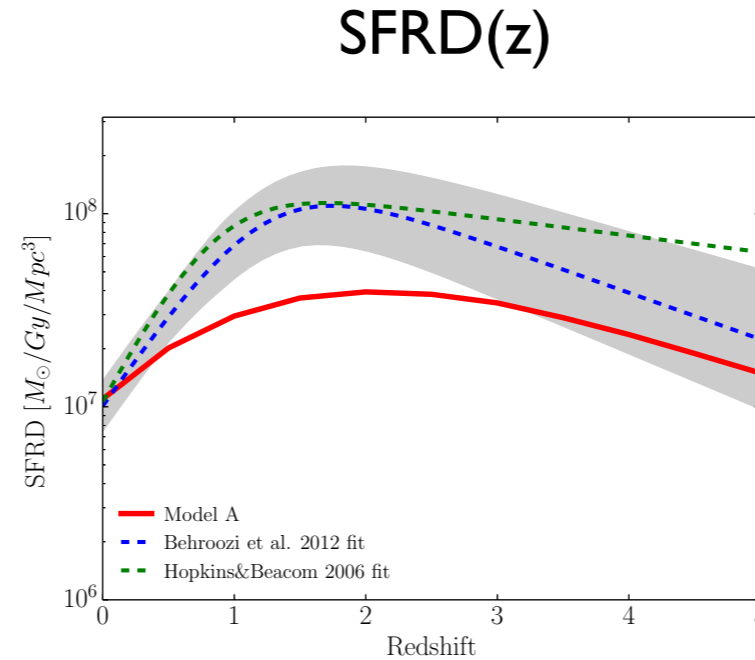
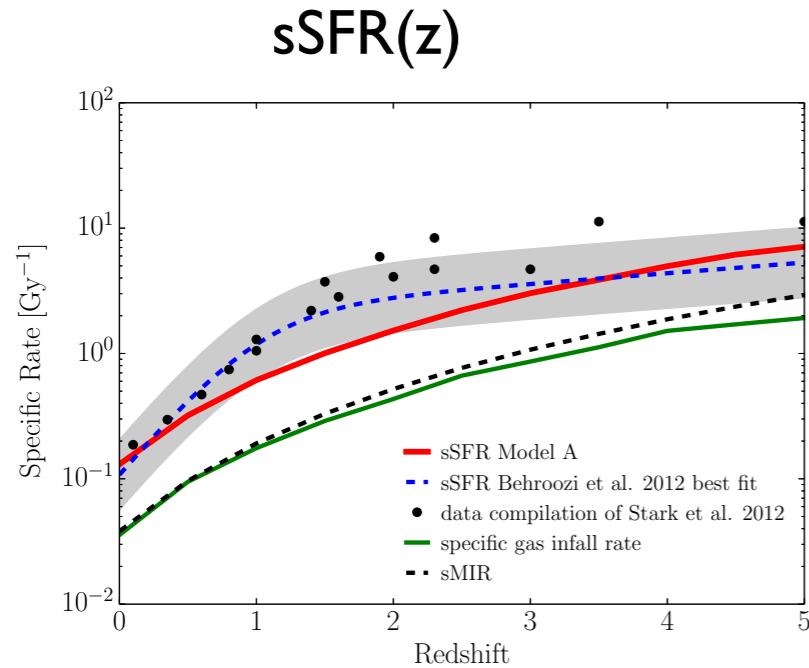


e.g, Behroozi et al. 2013

Results - the “simplest” model

gas infall follows the DM accretion rate

$$\dot{M}_{\text{gas}} = \Phi_b - \dot{M}_s - \dot{M}_{\text{gas,outflow}}$$

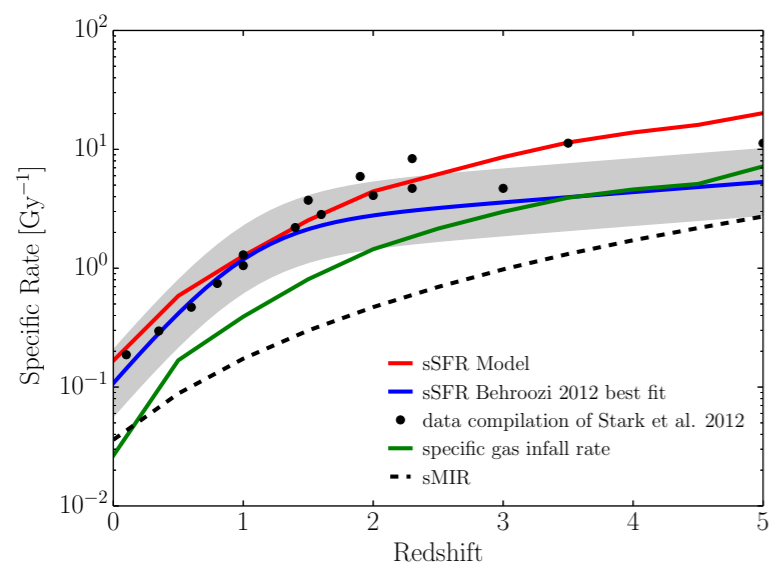


Results - the “tuned” model

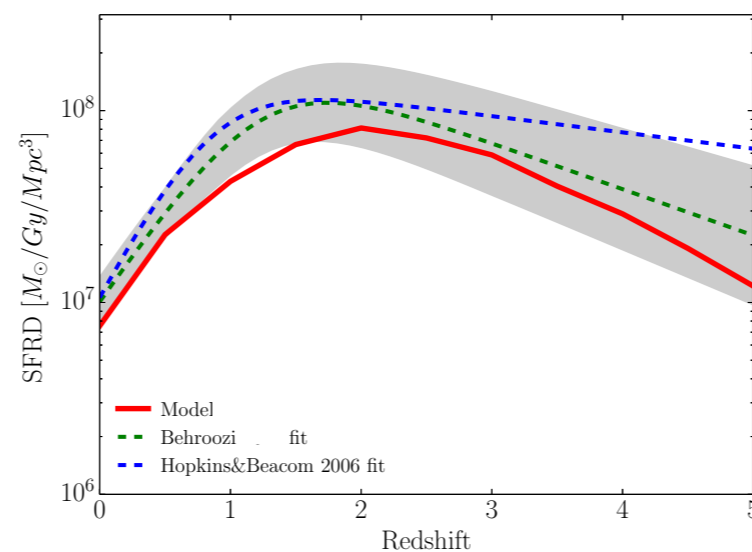
only further tuned description

$$\dot{M}_{\text{gas}} = \Phi_b - \dot{M}_s - \dot{M}_{\text{gas,outflow}}$$

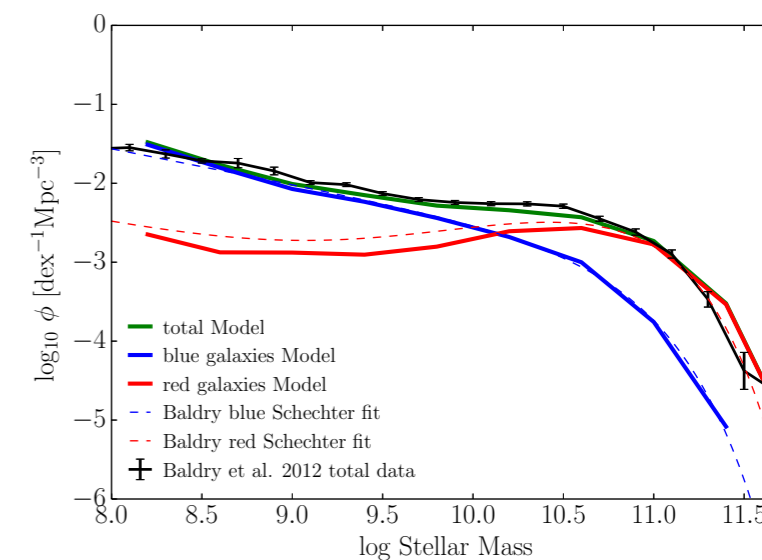
sSFR(z)



SFRD(z)

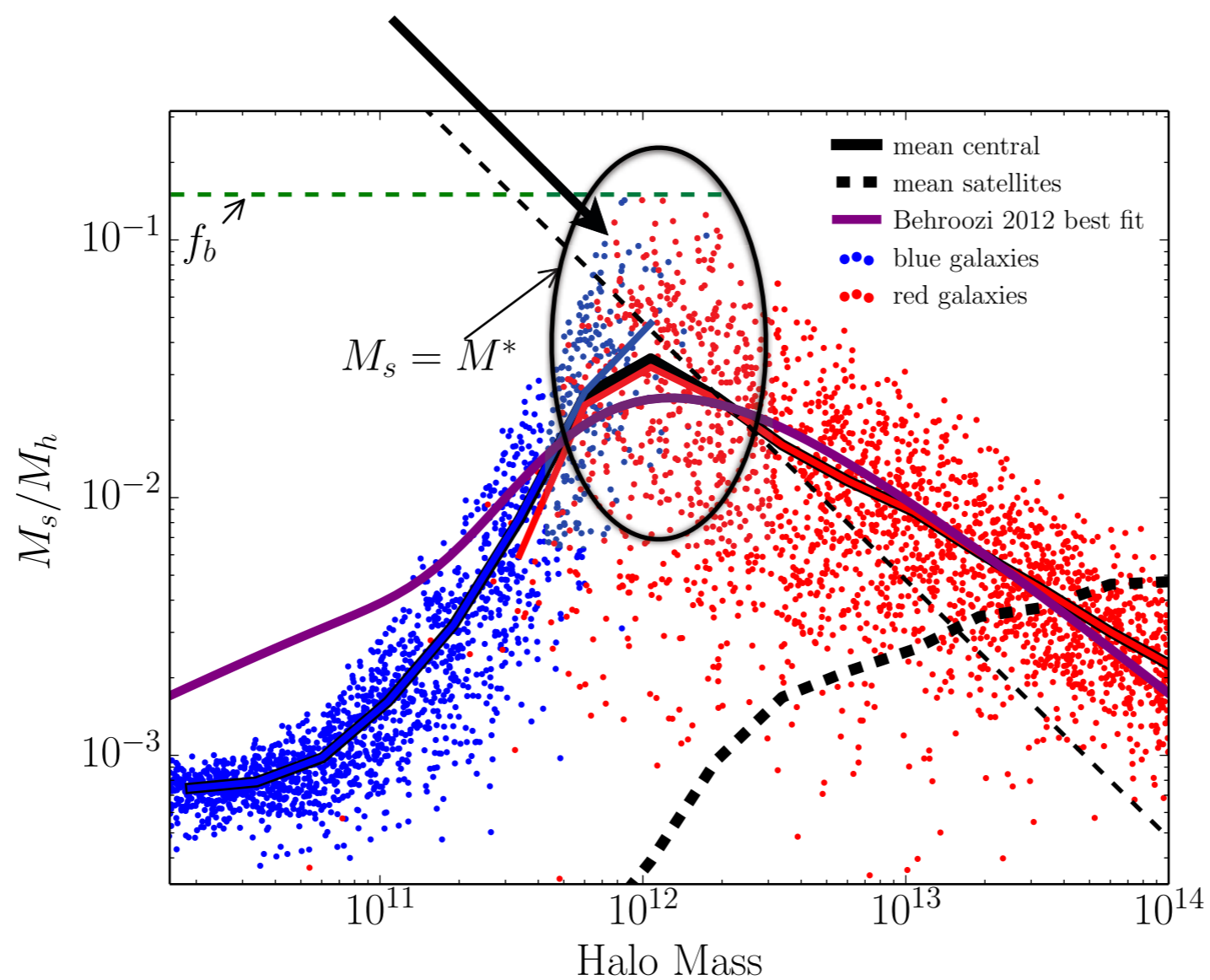


SMF(z=0)



Results (Halo Masses)

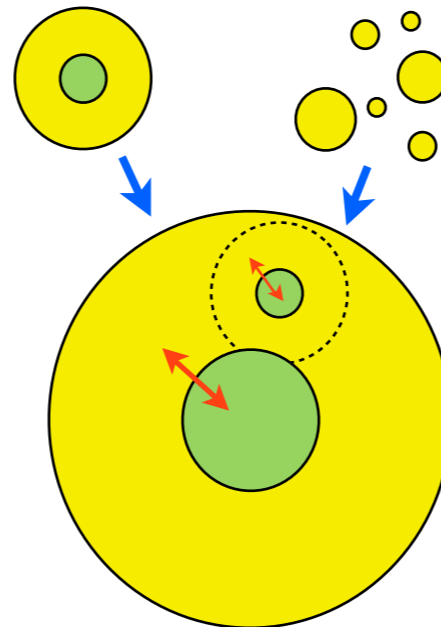
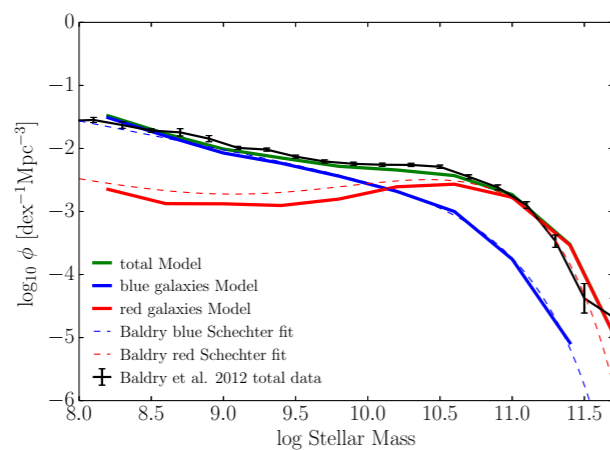
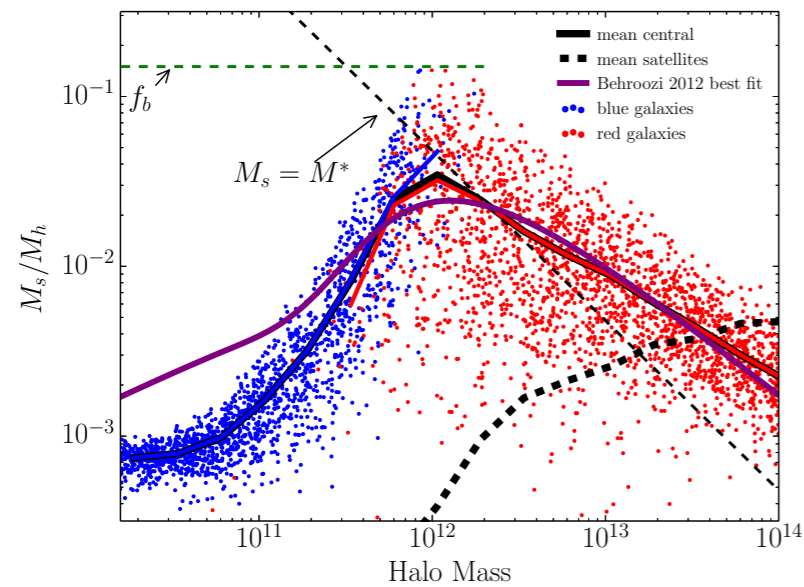
Is this a coincidence?



Conclusion

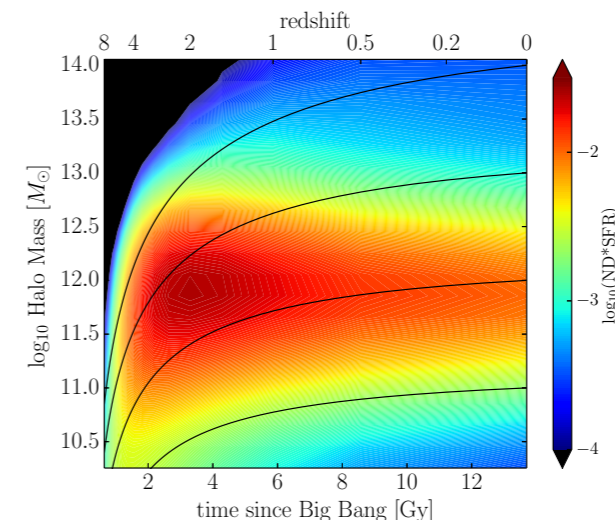
- Simple model (combination of regulation and quenching) gives remarkable consistencies with various observables
- Only gas inflow/re-injection has to be modified
- Quenching occurs just when galaxies approach the maximal conversion efficiency

Thanks! - Questions?



$$\dot{M}_{\text{gas, outflow}} = \lambda \cdot SFR$$

$$SFR = \epsilon \cdot M_{\text{gas}}$$



arXiv:1401.3162